

Higgs physics in di- τ final states with CMS

Roger Wolf

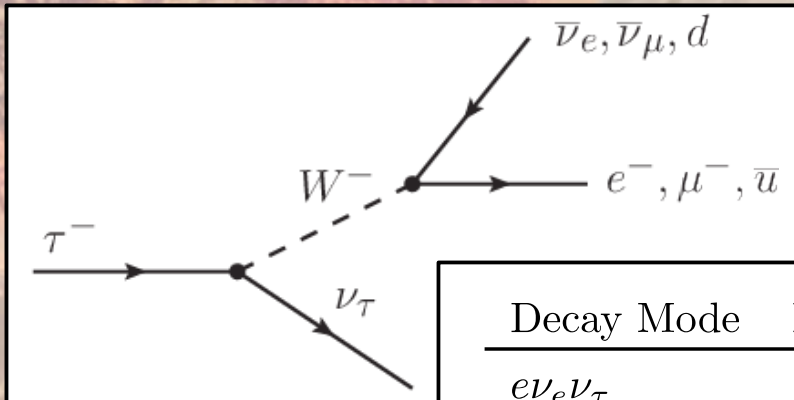
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INSTITUTE OF EXPERIMENTAL PARTICLE PHYSICS (IEKP) – PHYSICS FACULTY



τ -leptons & LHC Higgs physics

- With 1.77 GeV the **heaviest known lepton**.

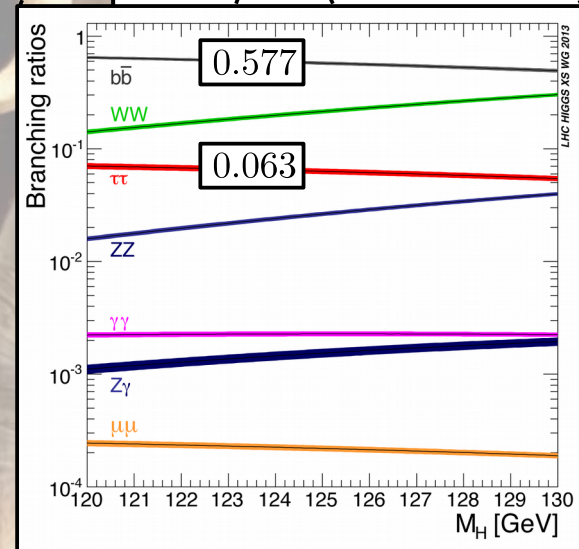
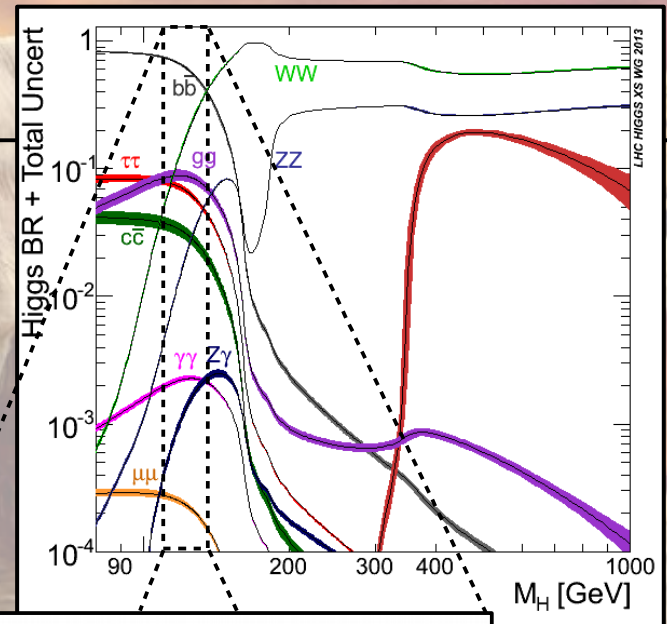


Decay Mode	BR [%]
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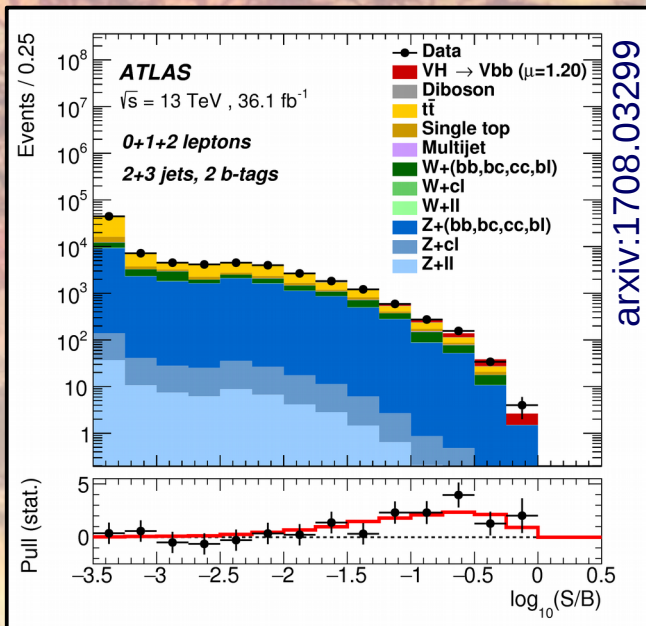
$e\nu_e\nu_\tau$	17.83
$\mu\nu_\mu\nu_\tau$	17.41
1-prong ν_τ	37.10
3-prong ν_τ	15.20

- One of the **big five** in the investigation of the Higgs sector @ low mass.

	Channel	Resolution	S/B
$\kappa_{HVV} = \frac{2m_V^2}{v}$	$H \rightarrow \gamma\gamma$	1-2%	$\mathcal{O}(0.1)$
	$H \rightarrow ZZ$	1-2%	$\mathcal{O}(> 1)$
	$H \rightarrow WW$	20%	$\mathcal{O}(1)$
$\kappa_{Hff} = \frac{m_f}{v}$	$H \rightarrow b\bar{b}$	10%	$\mathcal{O}(0.1)$
	$H \rightarrow \tau\tau$	15%	$\mathcal{O}(0.1)$



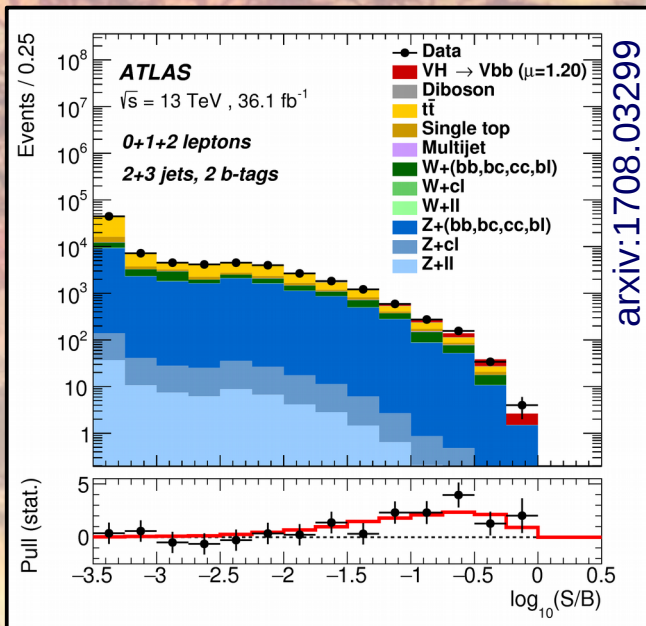
τ -leptons & LHC Higgs physics



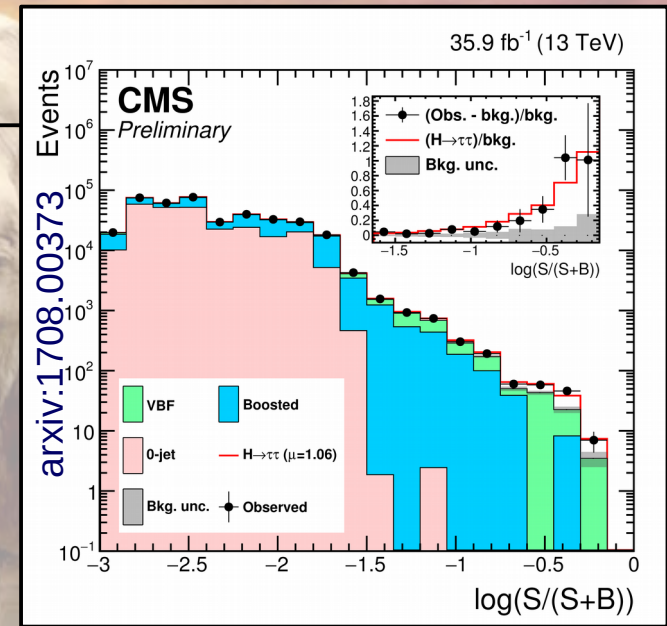
36/fb @ 13 TeV highly sophisticated analysis leads to 3.6σ evidence.

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τ -leptons & LHC Higgs physics



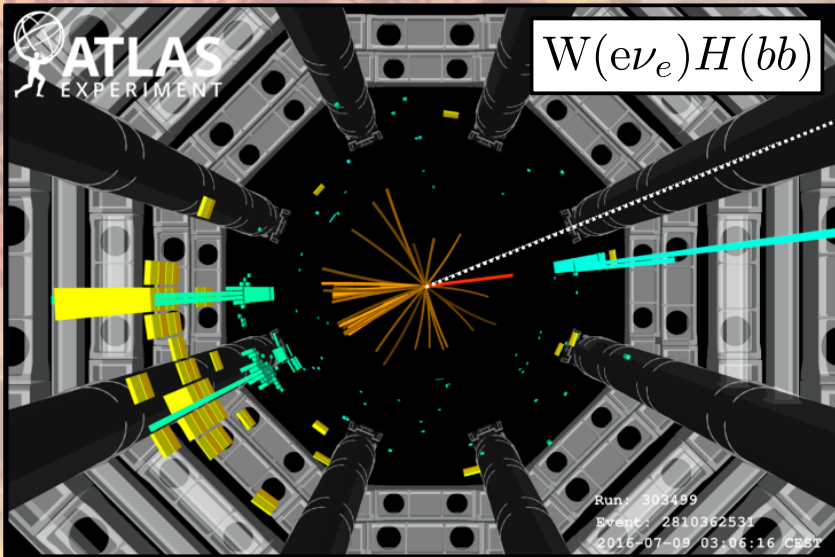
36/fb @ 13 TeV highly sophisticated analysis leads to 3.6σ evidence.



36/fb @ 13 TeV highly sophisticated analysis leads to 4.9σ discovery.

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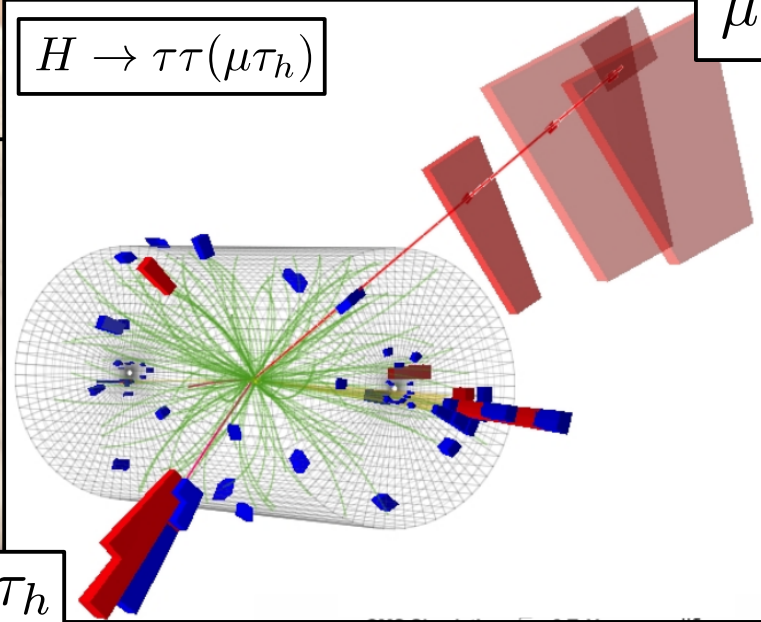
τ -leptons & LHC Higgs physics



- Difficult to identify b quark initiated jets with high purity.
- b quark production in QCD quite common in hadron collider.
- Identify signal in presence of **overwhelming background**.
- Reduce **event rate** during data taking.

$$H \rightarrow \tau\tau(\mu\tau_h)$$

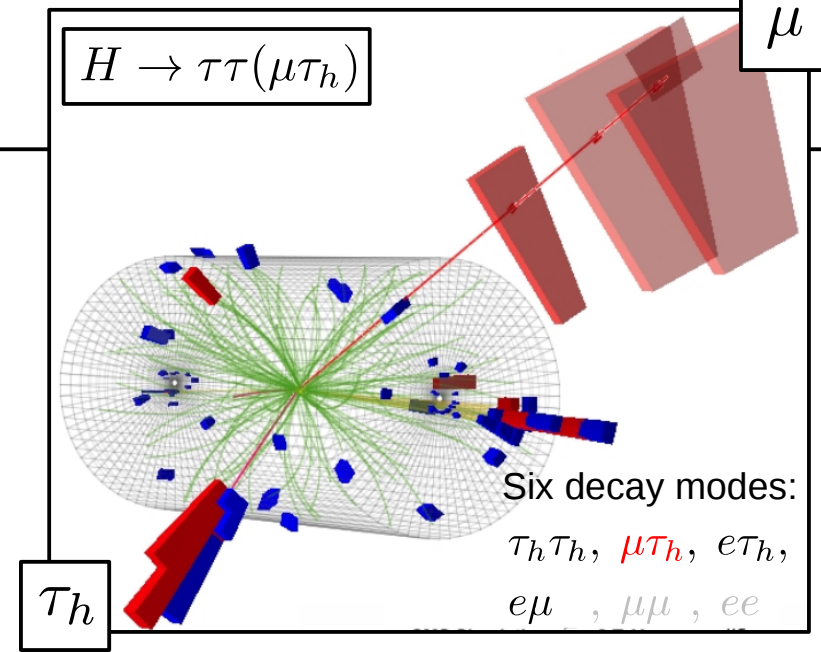
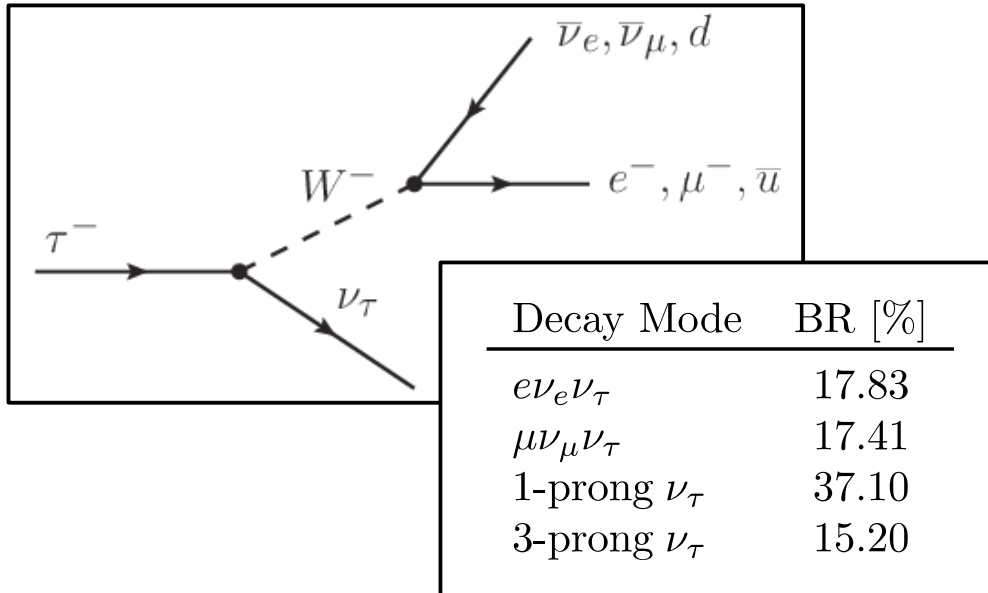
$$\tau_h$$

$$\mu$$


- Difficult to identify hadronic τ -decay with high purity (\rightarrow see next slides).
- Background that is most difficult to separate: $Z \rightarrow \tau\tau$ (\rightarrow well under control).
- Leptonic nature **easier to identify/tag**.

Di- τ final state

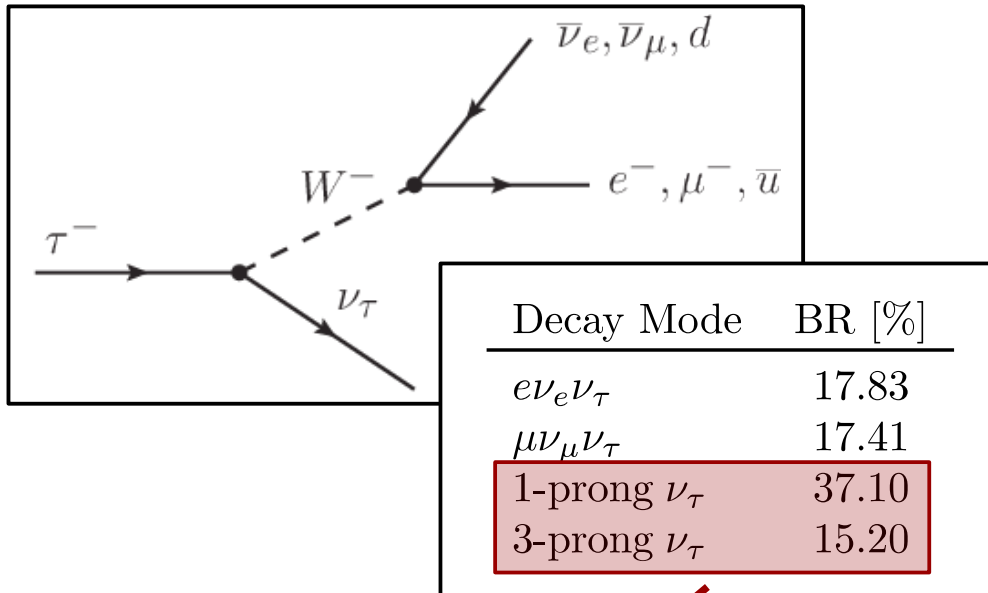
- High mass allows for decays into hadrons:



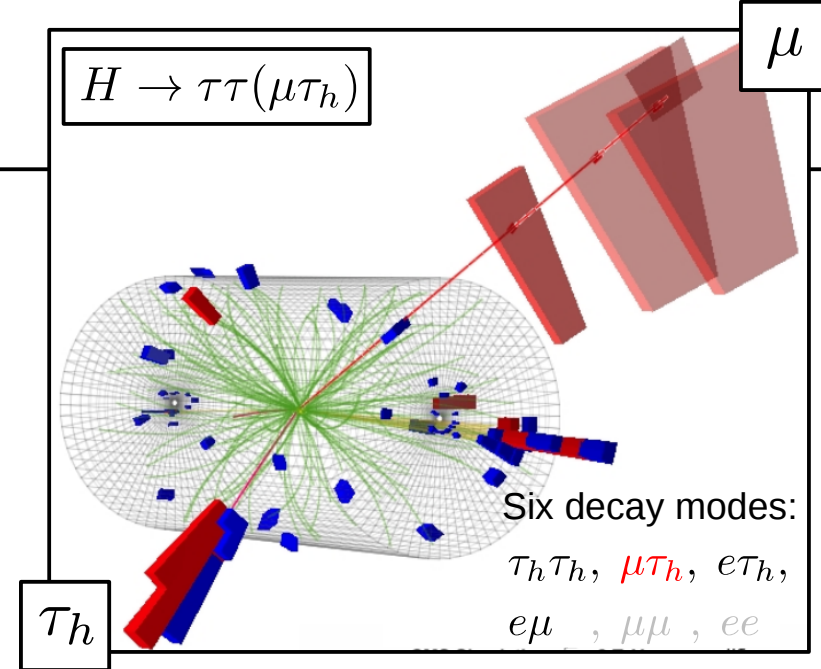
- Search for **2 isolated high p_T leptons** (e, μ, τ_h).
- Reduce obvious backgrounds ($\rightarrow \cancel{E}_T$).
- Reconstruct discriminating variable, related to di- τ final state: $m_{\tau\tau}, m_{vis}, m_T^{\text{tot}}$, BDT.

Di- τ final state

- High mass allows for decays into hadrons:



~90% of all di- τ final states contain at least one τ_h .

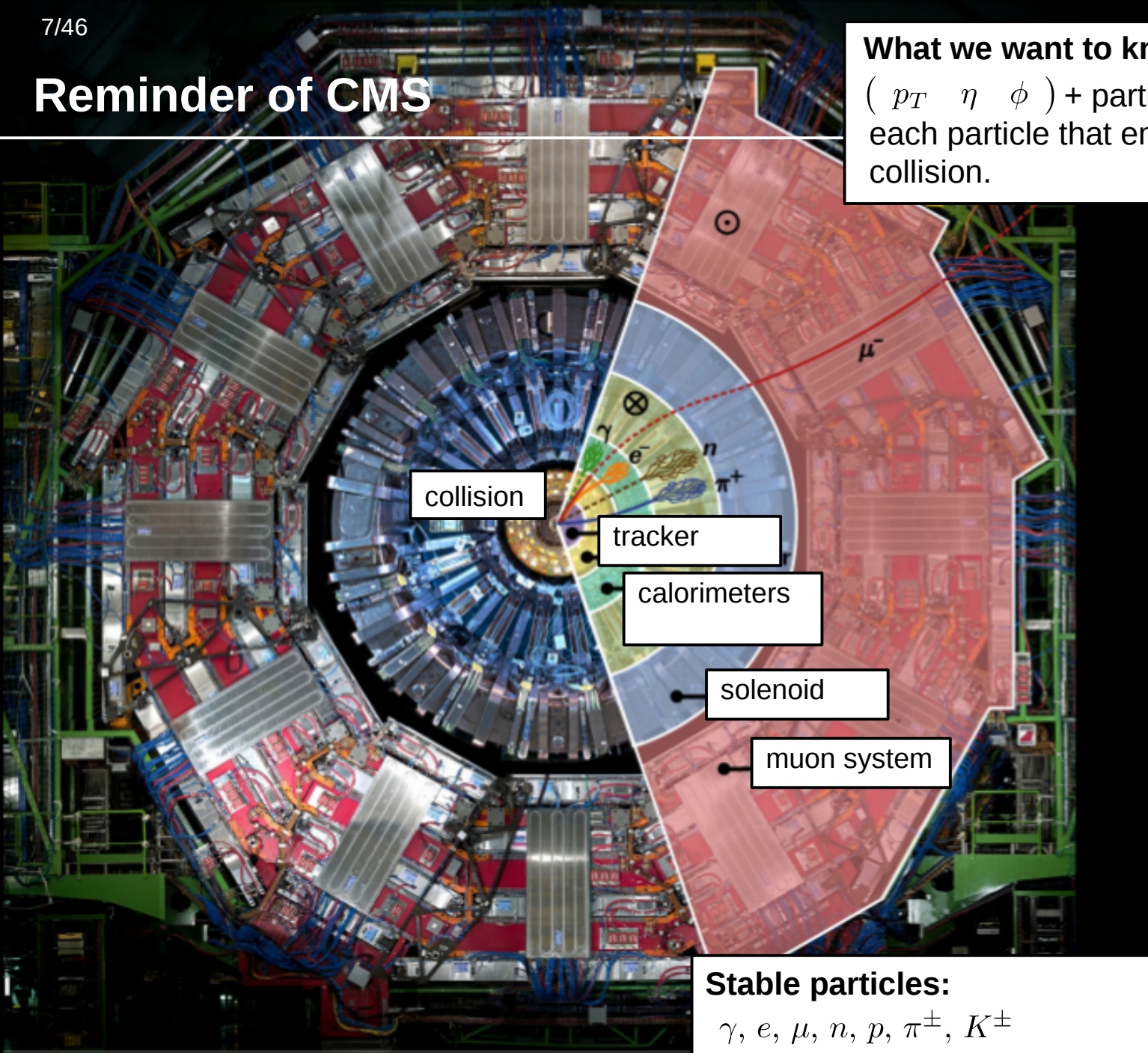


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Reminder of CMS

What we want to know:

$(p_T \quad \eta \quad \phi) + \text{particle type (m)}$ from each particle that emerges the collision.

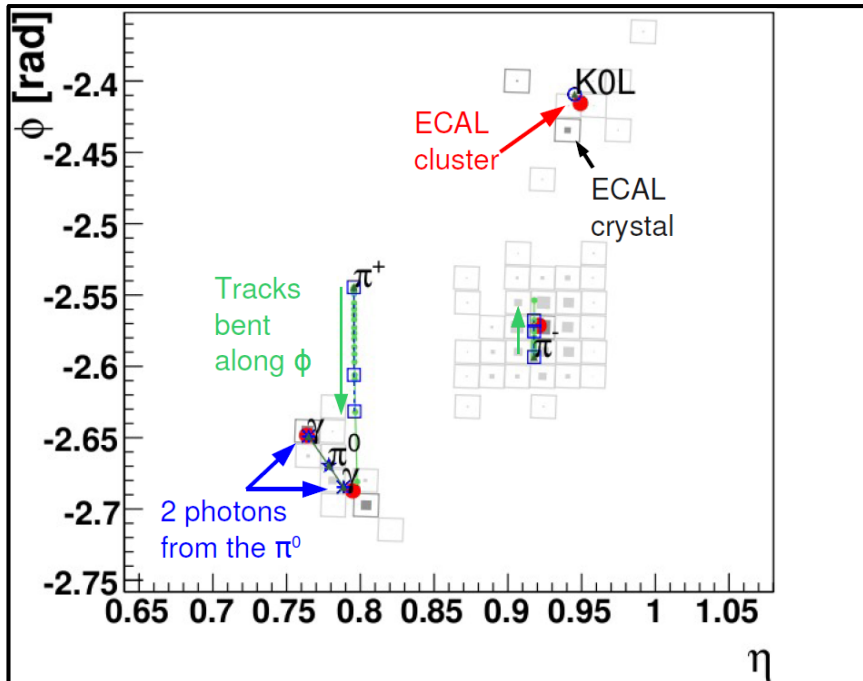
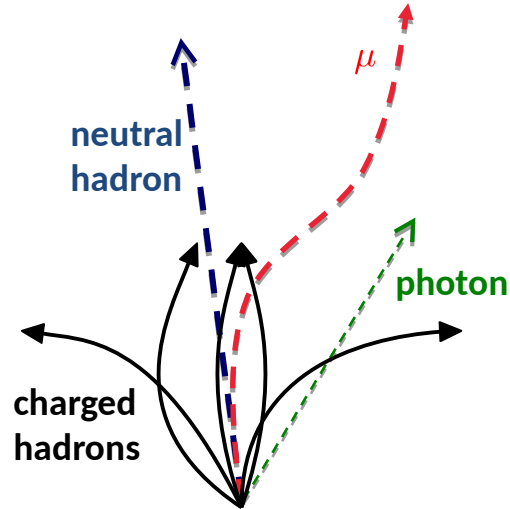


Stable particles:

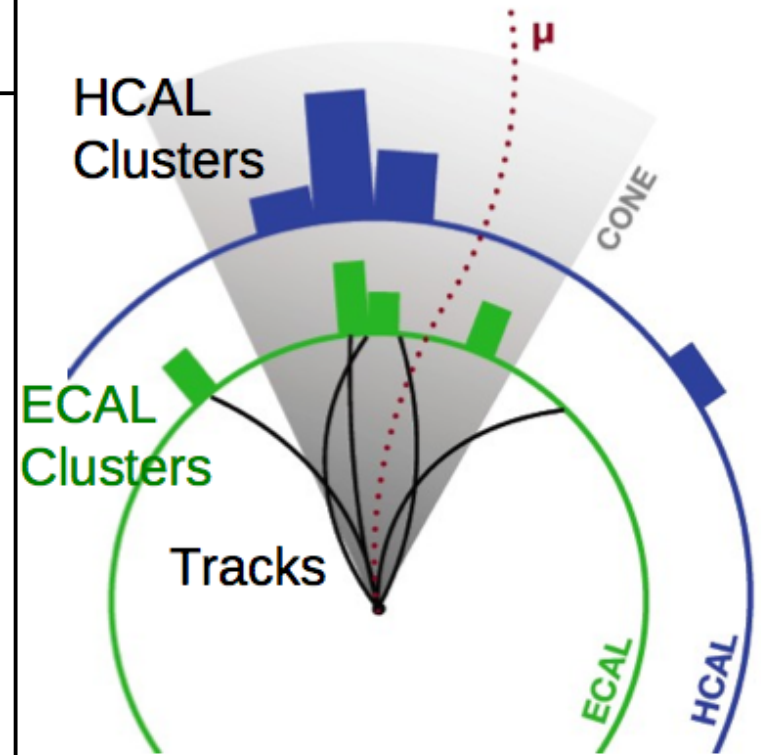
$\gamma, e, \mu, n, p, \pi^\pm, K^\pm$

Particle reconstruction @ CMS

- Combining all energy deposits in the detector to obtain a unique event description.



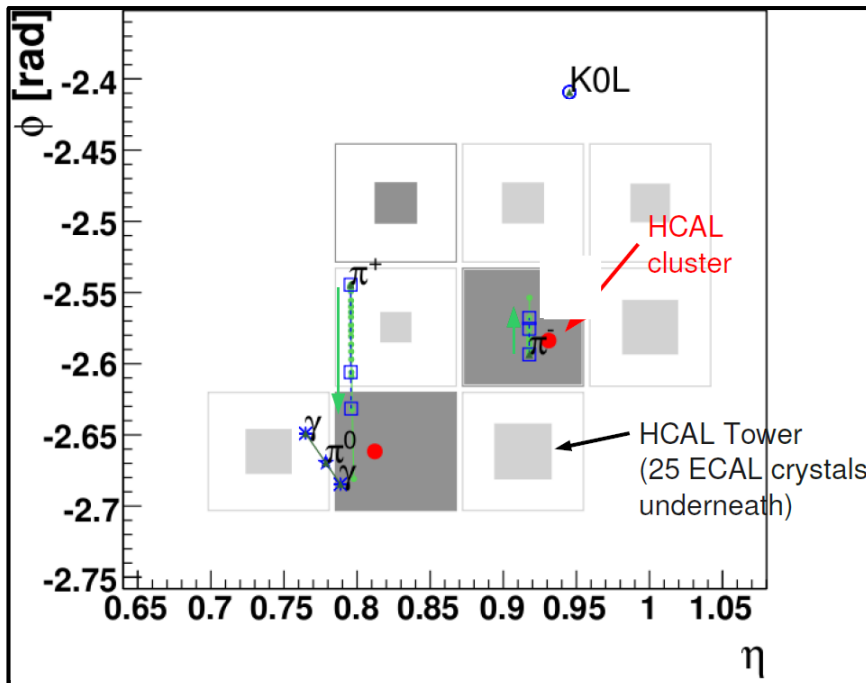
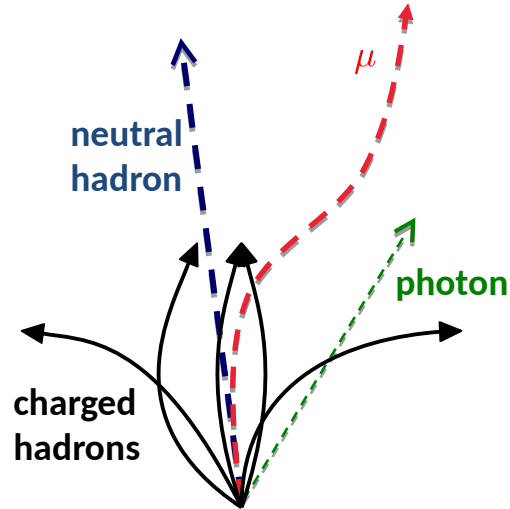
Particle Flow:



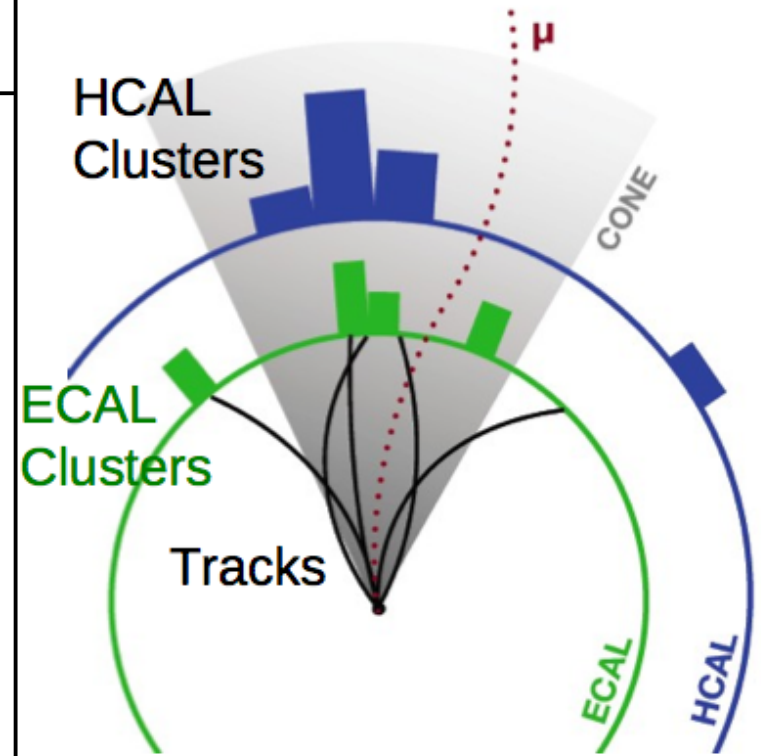
- Unambiguous list of stable particles: muons, electrons, photons, charged & neutral hadrons.

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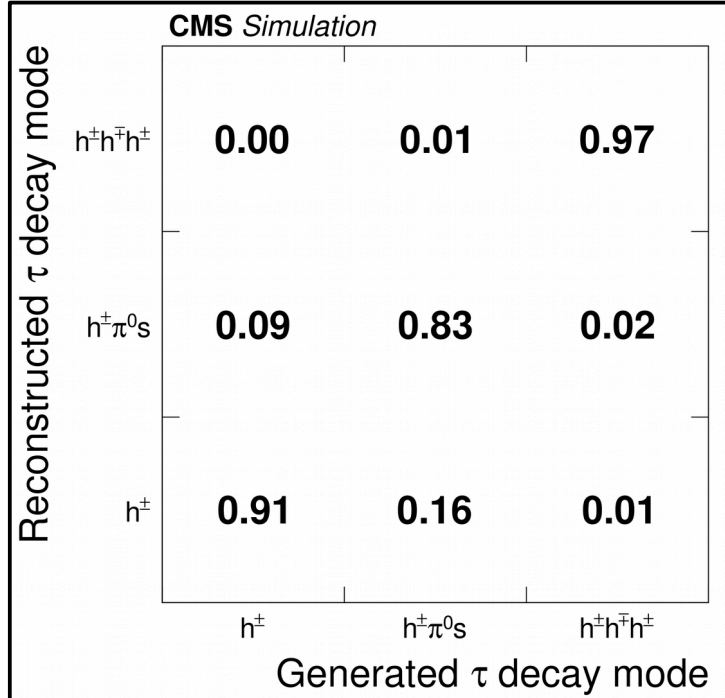
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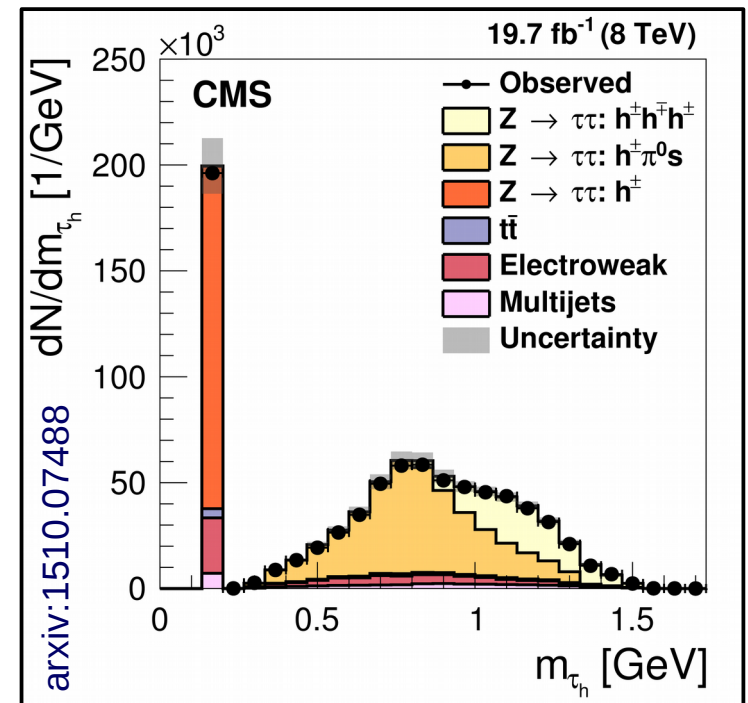
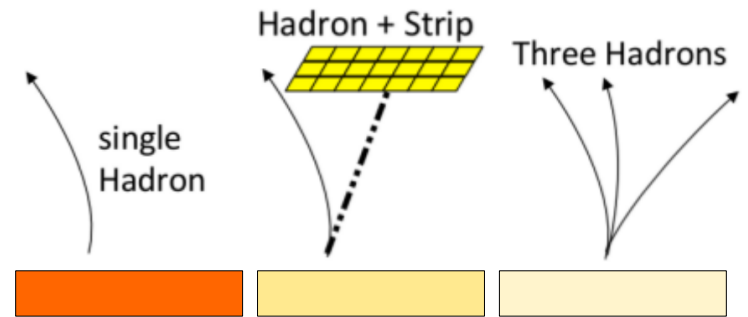
- Unambiguous list of stable particles: muons, electrons, photons, charged & neutral hadrons.

Hadronic τ -decay

- Start from anti- k_T clustered jets of particle flow objects with opening parameter of 0.4.
- Require **one or three high p_T charged hadrons** (\rightarrow prongs).

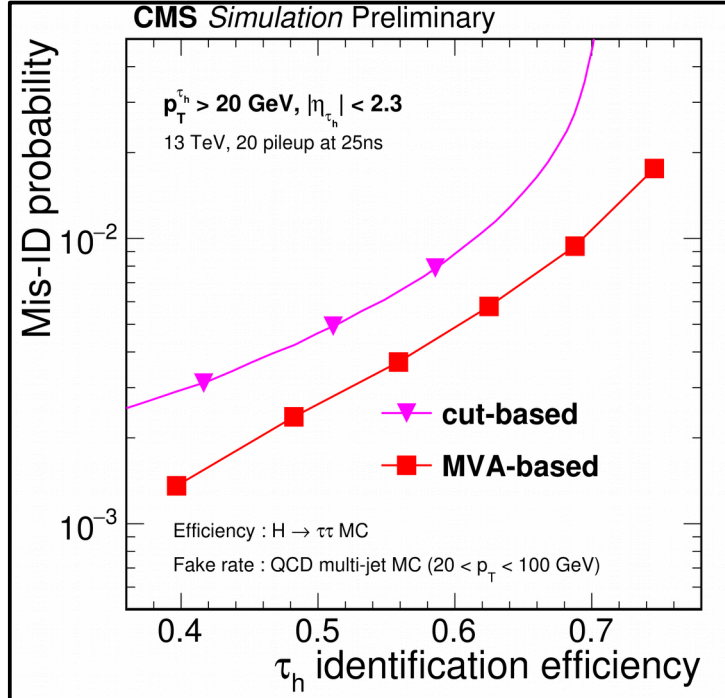


- Apply ID criteria to increase purity.

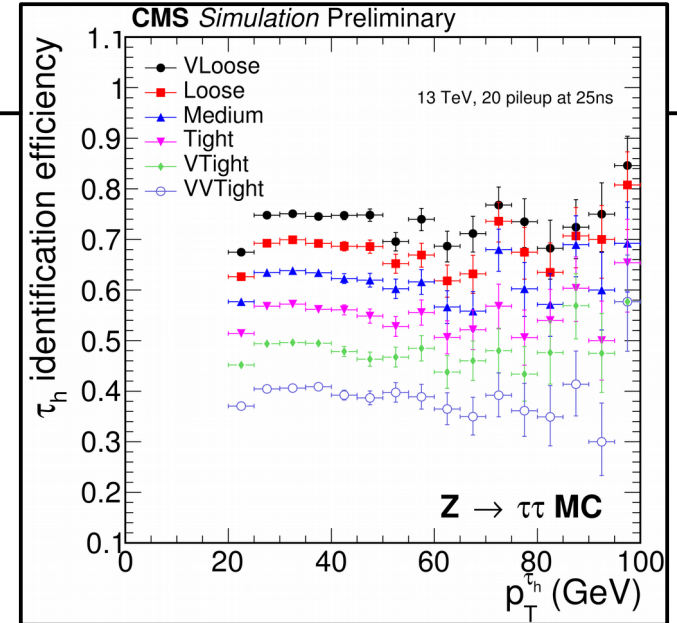


τ_h -Identification

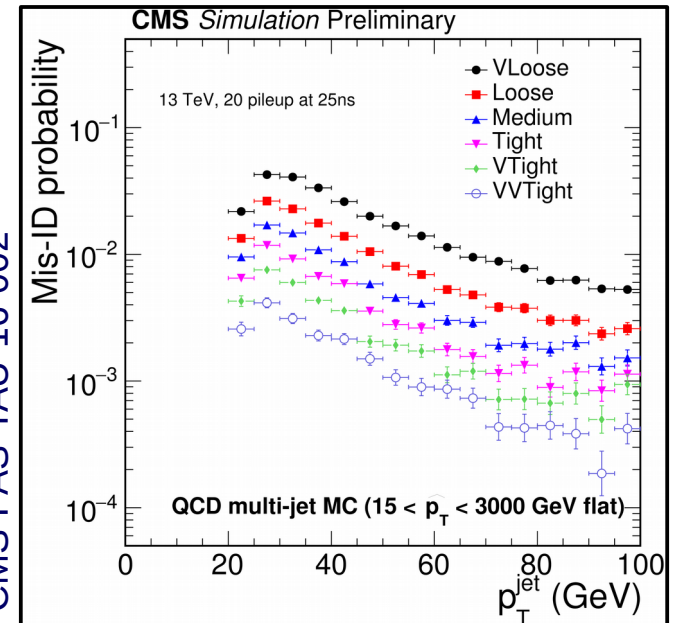
- **MVA based τ_h -identification**: energy deposits close to τ -candidate + impact parameter information on prongs.
- Discrimination against muons and electrons.



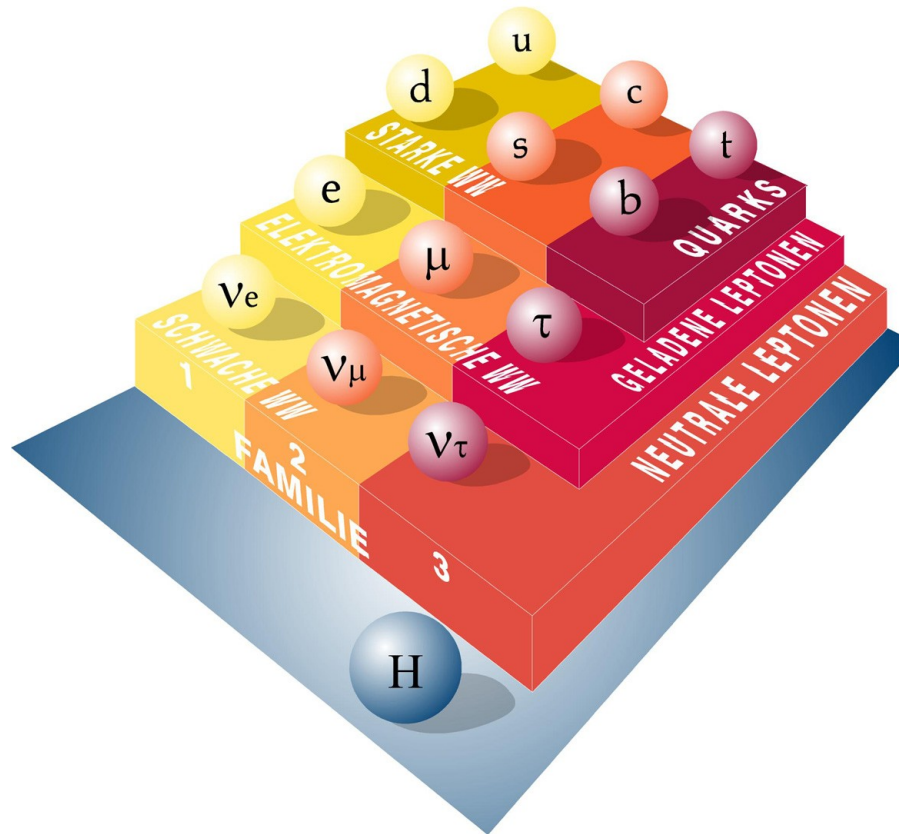
- Predefined working points used in analyses.



CMS-PAS-TAU-16-002



SM $H \rightarrow \tau\tau$ analysis



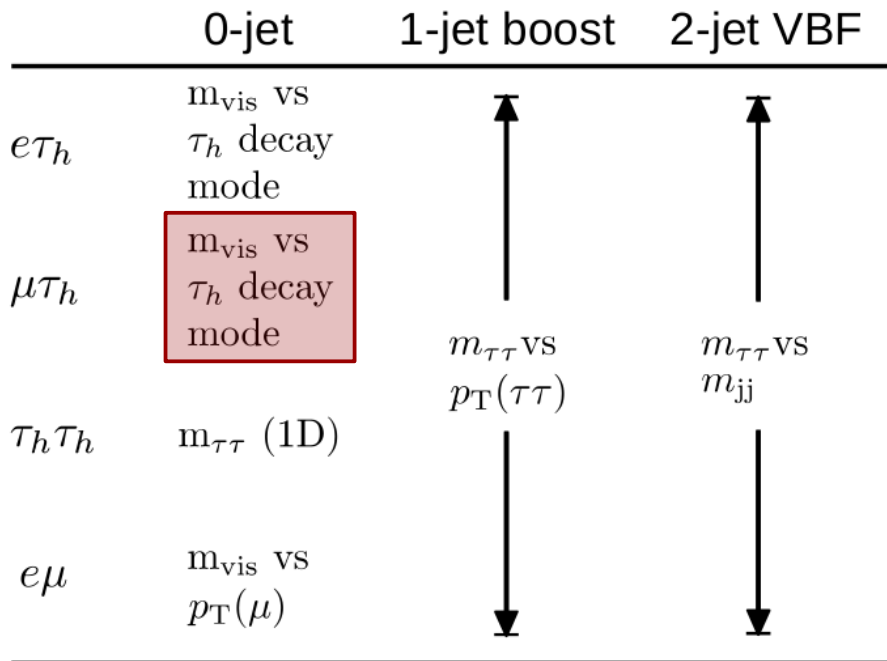
SM $H \rightarrow \tau\tau$ analysis

- Based on 36/fb @ 13 TeV, $e\tau_h$, $\mu\tau_h$, $\tau_h\tau_h$, $e\mu$ channel.
- Statistical inference of signal based on **1D and 2D likelihood discrimination**, depending on final state and event category.

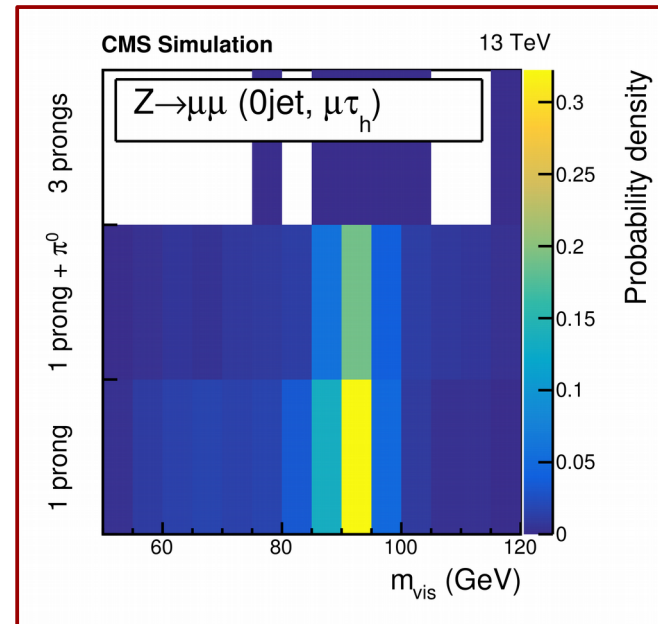
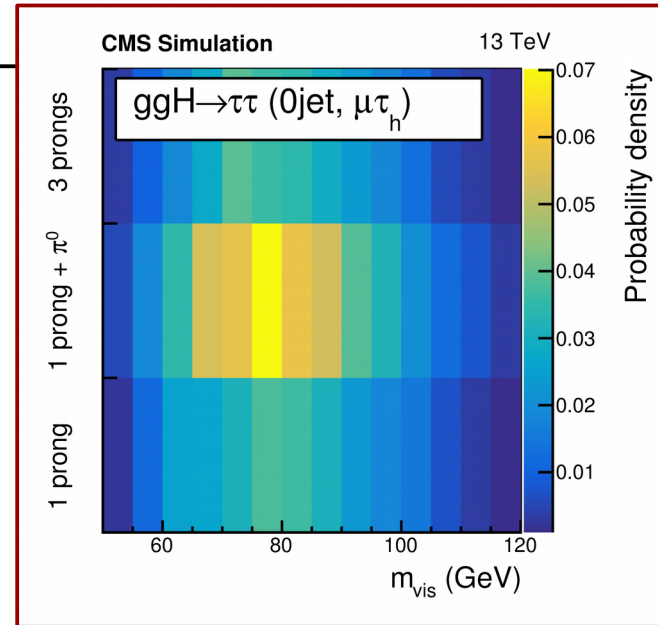
	0-jet	1-jet boost	2-jet VBF
$e\tau_h$	m_{vis} vs τ_h decay mode	\uparrow	\uparrow
$\mu\tau_h$	m_{vis} vs τ_h decay mode	$m_{\tau\tau}$ vs $p_T(\tau\tau)$	$m_{\tau\tau}$ vs m_{jj}
$\tau_h\tau_h$	$m_{\tau\tau}$ (1D)	\downarrow	\downarrow
$e\mu$	m_{vis} vs $p_T(\mu)$	\downarrow	\downarrow

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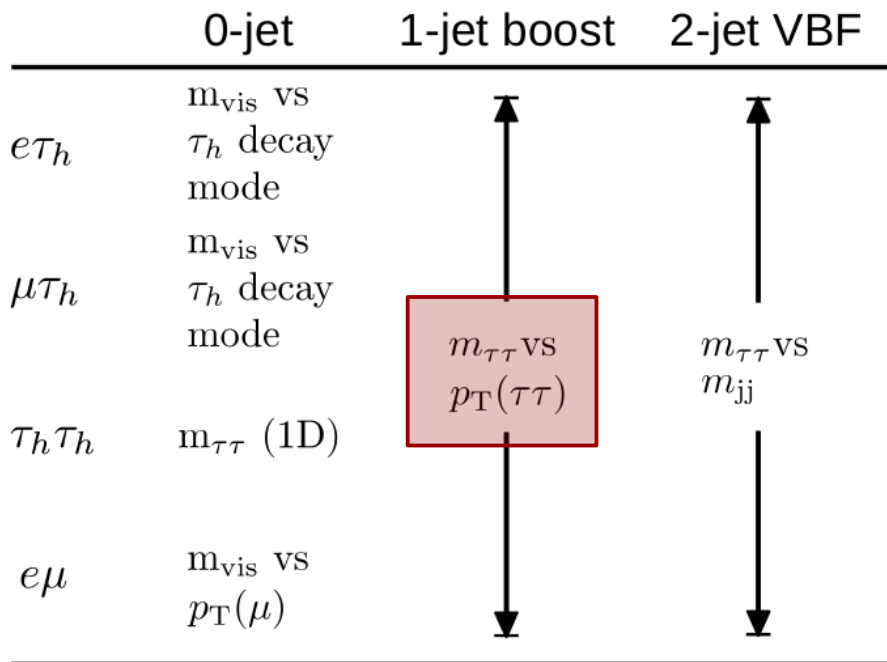


arxiv:1708.00373

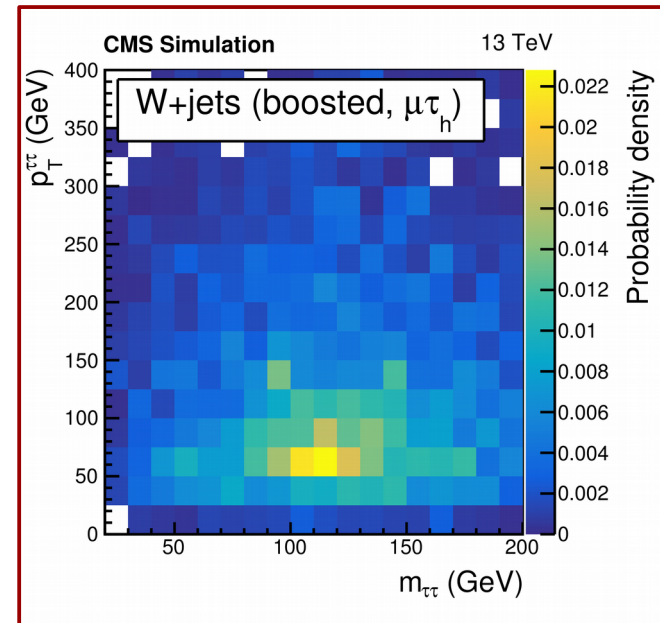
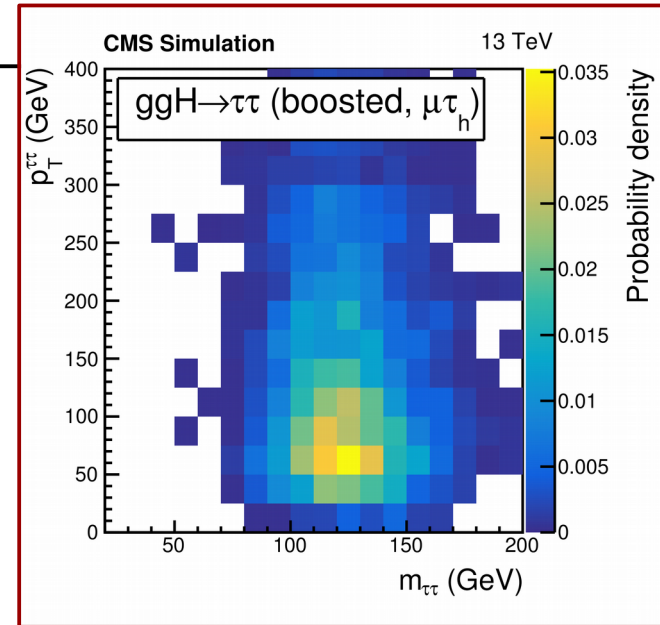


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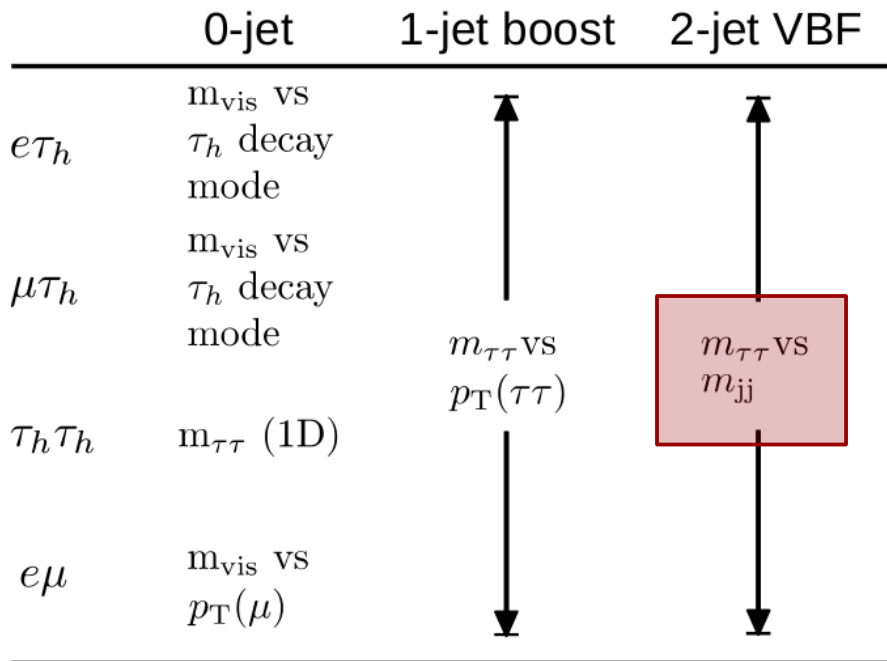


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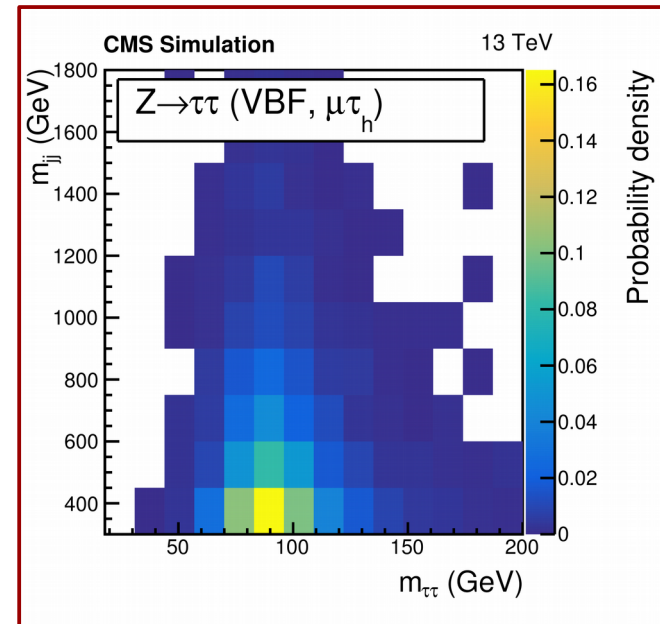
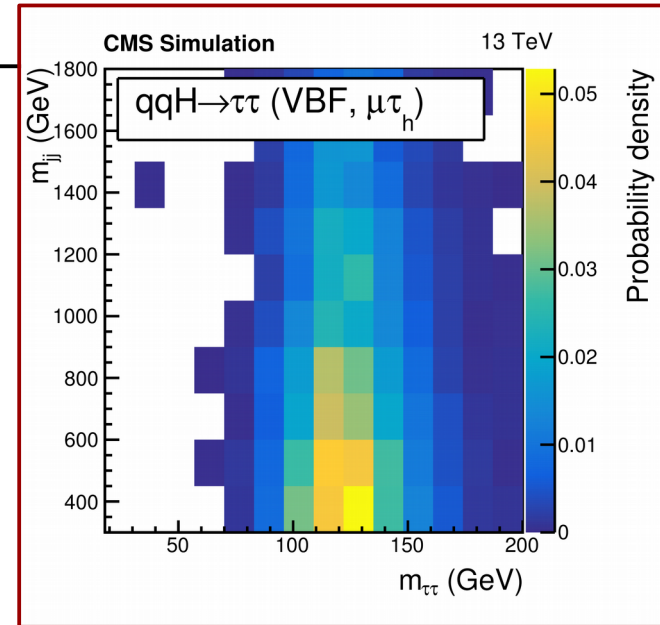


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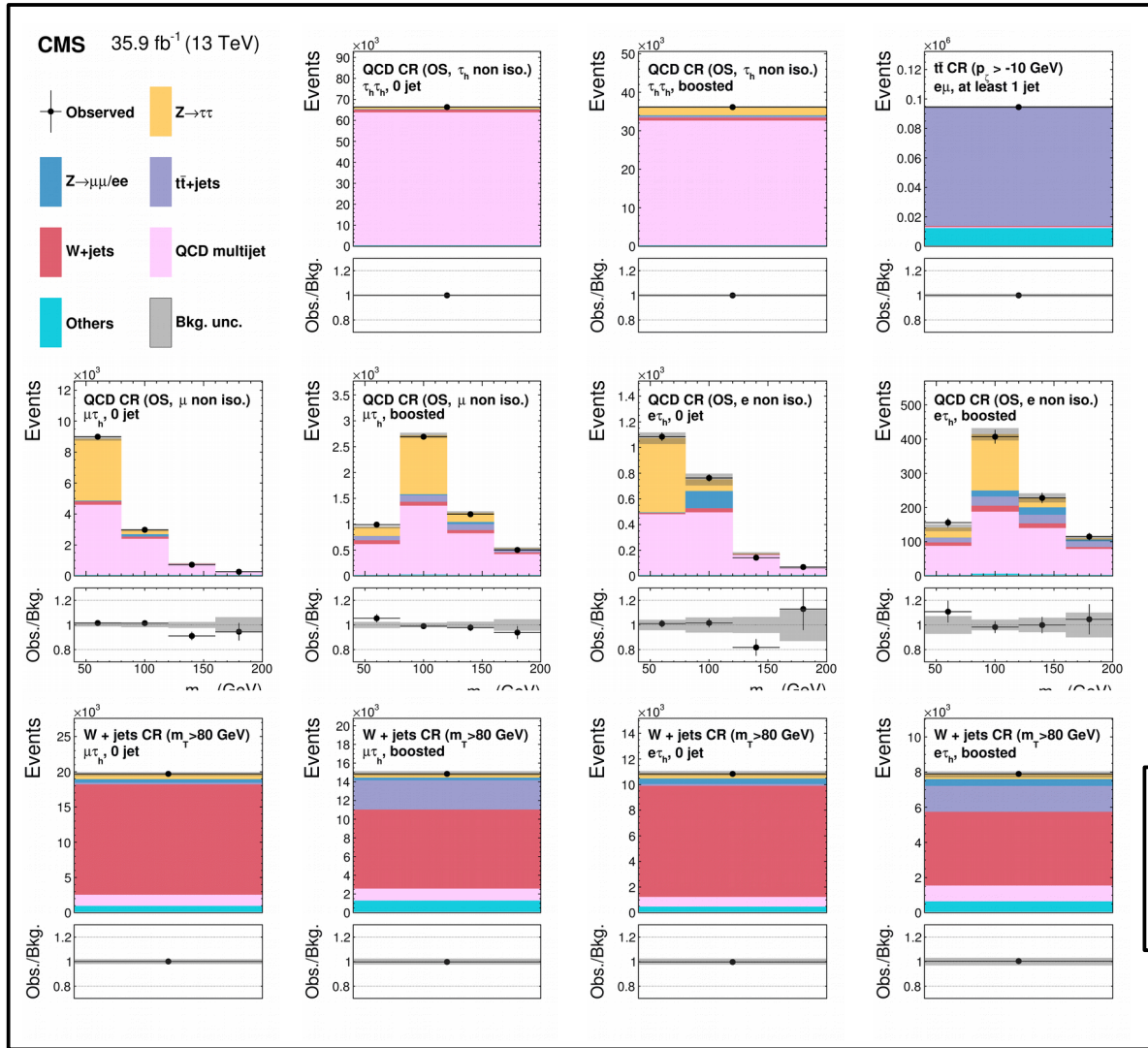


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Background estimation

DY: from simulation w/
corrections from data.



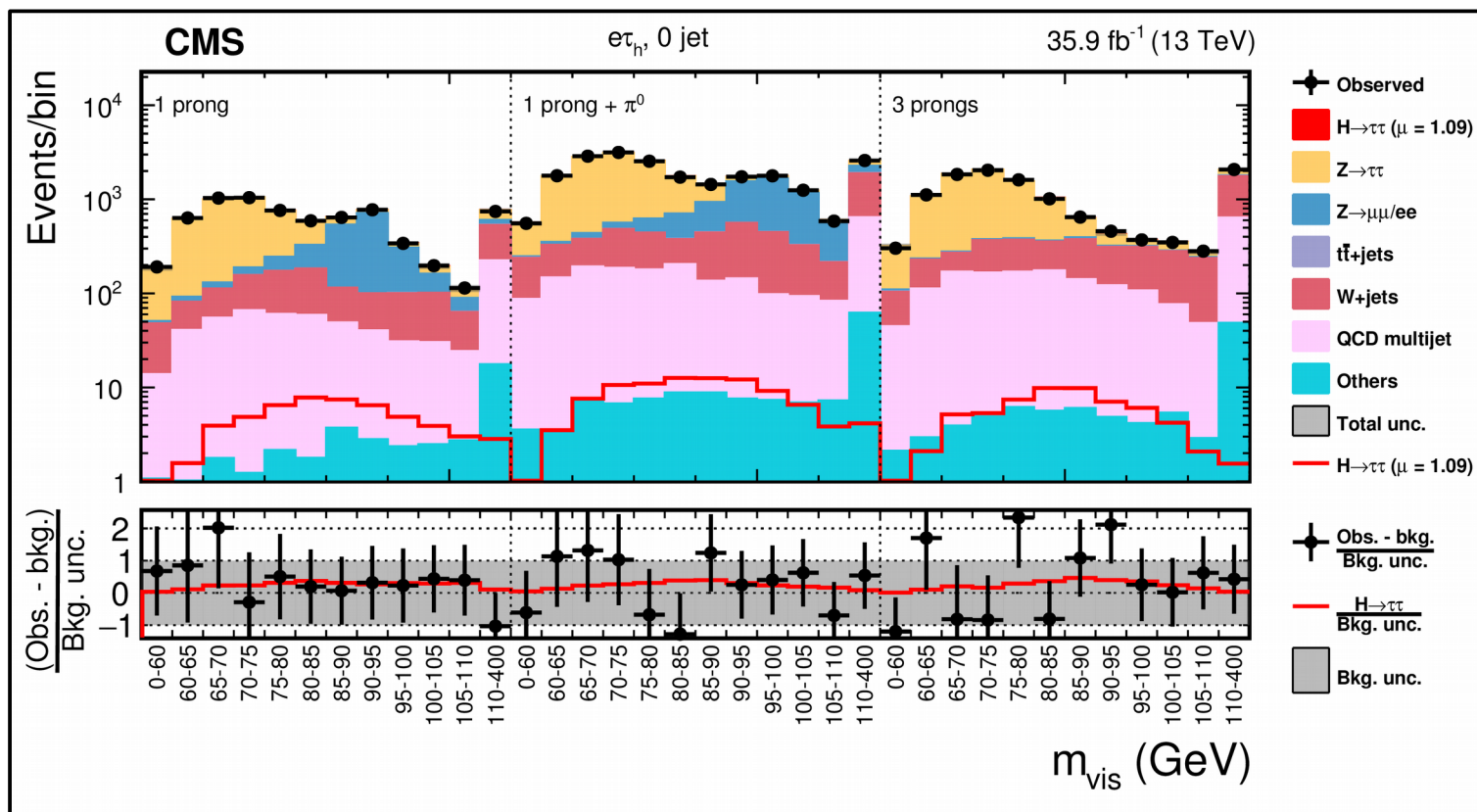
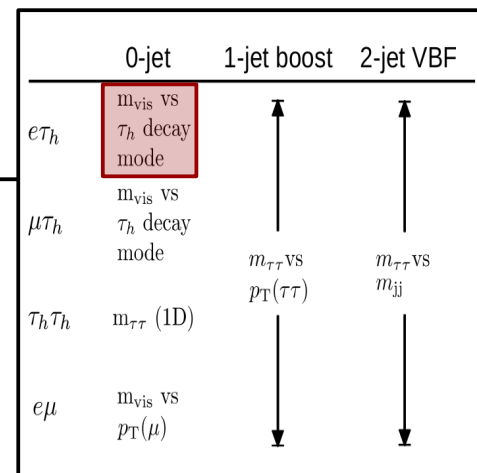
Top-pair production:
from simulation,
normalization from
control region in fit.

QCD: from events w/
same-charge of di- τ
pair or anti-isolated τ .

W+jets: from simulation w/
corrections from data &
controlled during fit.

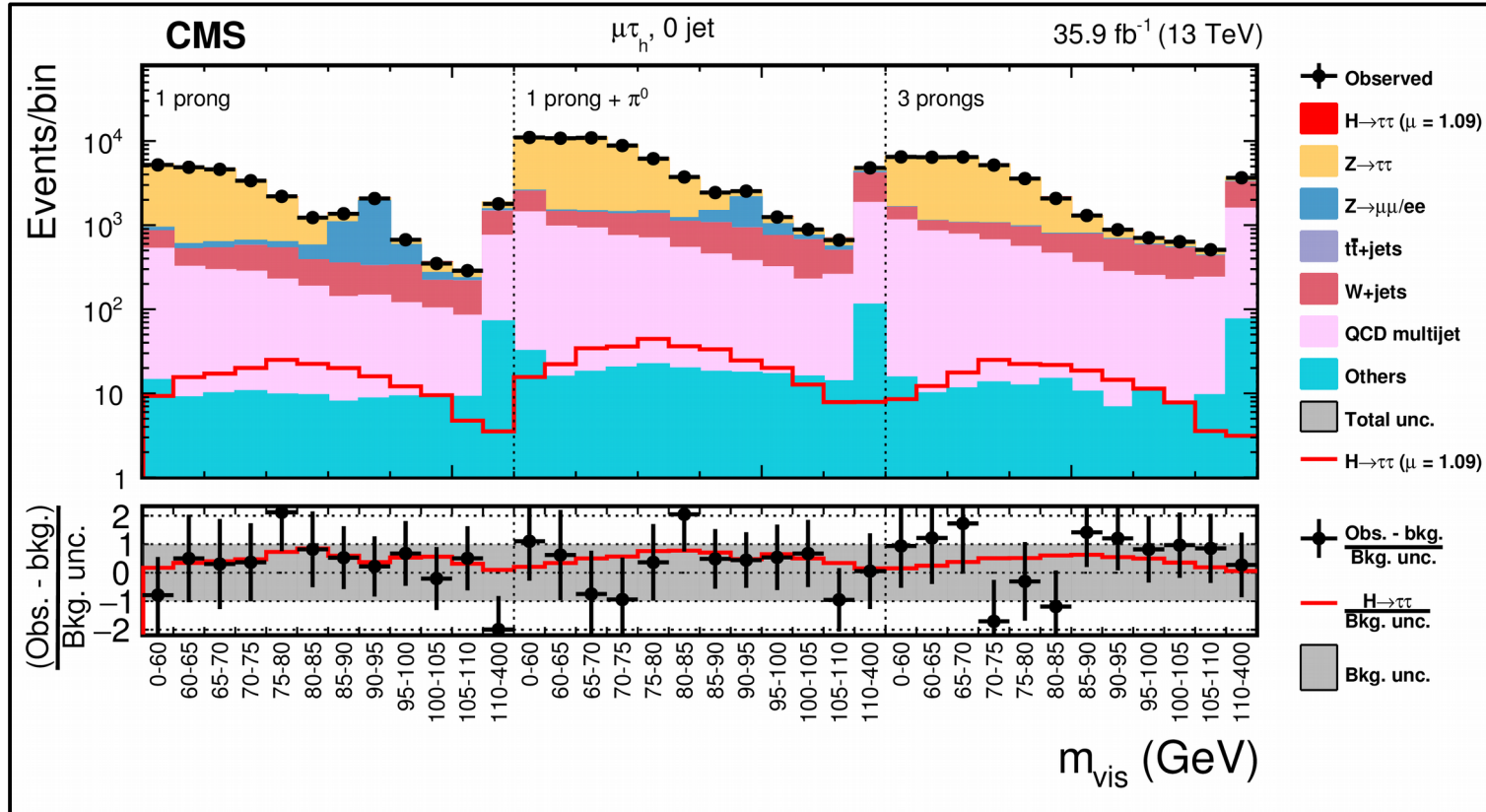
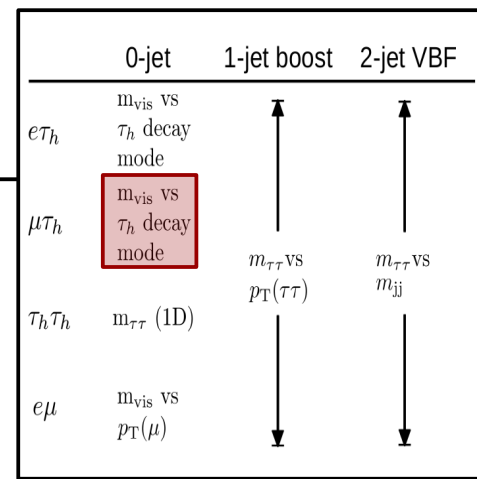
Observation

- Selection of (“unrolled”) input distributions for **statistical inference**:



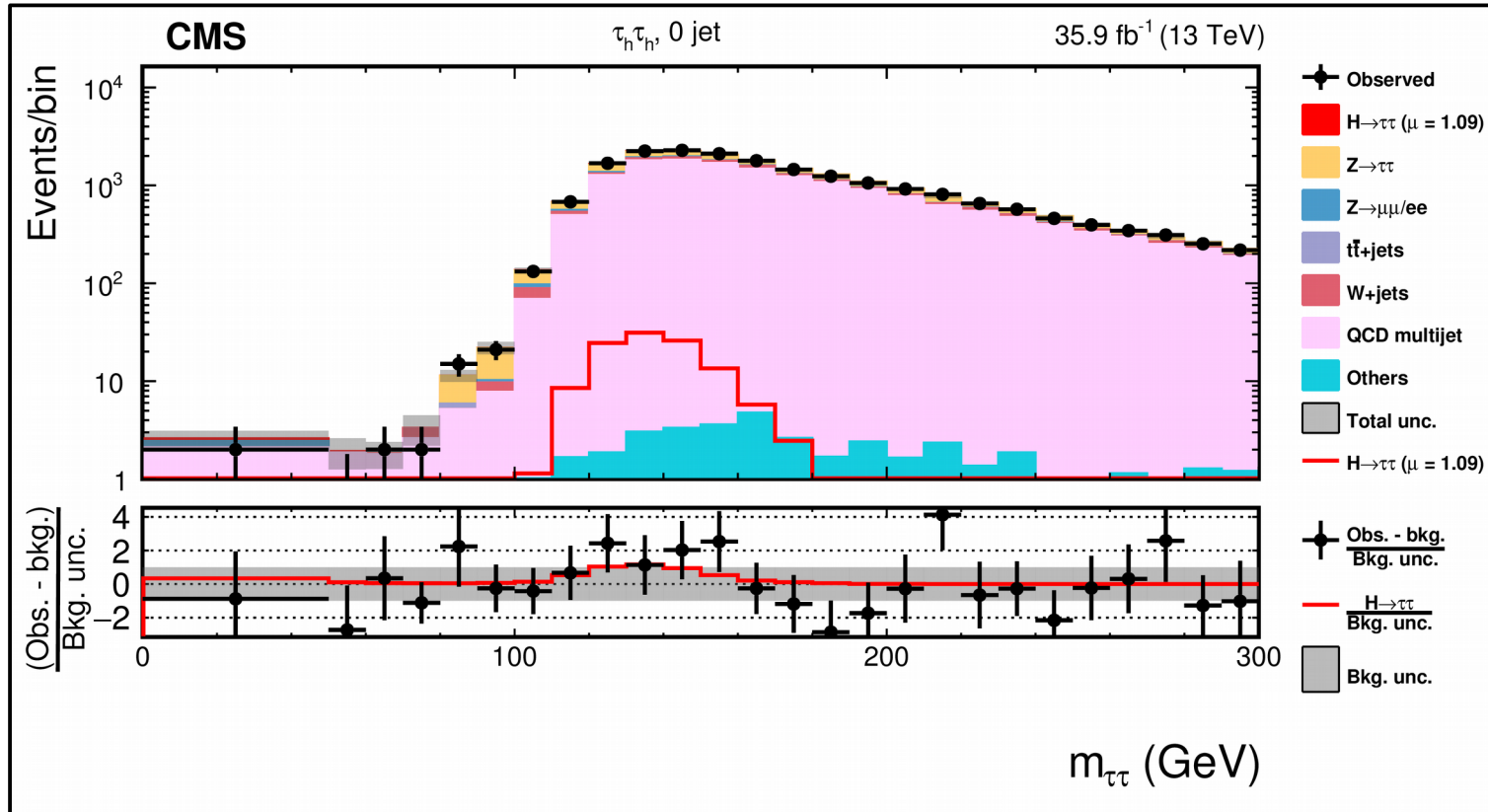
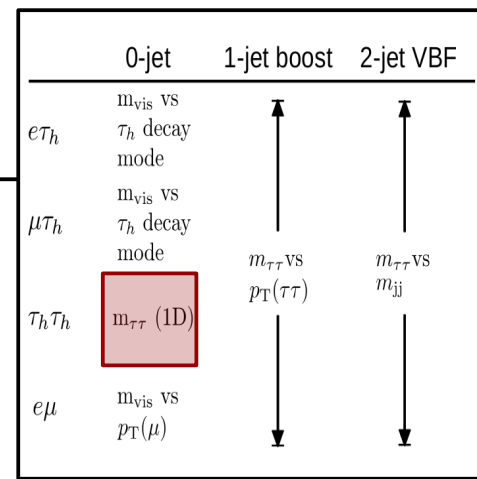
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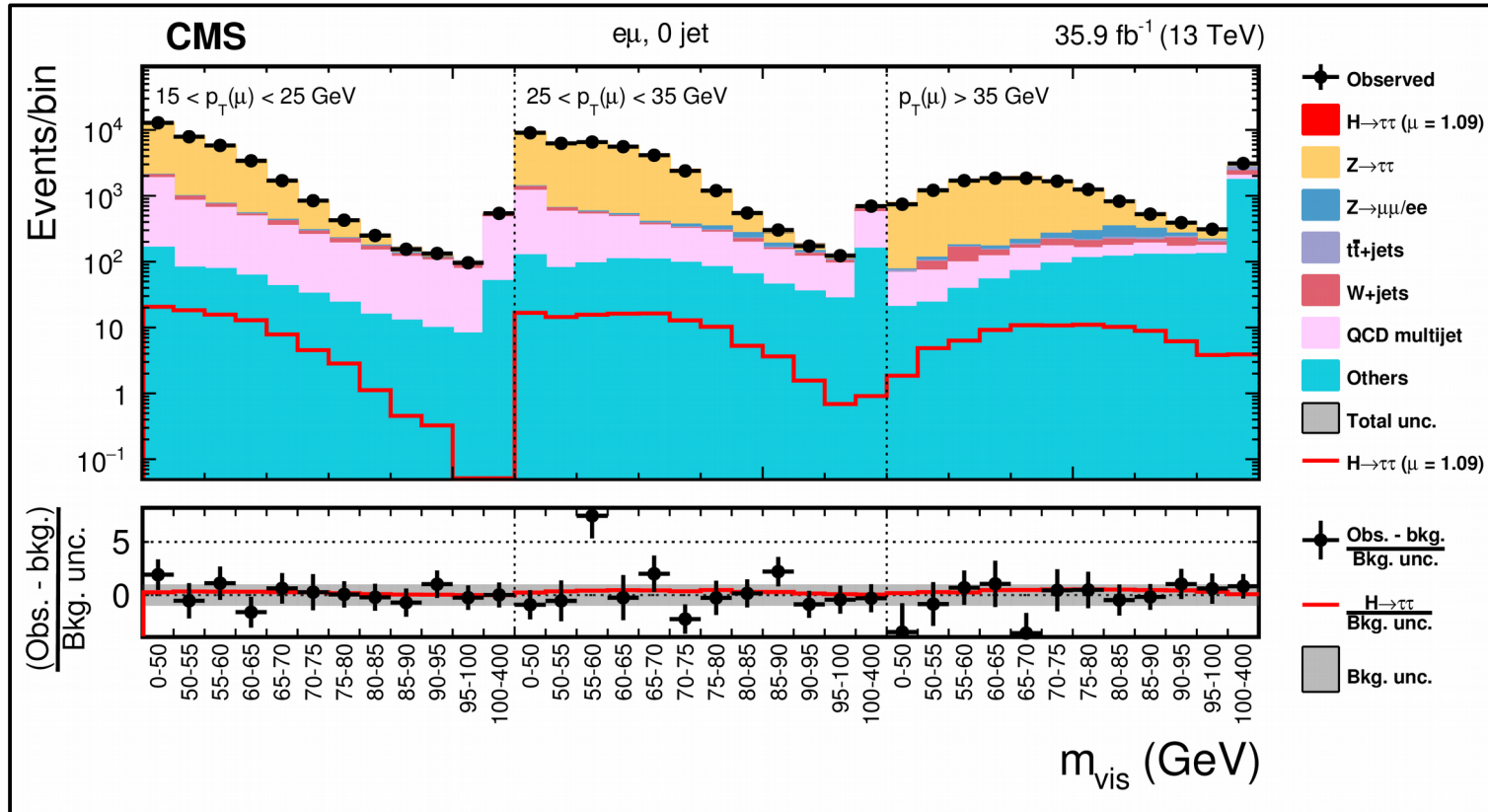
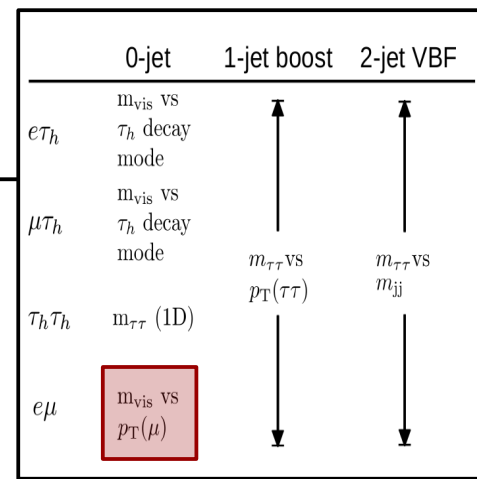
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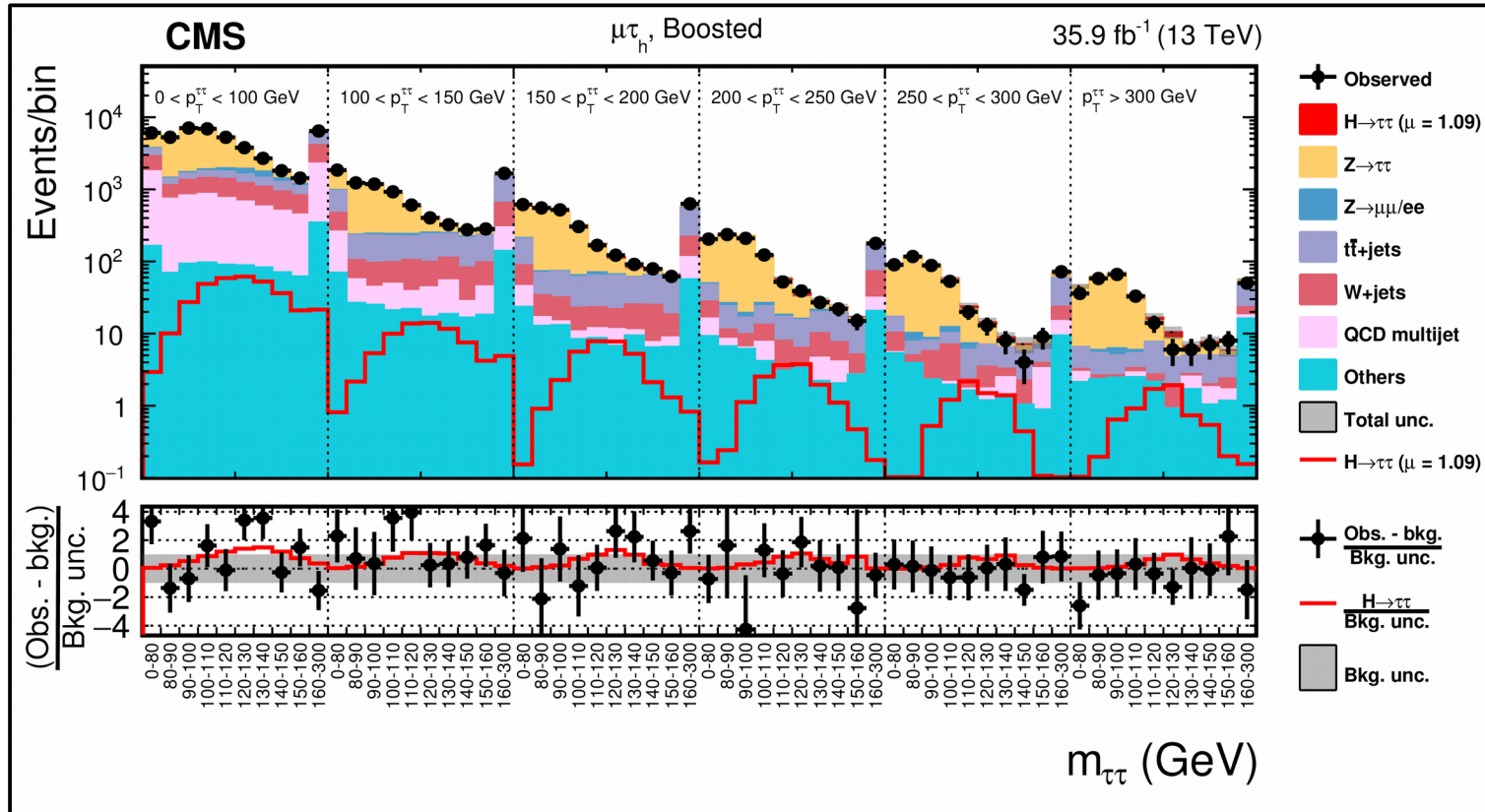
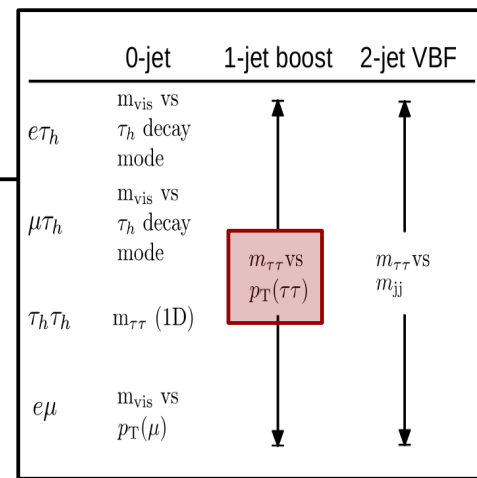
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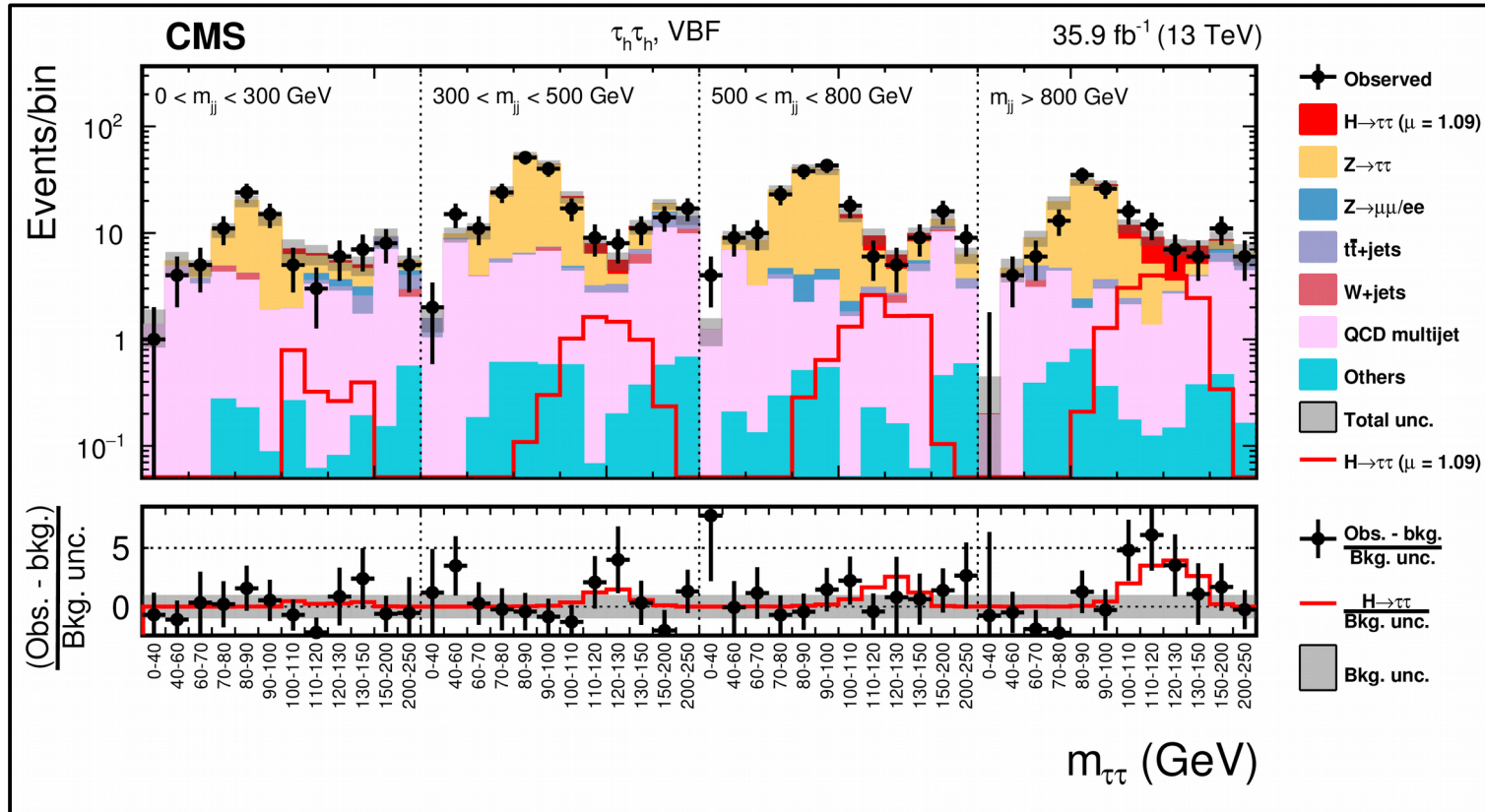
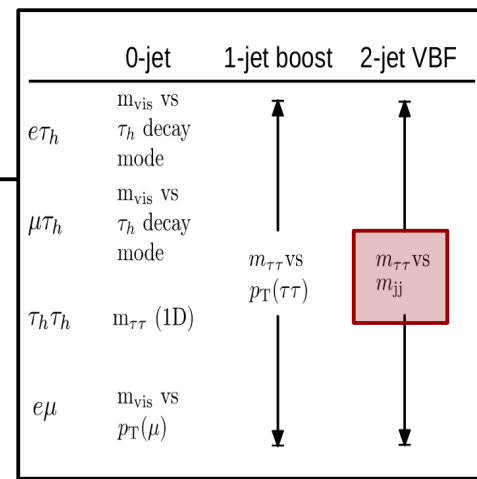
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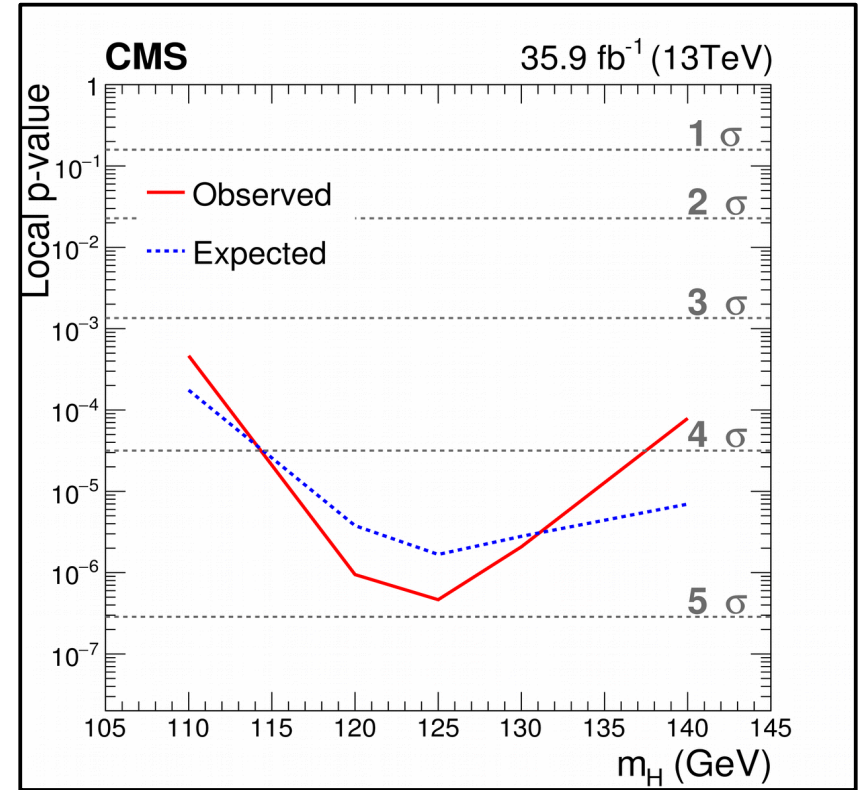
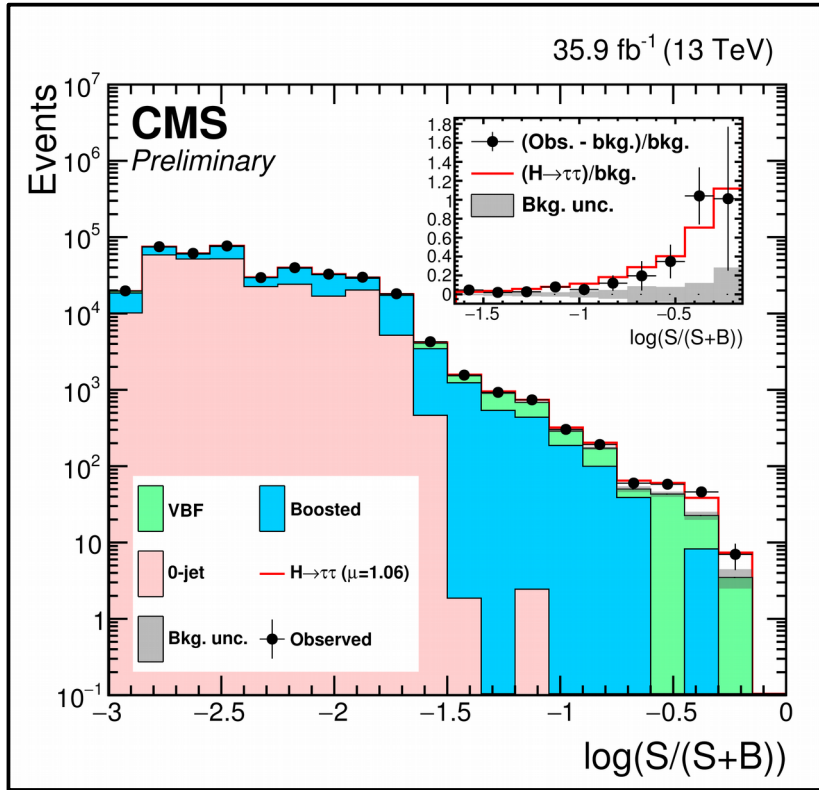
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Results

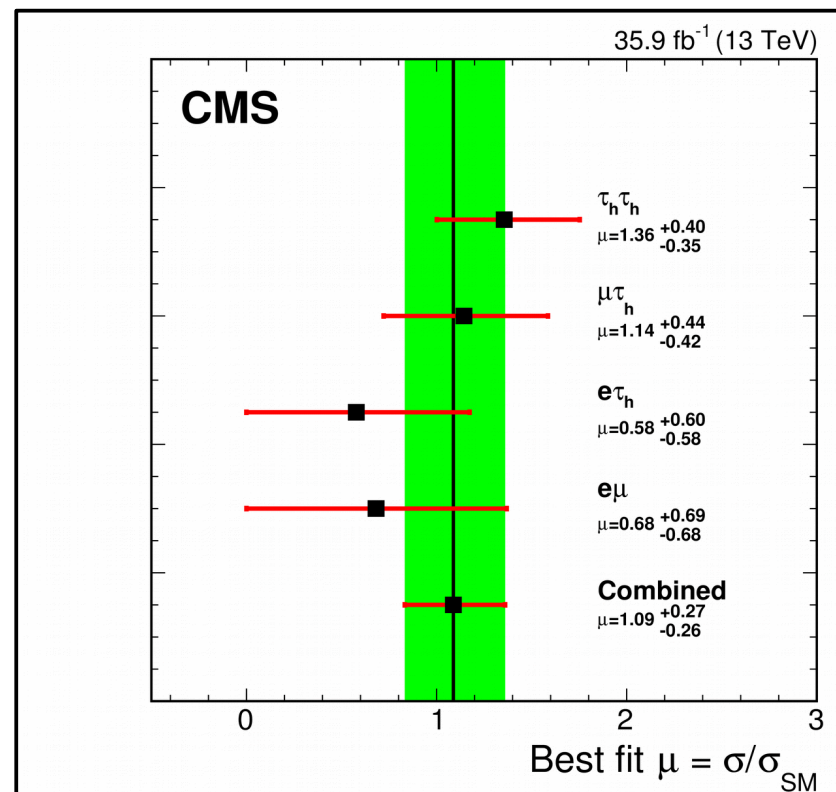
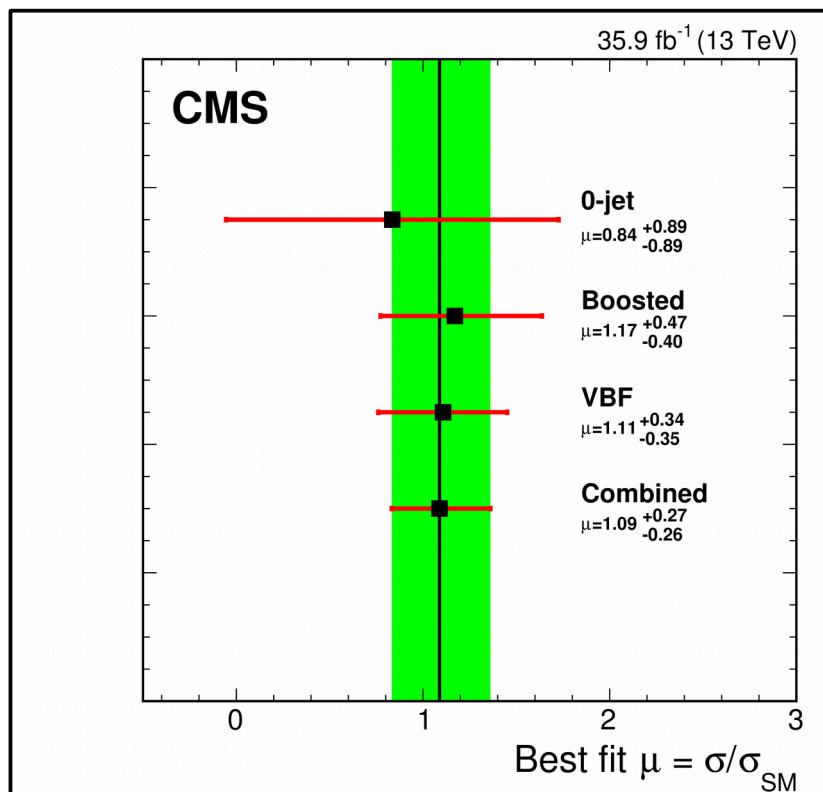
- **Combined ML fit to all distributions in all event categories:**



- Largest **significance** @ 125 GeV $4.9(4.7)\sigma$.
- $5.9(5.9)\sigma$ when combined with the LHC run-1 result.

Results

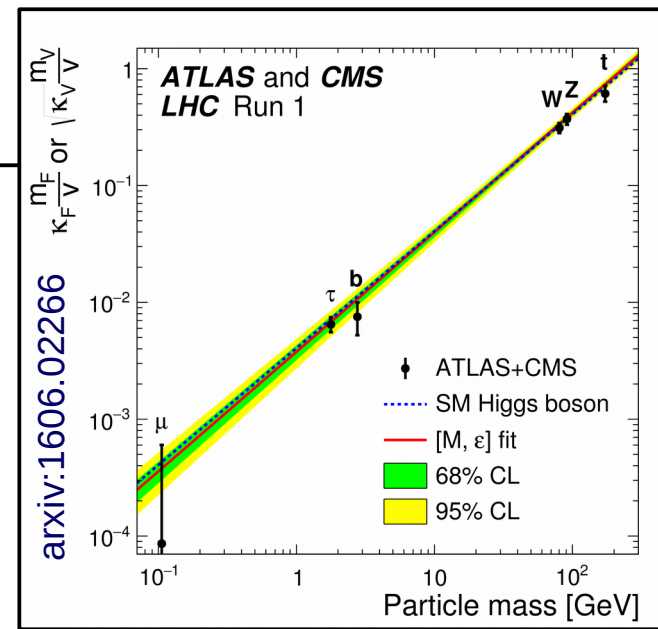
- **Consistency** across production modes (left) and final states (right):



- Overall **signal strength**: $\mu = 1.09 \pm_{0.26}^{0.27}$
- Largest uncertainties equally shared b.t.w. template population, systematics, statistics ($\mathcal{O}(13\%)$), theory uncertainty $\mathcal{O}(10\%)$.

Conclusions part-I

- First single-channel, single-experiment $> 5\sigma$ observation of coupling to fermions.



Conclusions part-I

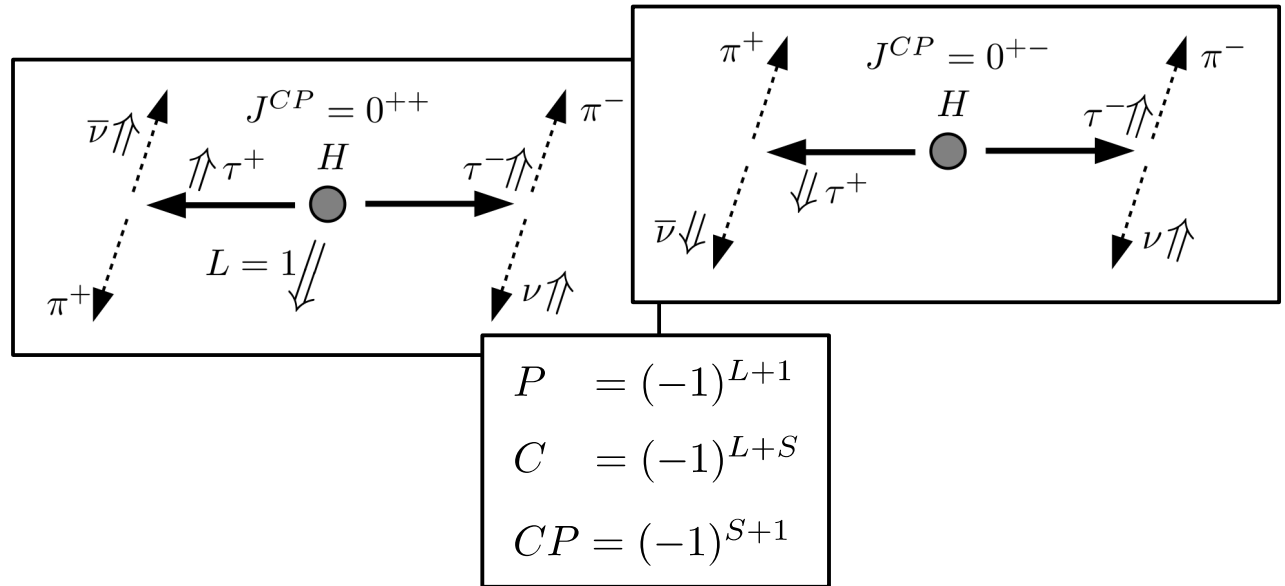
- First single-channel, single-experiment $> 5\sigma$ **observation of coupling to fermions.**
- Major source of Higgs boson events @ 125 GeV (e.g. for study of dedicated final states like VBF).

Decay Channel	$\sqrt{s} = 8 \text{ TeV}, 20 \text{ fb}^{-1}$		$\sqrt{s} = 13 \text{ TeV}, 300 \text{ fb}^{-1}$				
	inclusive	inclusive	$gg \rightarrow H$	$qq \rightarrow H$	WH	ZH	$t\bar{t}H$
$\gamma\gamma$	1k	37k	32k	2,5k	1k	750	375
ZZ	50	2k	1,75k	140	60	40	10
WW	5k	200k	175k	14k	6k	4k	1k
$b\bar{b}$	250k	10 000k	8 750k	700k	300k	200k	50k
$\tau\tau$	30k	1 000k	875k	70k	30k	20k	5k
$\mu\mu$	100	3.7k	3.2k	250	100	70	30

based on $\sigma \cdot BR$ before reconstruction

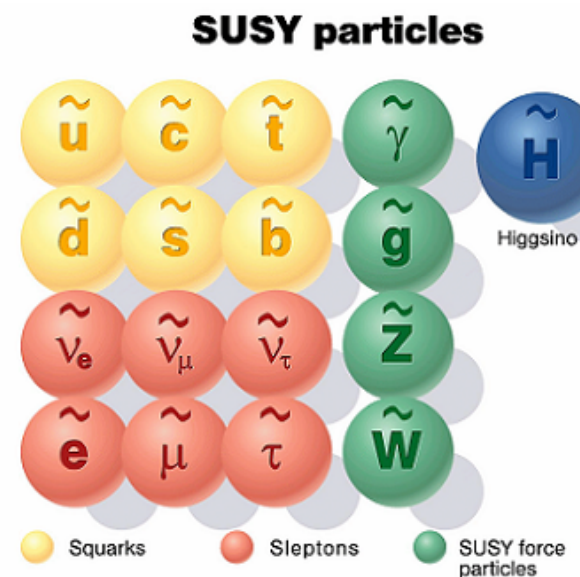
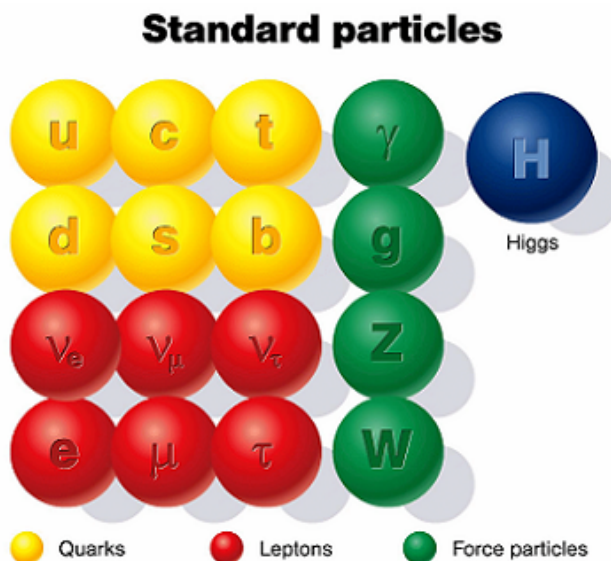
Conclusions part-I

- First single-channel, single-experiment $> 5\sigma$ **observation of coupling to fermions.**
- Major source of Higgs boson events @ 125 GeV (e.g. for study of dedicated final states like VBF).
- Only unbiased environment to measure CP of the Higgs boson:

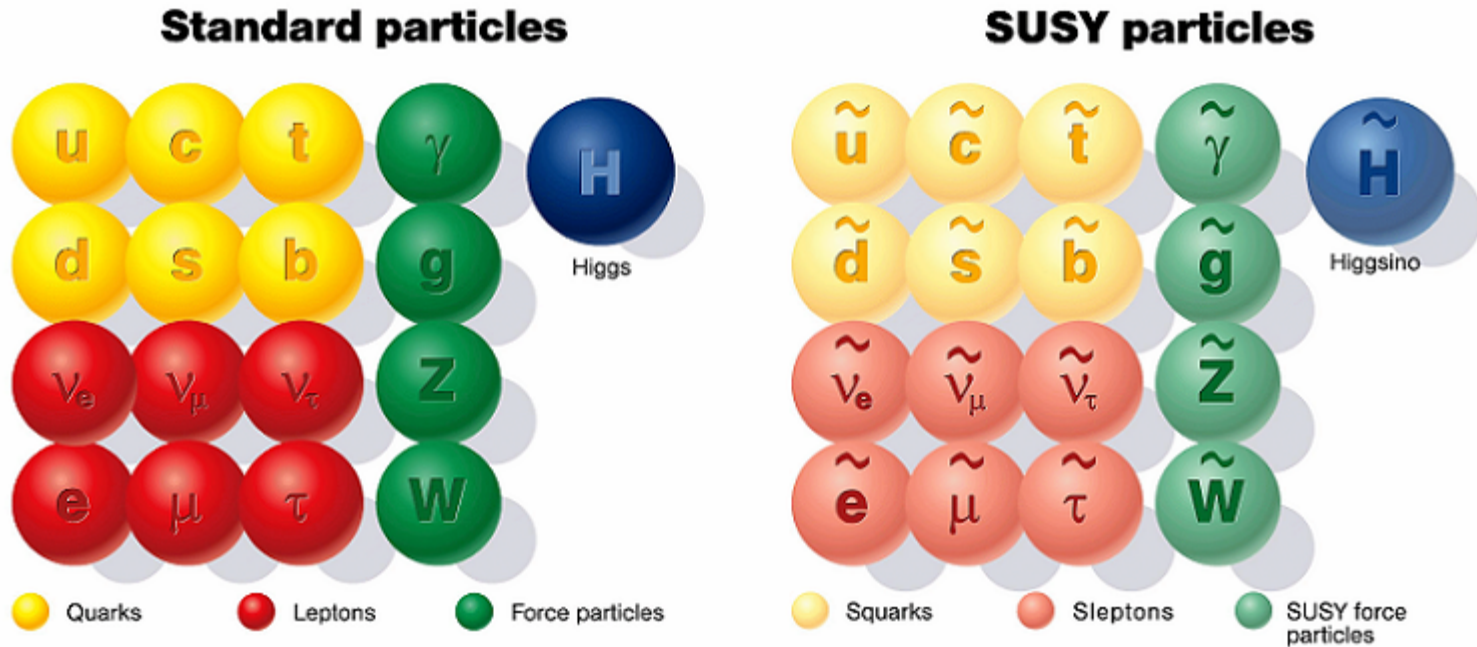


Conclusions part-I

- First single-channel, single-experiment $> 5\sigma$ **observation of coupling to fermions.**
- Major source of Higgs boson events @ 125 GeV (e.g. for study of dedicated final states like VBF).
- Only unbiased environment to measure CP of the Higgs boson:
- Prime source to search for non-trivial extended Higgs sectors (\rightarrow e.g. in SUSY, see next slides)!



MSSM $H \rightarrow \tau\tau$ analysis^(*)



(*) as proxy for a well motivated THDM extension of the SM

Higgs Bosons in the MSSM

- Any 2 Higgs Doublet Model (2HDM) predicts **five Higgs bosons**:

$$\phi_u = \begin{pmatrix} \phi_u^+ \\ \phi_u^0 \end{pmatrix}, \quad Y_{\phi_u} = +1, \quad v_u : \text{VEV}_u$$

$$\phi_d = \begin{pmatrix} \phi_d^0 \\ \phi_d^- \end{pmatrix}, \quad Y_{\phi_d} = -1, \quad v_d : \text{VEV}_d$$

$$N_{\text{ndof}} = 8 \quad - \underbrace{3}_{W, Z} = \underbrace{5}_{H^\pm, H, h, A}$$

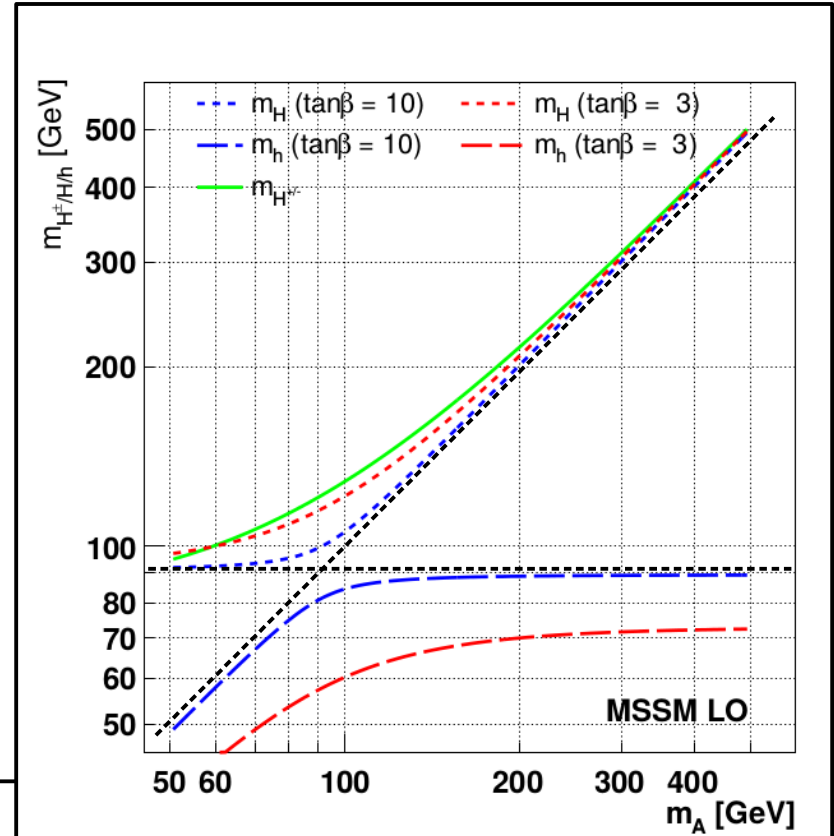
- Strict mass requirements at tree level:**
two free parameters: $m_A, \tan \beta = v_u/v_d$

$$m_{H^\pm}^2 = m_A^2 + m_W^2$$

$$m_{H, h}^2 = \frac{1}{2} \left(m_A^2 + m_Z^2 \pm \sqrt{(m_A^2 + m_Z^2)^2 - 4m_A^2 m_Z^2 \cos^2 2\beta} \right)$$

$$\tan \alpha = \frac{-(m_A^2 + m_Z^2) \sin 2\beta}{(m_Z^2 - m_A^2) \cos 2\beta + \sqrt{(m_A^2 + m_Z^2)^2 - 4m_A^2 m_Z^2 \cos^2 2\beta}}$$

α : angle between H and h in mass matrix



Mass of observed Higgs Boson and $\tan \beta$

$$\Delta m_h^2 \frac{3}{(4\pi)^2} \frac{m_t^4}{v^2} \left(\ln \left(\frac{m_{\tilde{t}}^2}{m_t^2} \right) + \frac{X_t^2}{m_{\tilde{t}}^2} \left(1 - \frac{X_t^2}{12m_{\tilde{t}}^2} \right) \right)$$

- 30% of m_h due to higher order corrections.
- Following factors help to increase m_h : large m_t , large $m_{\tilde{t}}$, large X_t and large $\tan \beta$.

$$X_t = m_t (A_t - \mu \cot \beta)$$

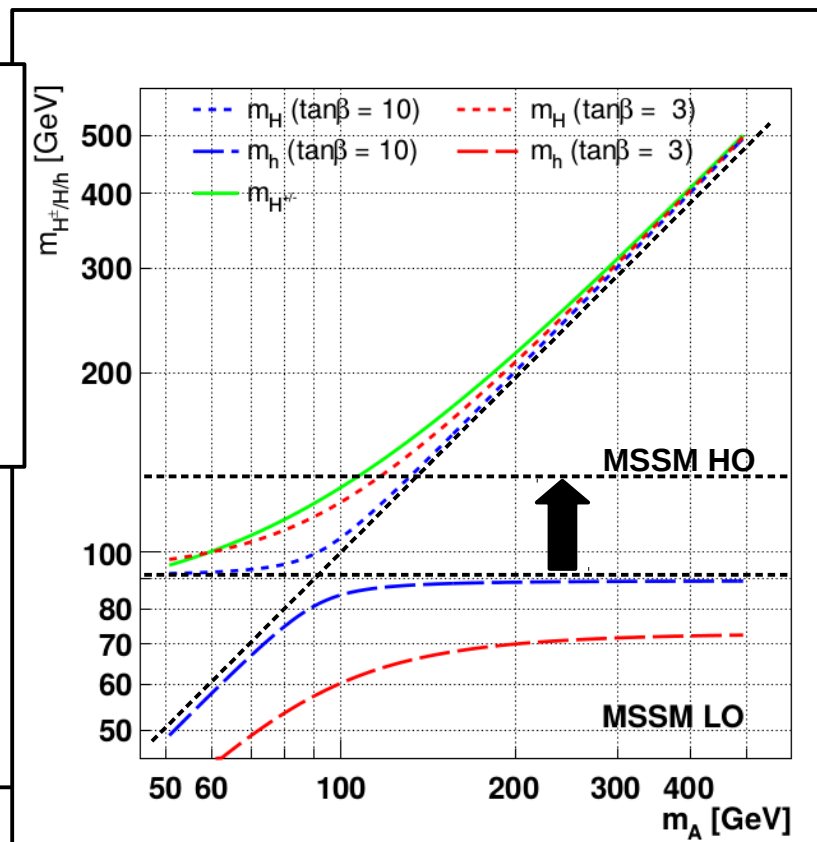
- **Strict mass requirements at tree level:**
two free parameters: m_A , $\tan \beta = v_u/v_d$

$$m_{H^\pm}^2 = m_A^2 + m_W^2$$

$$m_{H,h}^2 = \frac{1}{2} \left(m_A^2 + m_Z^2 \pm \sqrt{(m_A^2 + m_Z^2)^2 - 4m_A^2 m_Z^2 \cos^2 2\beta} \right)$$

$$\tan \alpha = \frac{-(m_A^2 + m_Z^2) \sin 2\beta}{(m_Z^2 - m_A^2) \cos 2\beta + \sqrt{(m_A^2 + m_Z^2)^2 - 4m_A^2 m_Z^2 \cos^2 2\beta}}$$

α : angle between H and h in mass matrix

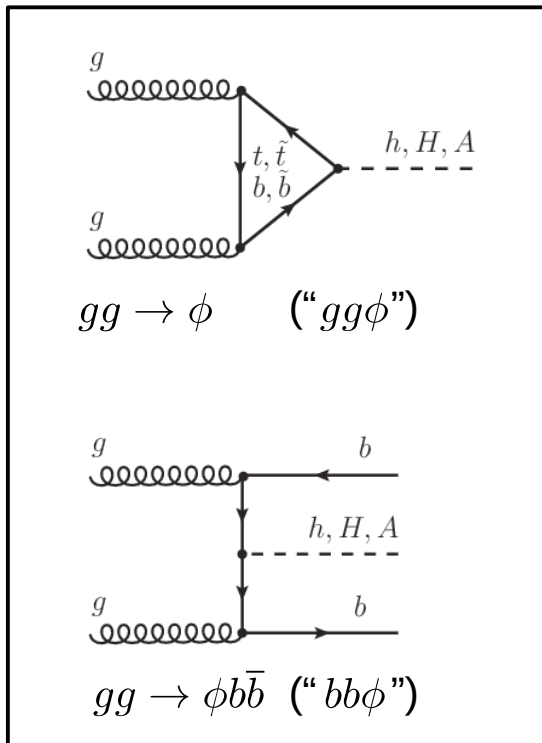


Special role of down-type fermions

	g_{VV}/g_{VV}^{SM}	g_{uu}/g_{uu}^{SM}	g_{dd}/g_{dd}^{SM}
A	—	$\gamma_5 \cot \beta$	$\gamma_5 \tan \beta$
H	$\cos(\beta - \alpha) \rightarrow 0$	$\sin \alpha / \sin \beta \rightarrow \cot \beta$	$\cos \alpha / \cos \beta \rightarrow \tan \beta$
h	$\sin(\beta - \alpha) \rightarrow 1$	$\cos \alpha / \sin \beta \rightarrow 1$	$-\sin \alpha / \cos \beta \rightarrow 1$

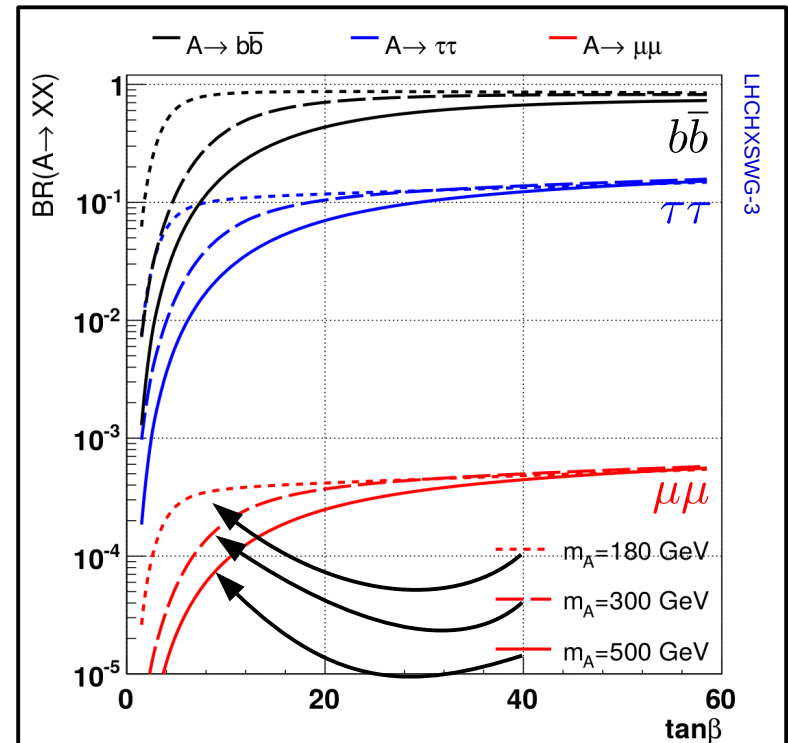
For $m_A \gg m_Z$: $\alpha \rightarrow \beta - \pi/2$ (coupling to down-type fermions enhanced by $\tan \beta$).

Production modes:

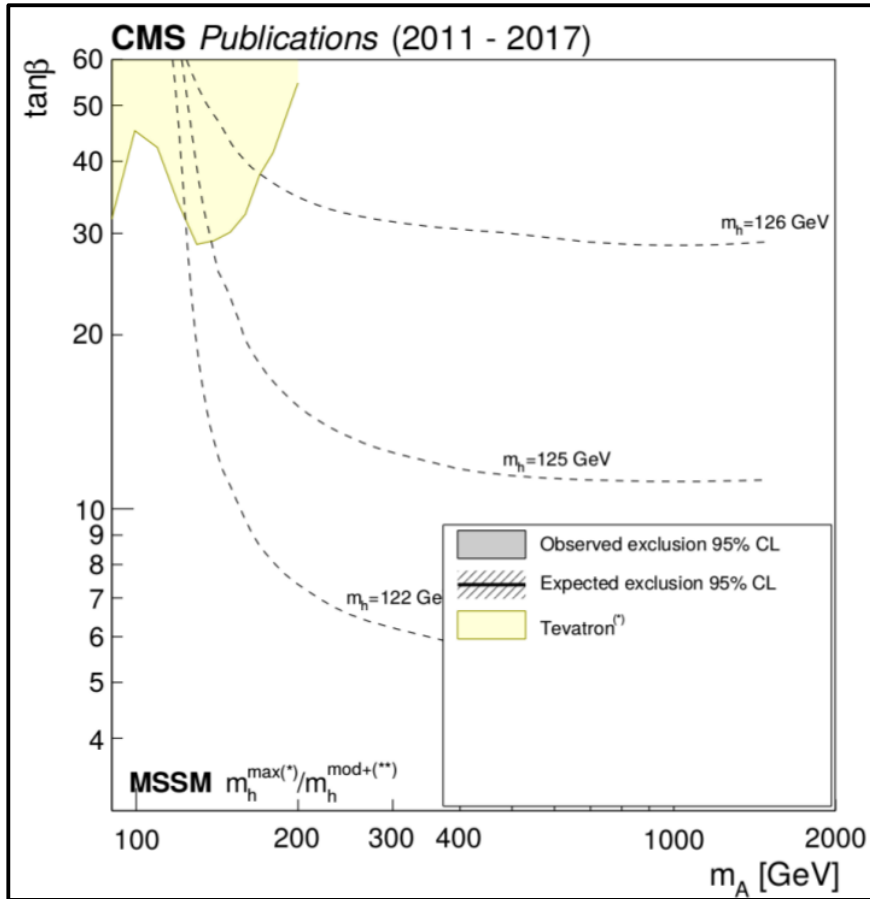


X

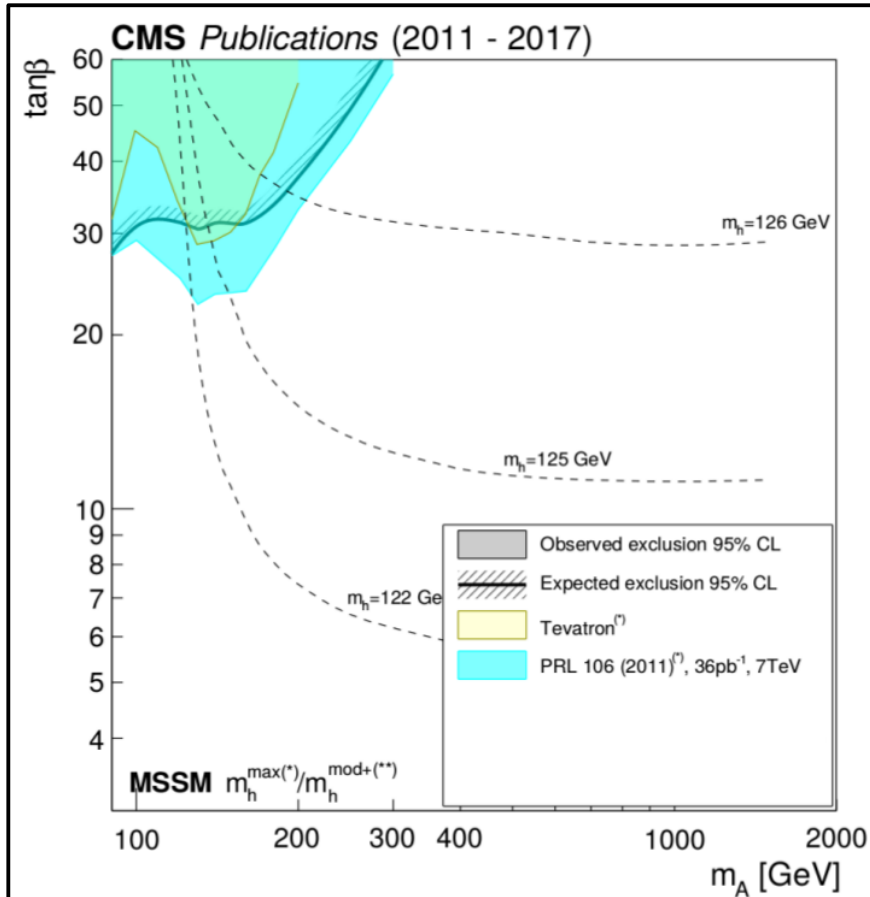
Decay channels:



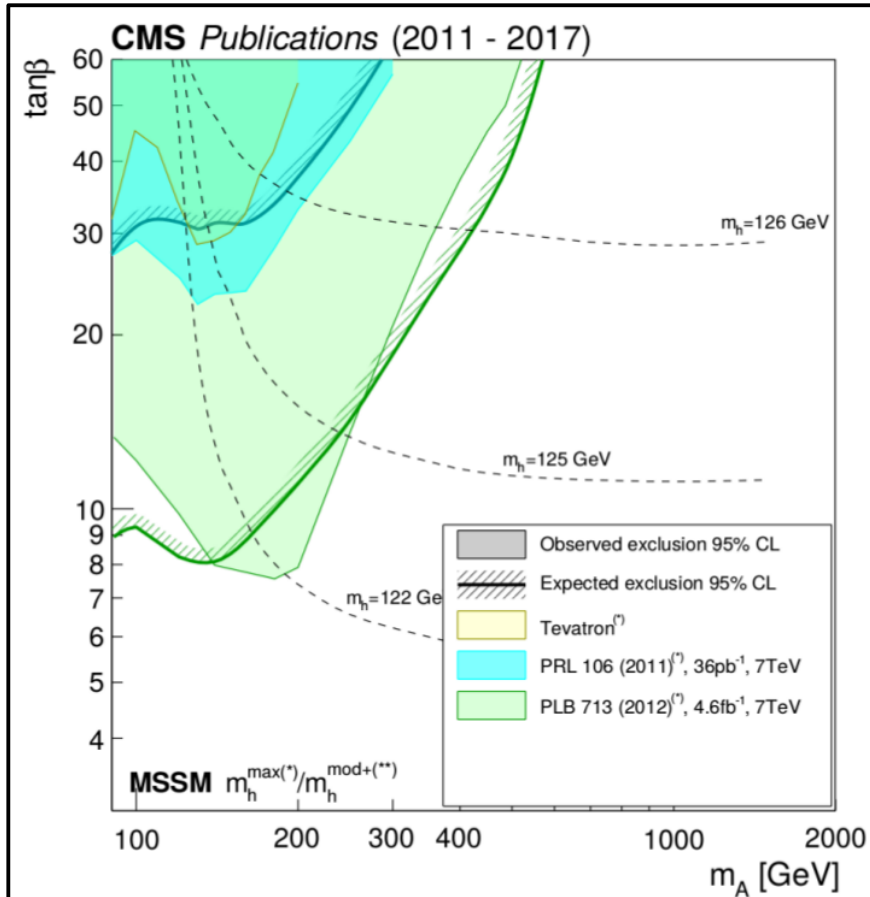
History of MSSM $H \rightarrow \tau\tau$ searches @ CMS



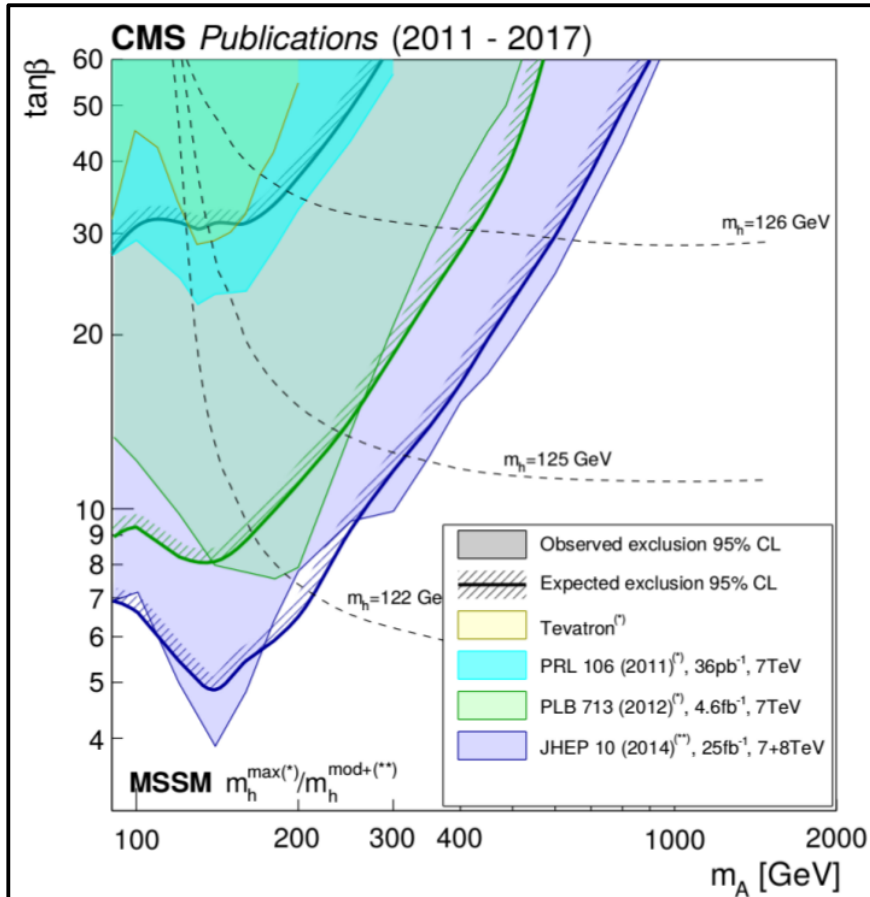
History of MSSM $H \rightarrow \tau\tau$ searches @ CMS



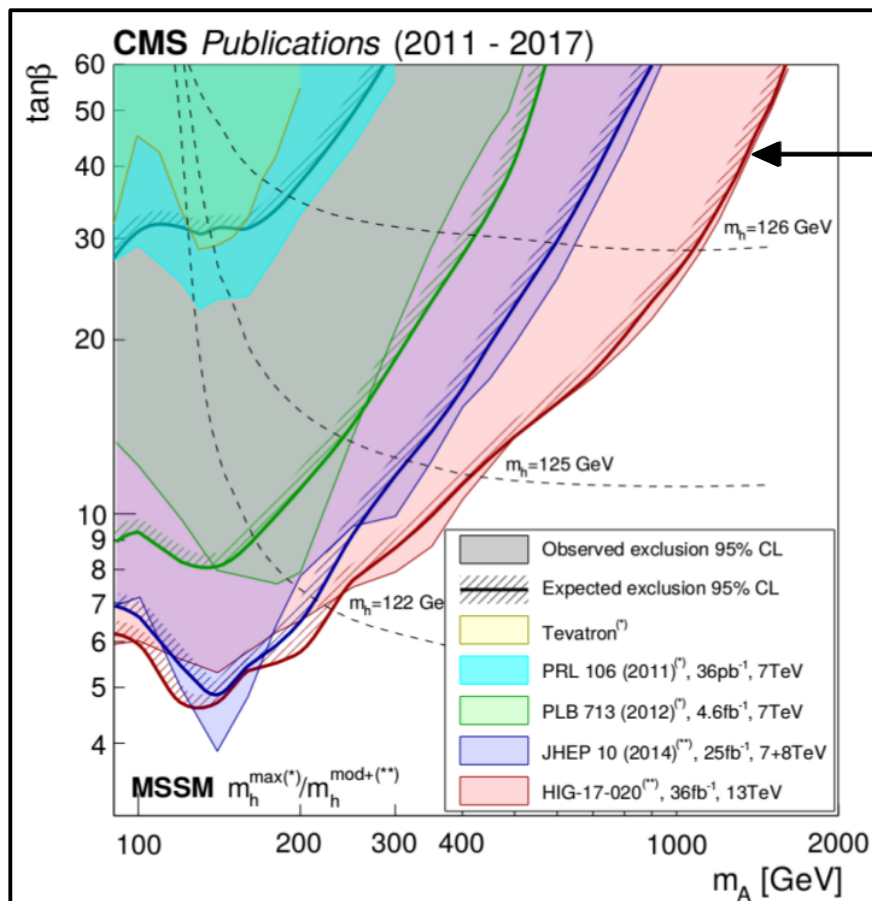
History of MSSM $H \rightarrow \tau\tau$ searches @ CMS



History of MSSM $H \rightarrow \tau\tau$ searches @ CMS



History of MSSM $H \rightarrow \tau\tau$ searches @ CMS

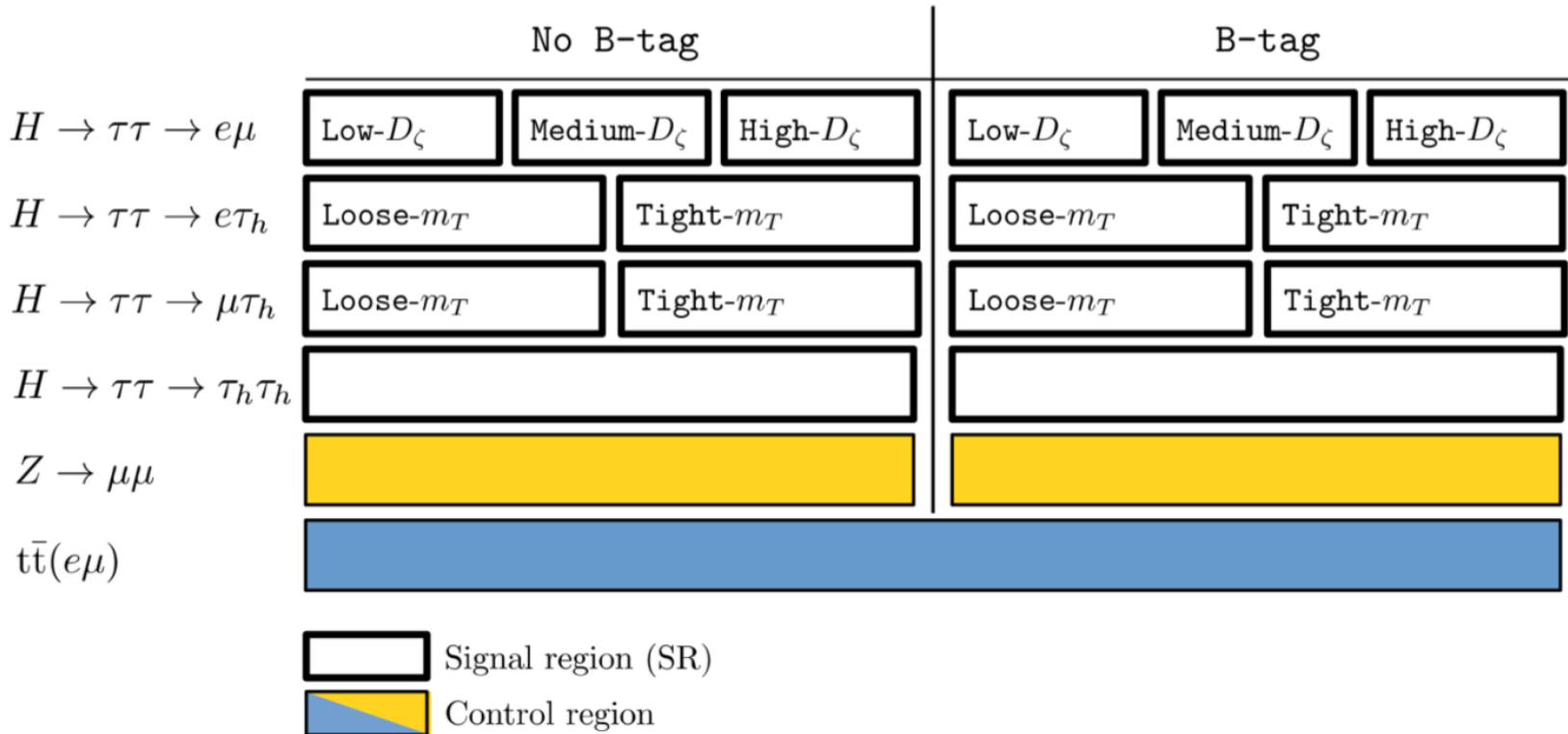


- **Brand new CMS result** discussed in the following (based on 36/fb @ 13TeV).

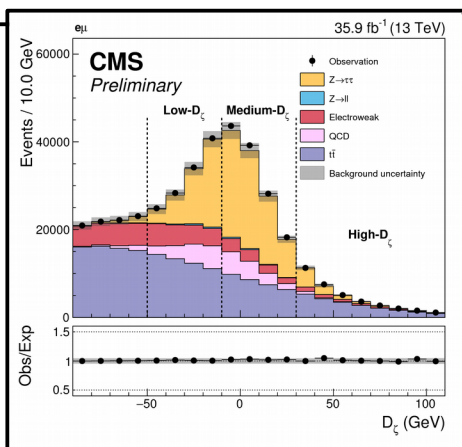
- **What's special about this publication:**
 - Maximally data driven background estimates.
 - Increased sensitivity due to more complex event categorization.
 - Differential signal modeling consistently @ NLO QCD accuracy.
 - Sophisticated statistical inference for signal.

Additional event information

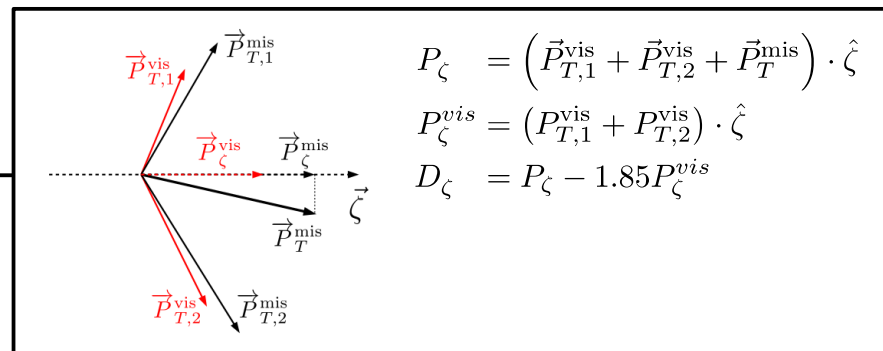
- Increase sensitivity to signal by making use of further **signal specific event information** (e.g. enhanced presence of b quarks).



Additional event information



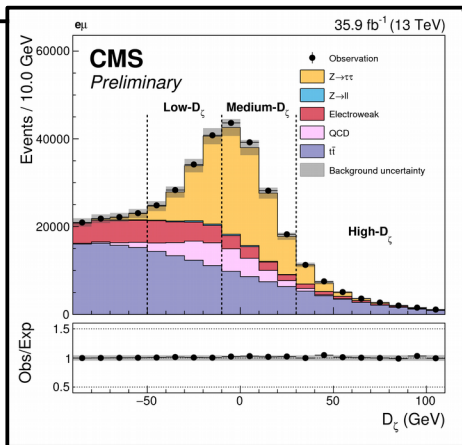
Exploit different S/B composition especially for high mass signal.



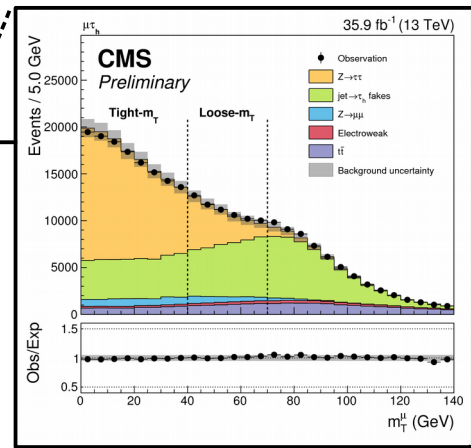
	No B-tag			B-tag		
$H \rightarrow \tau\tau \rightarrow e\mu$	Low- D_ζ	Medium- D_ζ	High- D_ζ	Low- D_ζ	Medium- D_ζ	High- D_ζ
$H \rightarrow \tau\tau \rightarrow e\tau h$	Loose- m_T		Tight- m_T	Loose- m_T		Tight- m_T
$H \rightarrow \tau\tau \rightarrow \mu\tau h$	Loose- m_T		Tight- m_T	Loose- m_T		Tight- m_T
$H \rightarrow \tau\tau \rightarrow \tau_h\tau_h$						
$Z \rightarrow \mu\mu$	Control region			Control region		
$t\bar{t}(e\mu)$	Control region					

Signal region (SR)
 Control region

Additional event information



Loose- m_T category as “tail-catcher” for high mass signal.





Exploit different S/B composition especially for high mass signal.

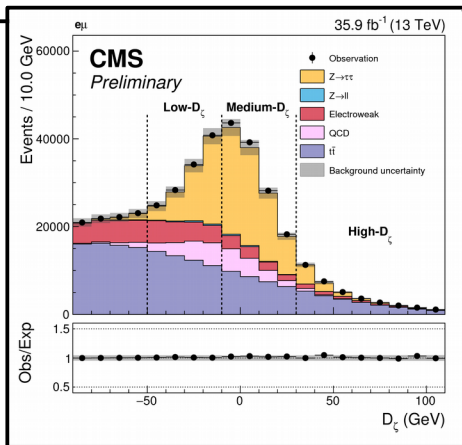
No B-tag

B-tag

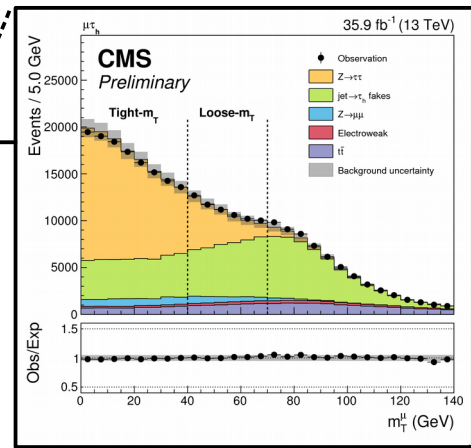
$H \rightarrow \tau\tau \rightarrow e\mu$	Low- D_ζ	Medium- D_ζ	High- D_ζ	Low- D_ζ	Medium- D_ζ	High- D_ζ
$H \rightarrow \tau\tau \rightarrow e\tau h$	Loose- m_T	Tight- m_T		Loose- m_T	Tight- m_T	
$H \rightarrow \tau\tau \rightarrow \mu\tau h$	Loose- m_T	Tight- m_T		Loose- m_T	Tight- m_T	
$H \rightarrow \tau\tau \rightarrow \tau_h\tau_h$						
$Z \rightarrow \mu\mu$	Control region			Control region		
$t\bar{t}(e\mu)$	Control region					

 Signal region (SR)
 Control region

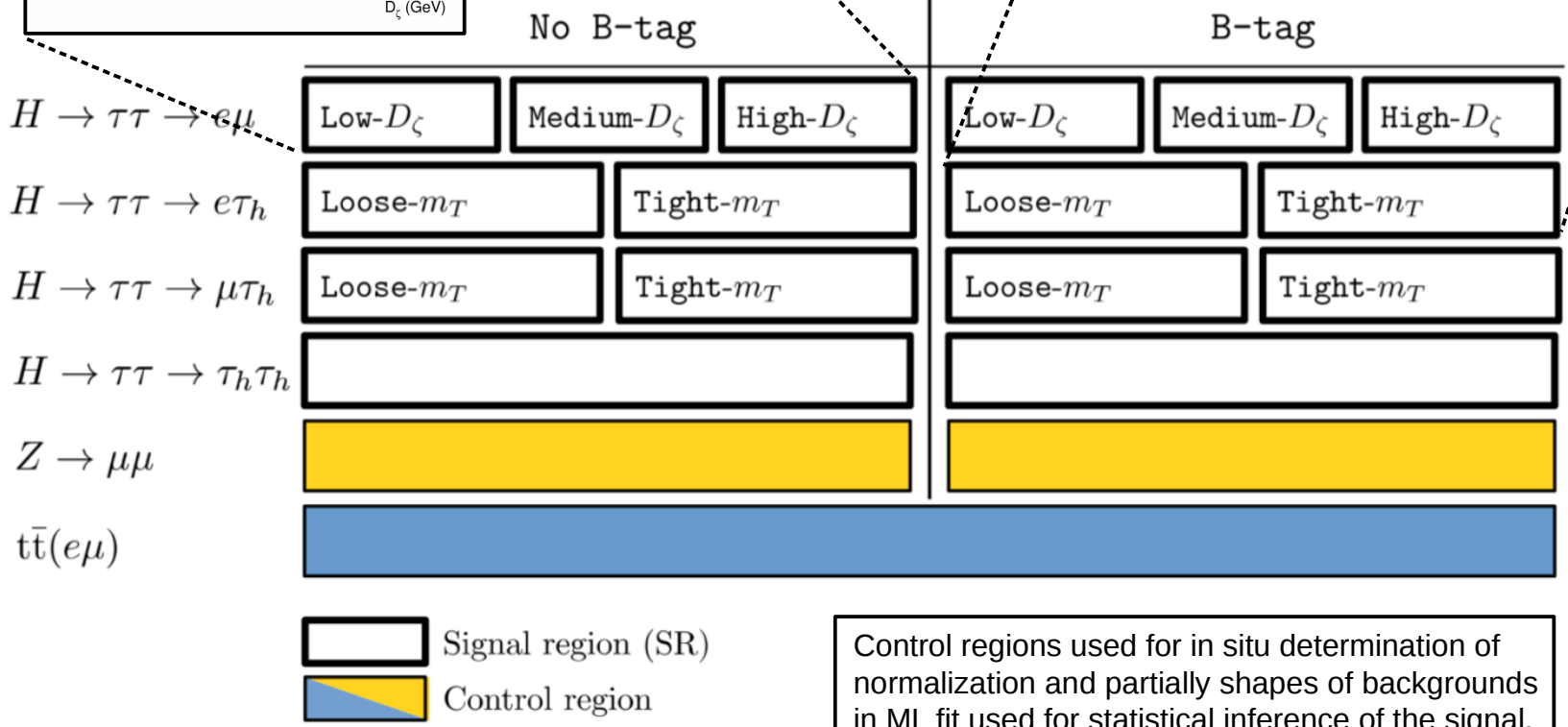
Additional event information



Loose- m_T category as “tail-catcher” for high mass signal.



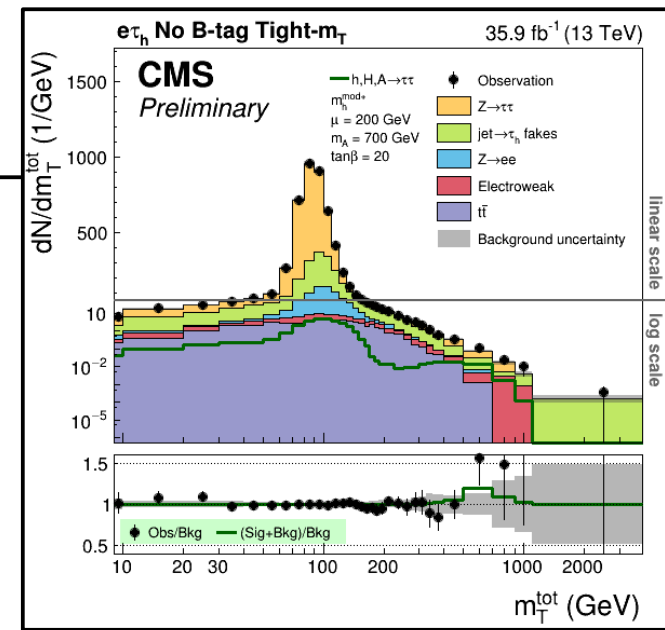
Exploit different S/B composition especially for high mass signal.



Control regions used for in situ determination of normalization and partially shapes of backgrounds in ML fit used for statistical inference of the signal.

Background modeling

- Background related to $\text{jet} \rightarrow \tau_h$ misidentification estimated from data using **fake factor** (FF) method.
- Background model **cross checked** by two alternative estimation methods (MC driven, embedded)

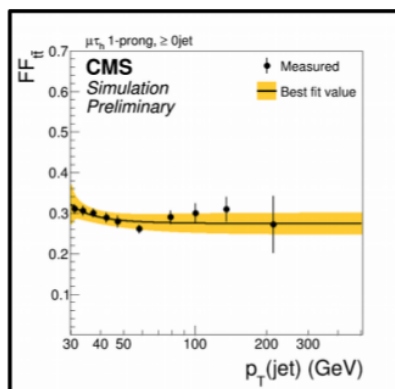
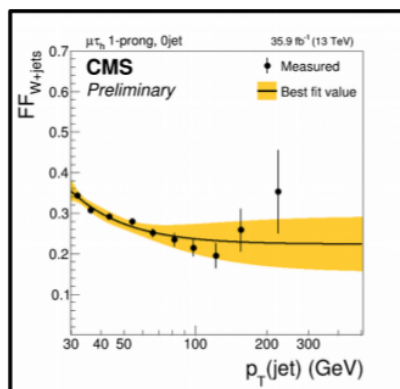
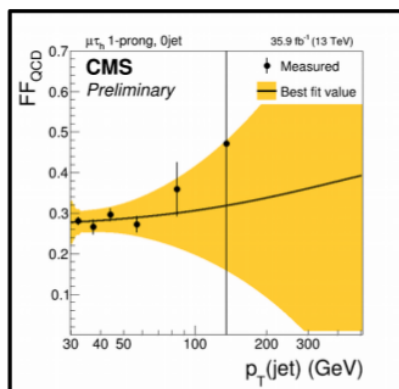
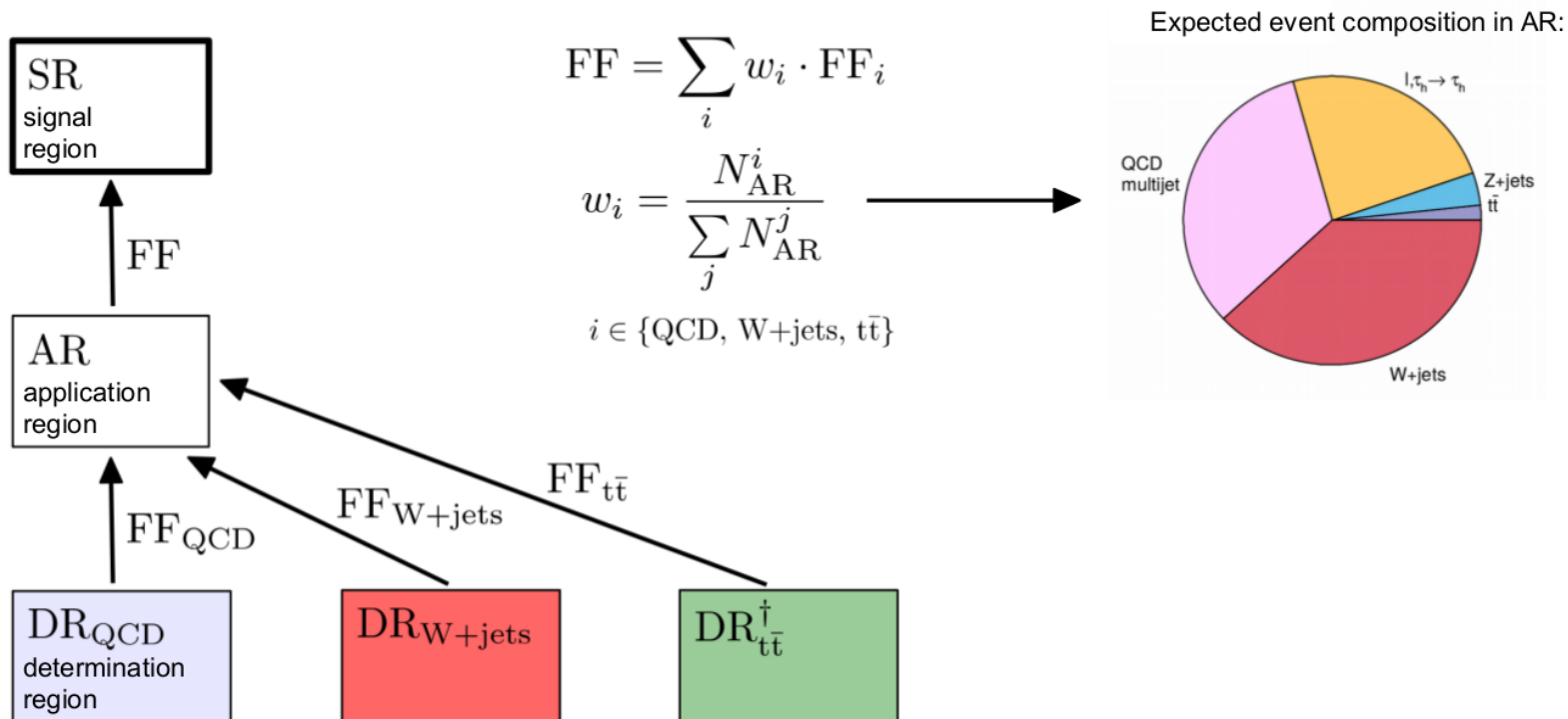


background process	misidentification	$e\mu$	$e\tau_h$	$\mu\tau_h$	$\tau_h\tau_h$
$Z \rightarrow \tau\tau$		MC [†]	MC [†]	MC [†]	MC [†]
$Z \rightarrow \ell\ell$	$\ell \rightarrow \tau_h$	MC	MC	MC	MC
	$\text{jet} \rightarrow \tau_h$		FF	FF	FF
Diboson+single top	$\tau/\ell \rightarrow \tau_h$	MC	MC	MC	MC
	$\text{jet} \rightarrow \tau_h$		FF	FF	FF
$t\bar{t}$	$\tau/\ell \rightarrow \tau_h$	MC [†]	MC [†]	MC [†]	MC [†]
	$\text{jet} \rightarrow \tau_h$		FF	FF	FF
$W + \text{jets}$	$\text{jet} \rightarrow \tau_h$	MC	FF	FF	FF
QCD	$\text{jet} \rightarrow \tau_h$	CR	FF	FF	FF

[†] Normalization from control region in data.

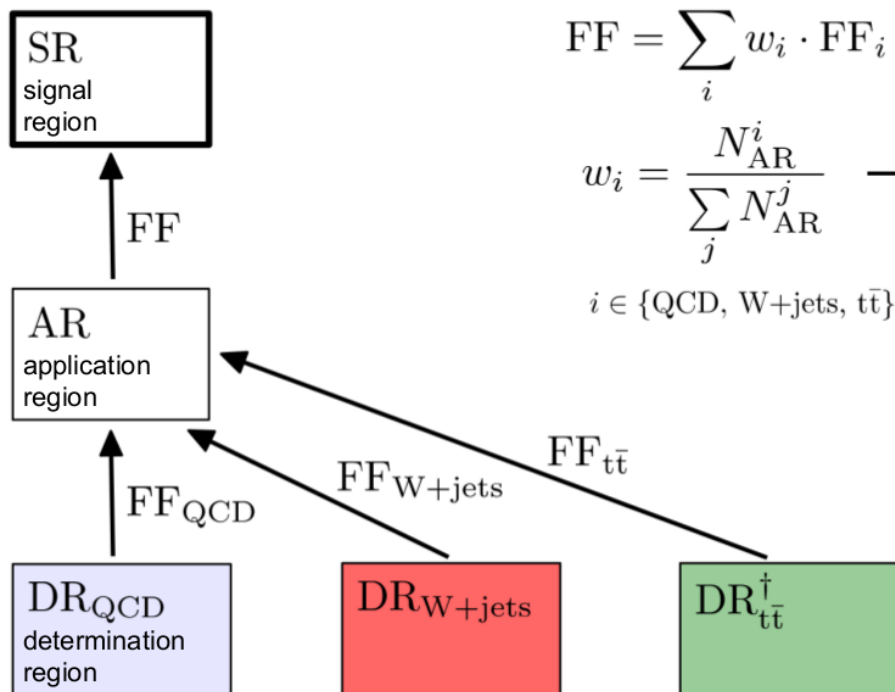
Fake factor (FF) method

- Fake factor:** number of isolated over number of anti-isolated τ_h .

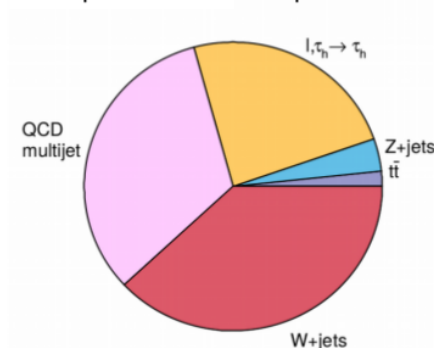


Fake factor (FF) method

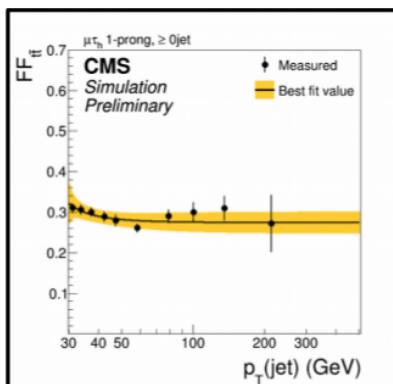
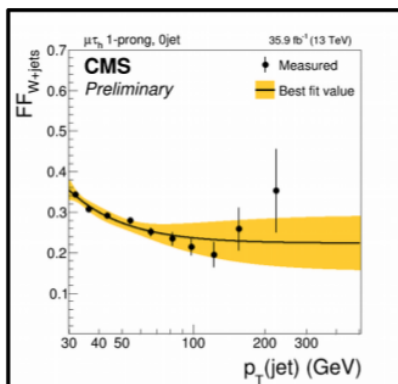
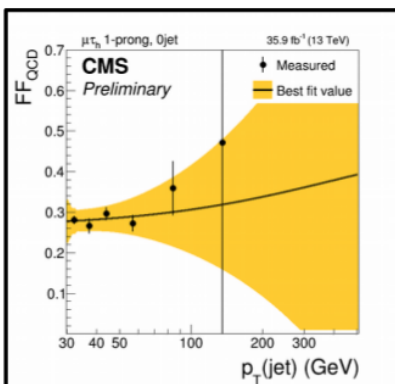
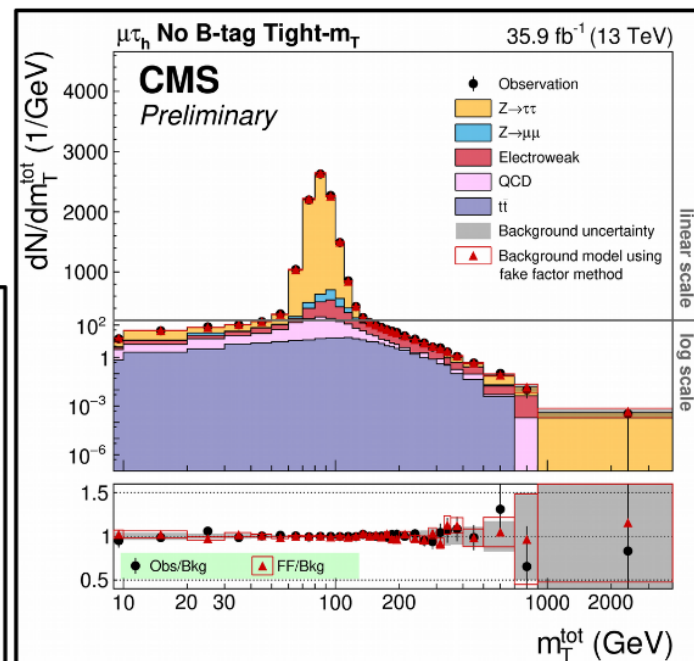
- Fake factor:** number of isolated over number of anti-isolated τ_h .



Expected event composition in AR:



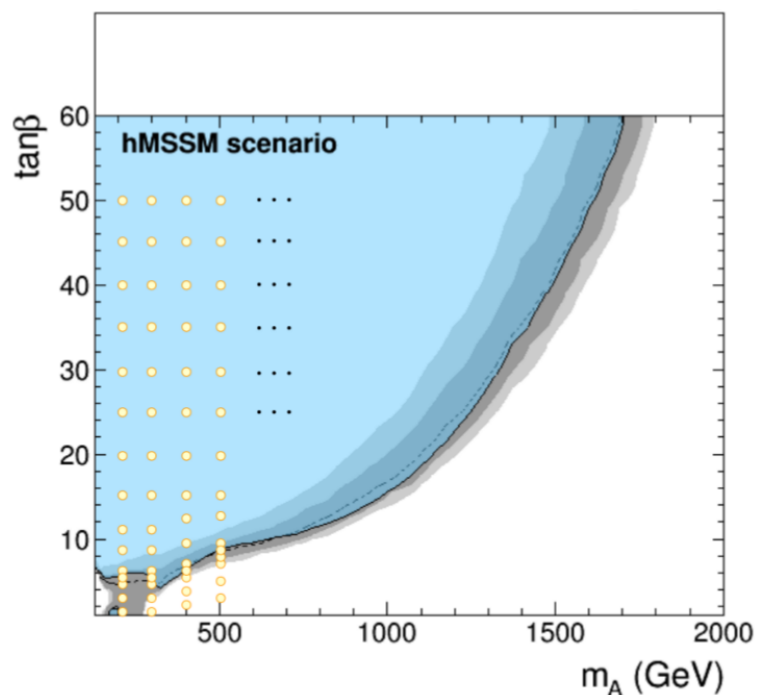
MC driven cross check



Signal modeling

- $p_T(A, H, h)$ @ NLO QCD + PS → **multiscale problem**.
- Plus: b contribution varies as a function of $\tan\beta$.

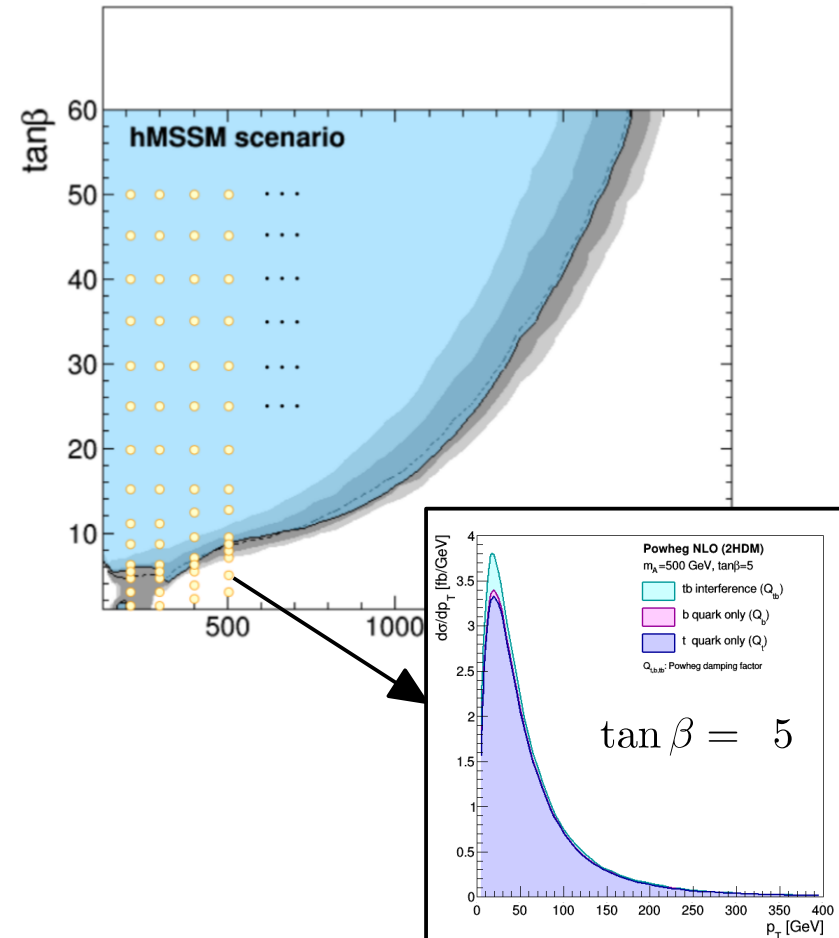
Test MSSM vs SM hypothesis: allows for well defined statistical problem, even when reaching sensitivity to the 125 GeV Higgs boson.



- Typical scan to determine exclusion contours in specific models.
- Determine CLs in each point in parameter space to obtain limit at significance level α .

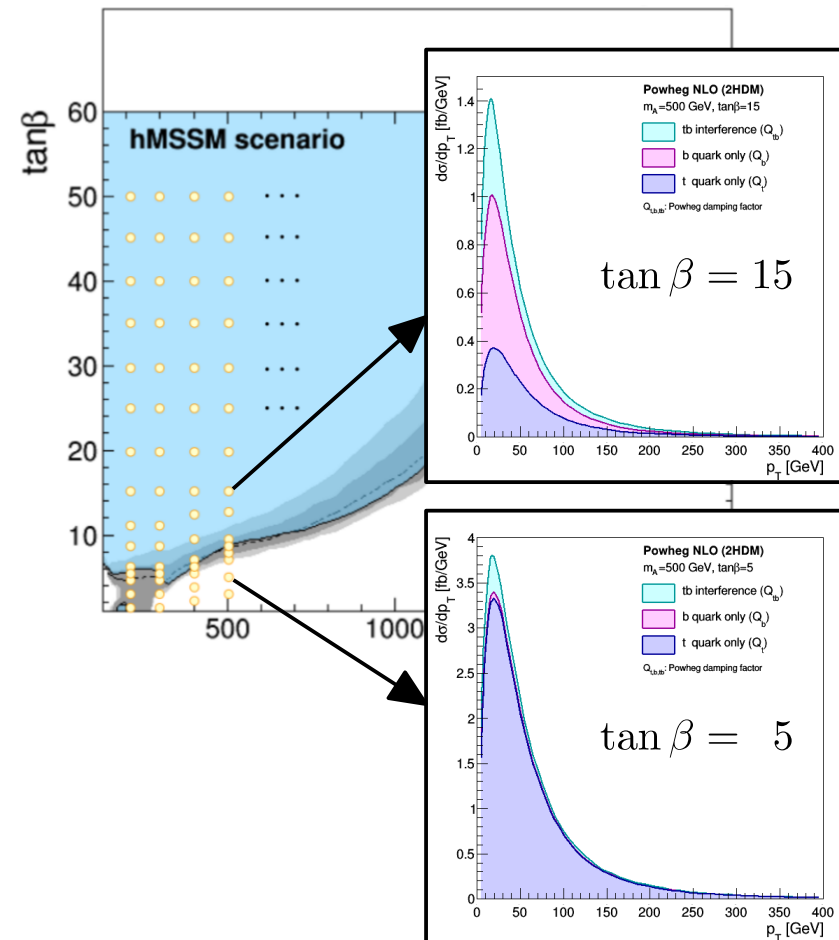
Signal modeling

- $p_T(A, H, h)$ @ NLO QCD + PS \rightarrow **multiscale problem.**
- Plus: b contribution varies as a function of $\tan\beta$.



Signal modeling

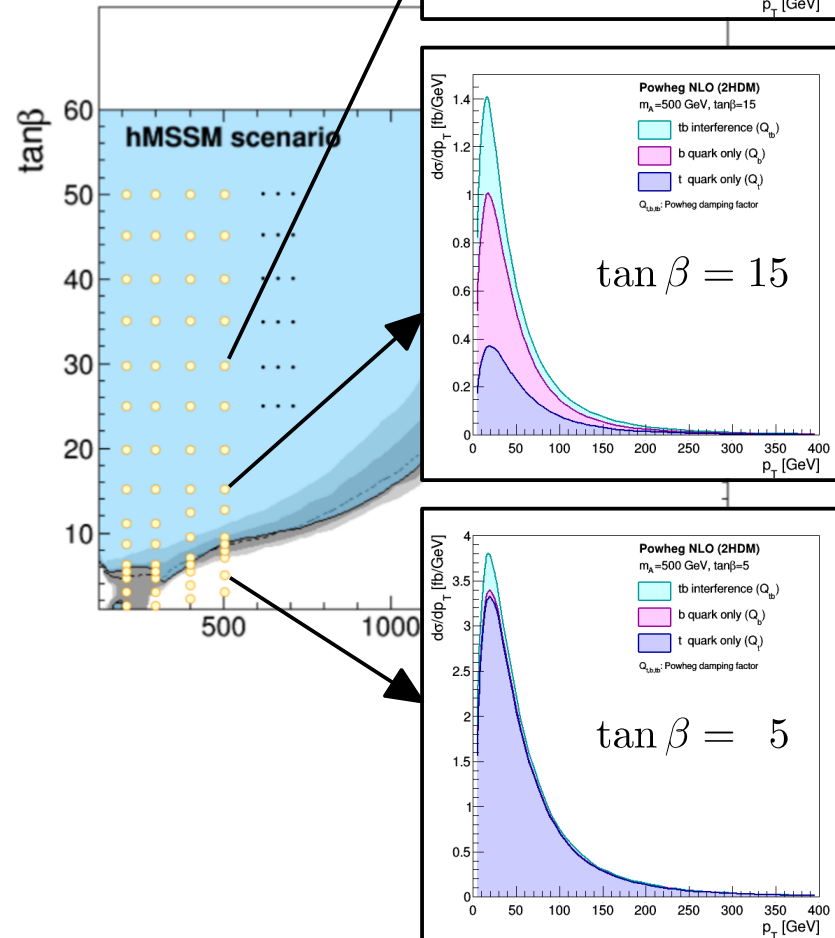
- $p_T(A, H, h)$ @ NLO QCD + PS \rightarrow **multiscale problem.**
- Plus: b contribution varies as a function of $\tan\beta$.



Signal modeling

- $p_T(A, H, h)$ @ NLO QCD + PS → **multiscale problem.**
- Plus: b contribution varies as a function of $\tan\beta$.

Change in $p_T(A, H, h)$
implies changing
signal acceptance!



Signal modeling

- $p_T(A, H, h)$ @ NLO QCD + PS → multiscale problem.
- Plus: b contribution varies as a function of $\tan\beta$.

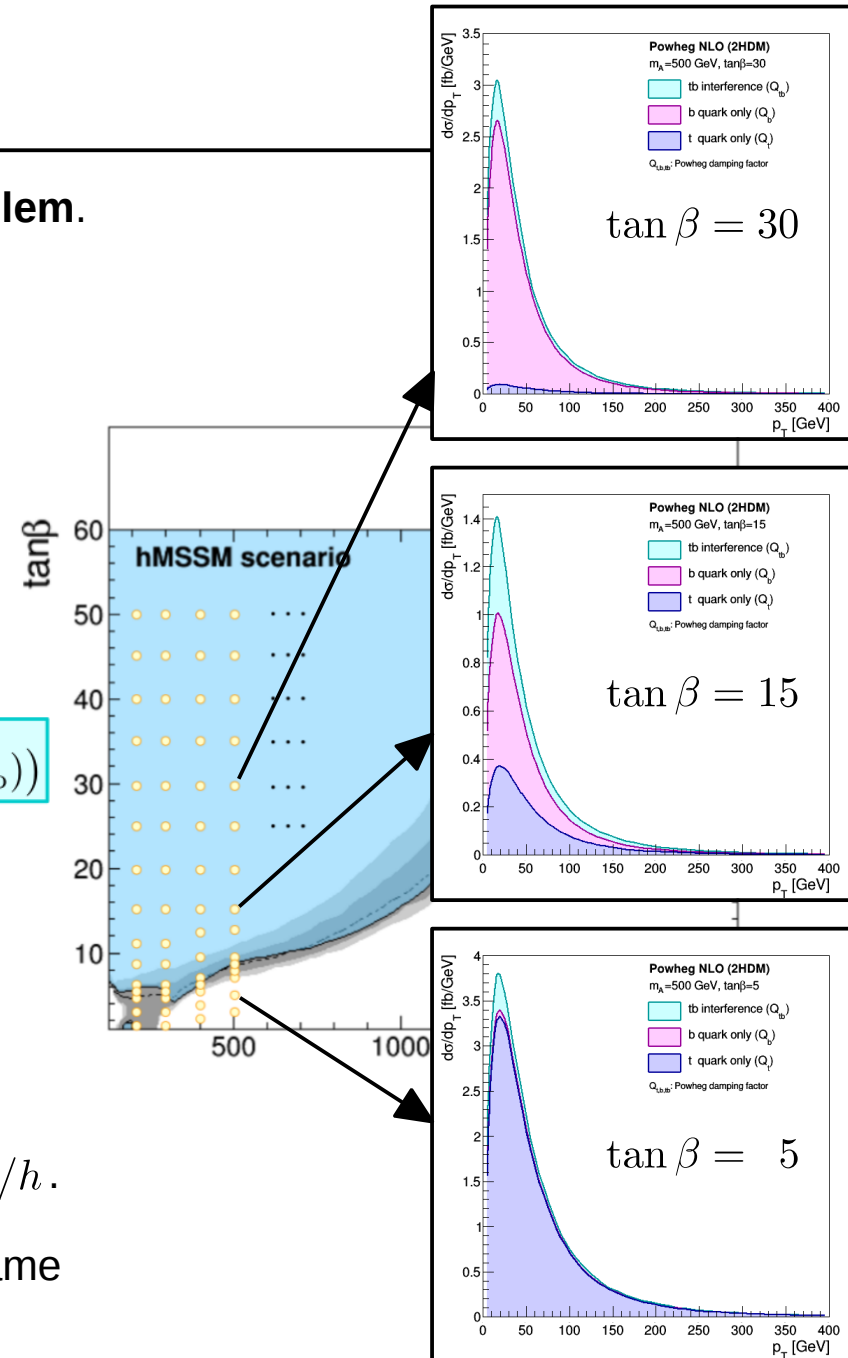
$$\sigma_{\text{MSSM}}^{\text{tot}} \propto \left| \begin{array}{c} g \\ \text{-----} \\ g \end{array} \begin{array}{c} \text{b} \\ \text{-----} \\ \text{b} \end{array} \begin{array}{c} h, H, A \\ \text{-----} \\ \text{h, H, A} \end{array} + \begin{array}{c} g \\ \text{-----} \\ g \end{array} \begin{array}{c} \text{t} \\ \text{-----} \\ \text{t} \end{array} \begin{array}{c} h, H, A \\ \text{-----} \\ \text{h, H, A} \end{array} \right|^2$$

$$= \sigma_{\text{MSSM}}^{\text{t}}(Q_{\text{t}}) + \sigma_{\text{MSSM}}^{\text{b}}(Q_{\text{b}})$$

$$+ (\sigma_{\text{MSSM}}^{\text{t+b}}(Q_{\text{tb}}) - \sigma_{\text{MSSM}}^{\text{t}}(Q_{\text{tb}}) - \sigma_{\text{MSSM}}^{\text{b}}(Q_{\text{tb}}))$$

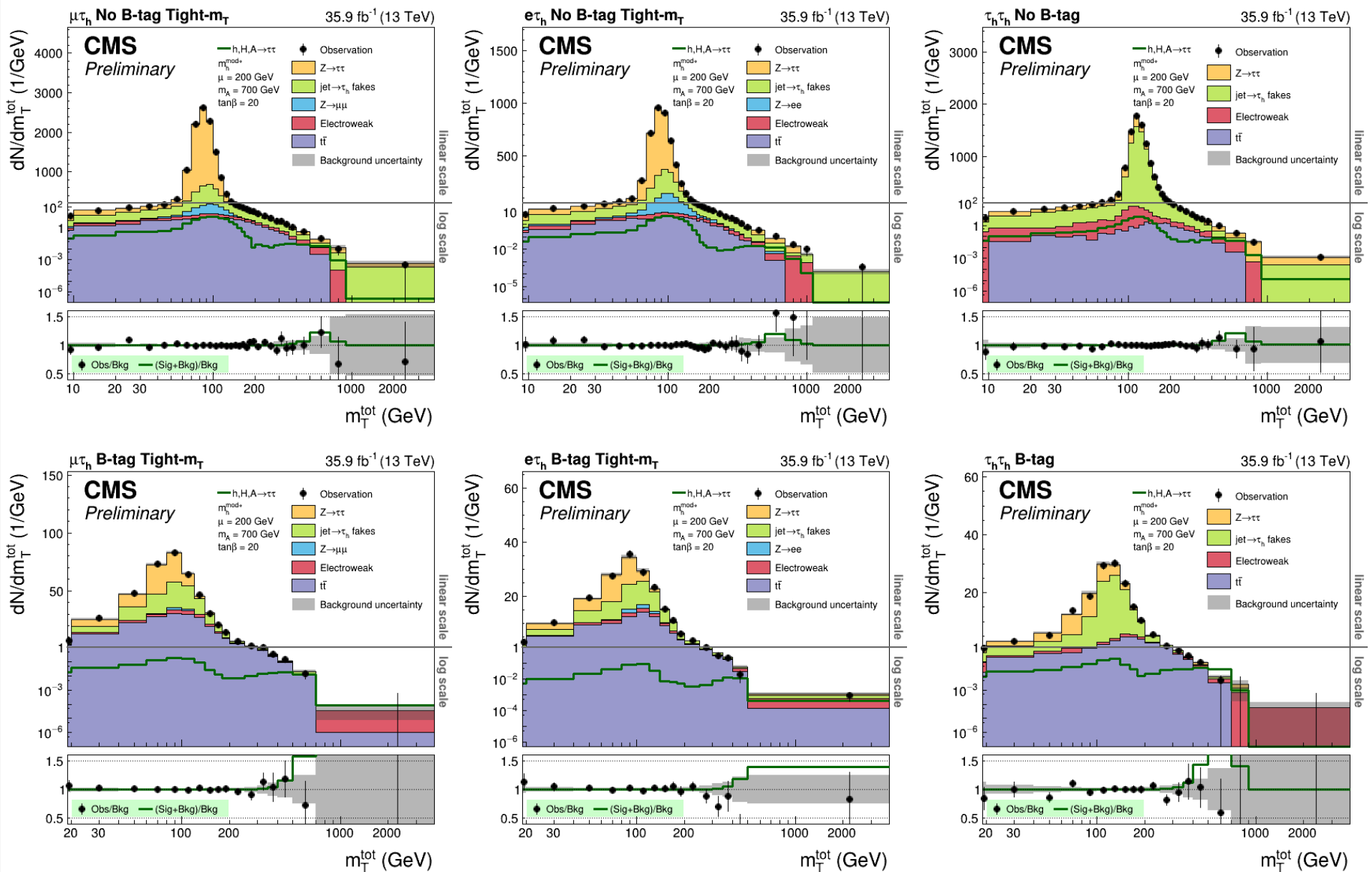
$\times Y_{\text{t}}^2$ → t quark alone
 $\times Y_{\text{t}} Y_{\text{b}}$ → tb-interference
 $\times Y_{\text{b}}^2$ → b quark alone

- Taking into account all $\tan\beta$ enhanced SUSY corrections and non-trivial $\tan\alpha$ dependency for H/h .
- Worked out with E. Bagnaschi and S. Liebler in frame of LHCHSWG-3.



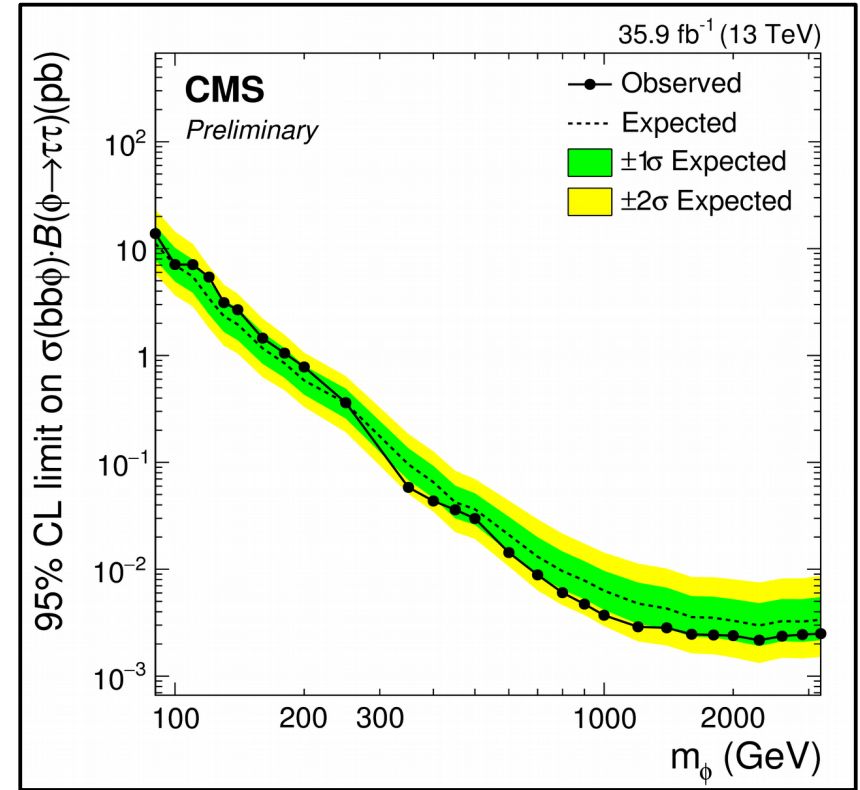
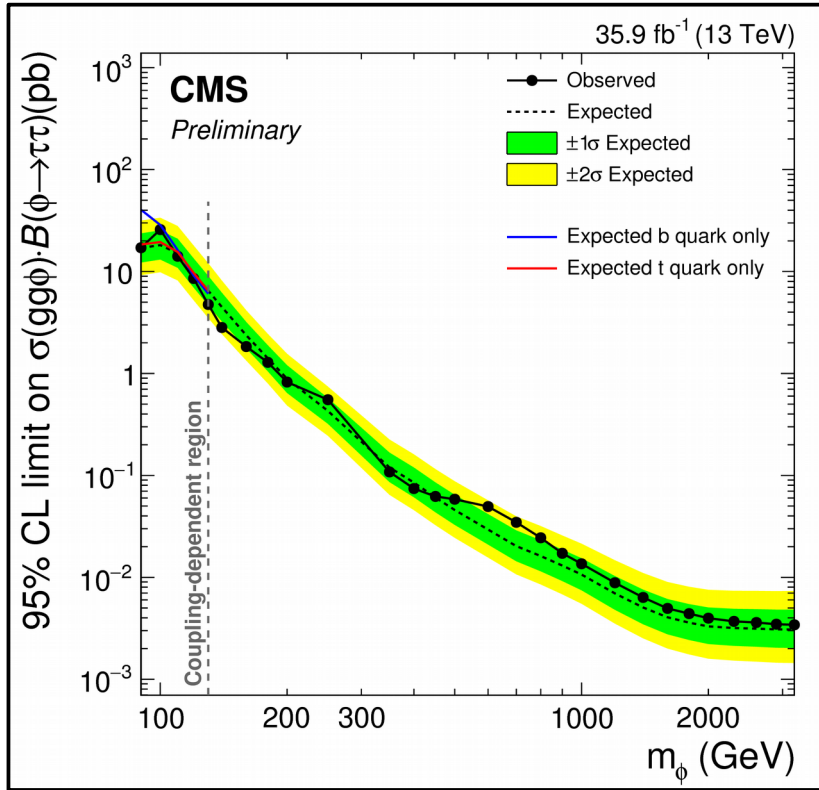
Observation

Shown are the most sensitive categories with an MSSM $m_h^{\text{mod}+}$ hypothesis w/ $m_A = 700$ GeV and $\tan\beta = 20$ fitted to the data.



Model independent limits

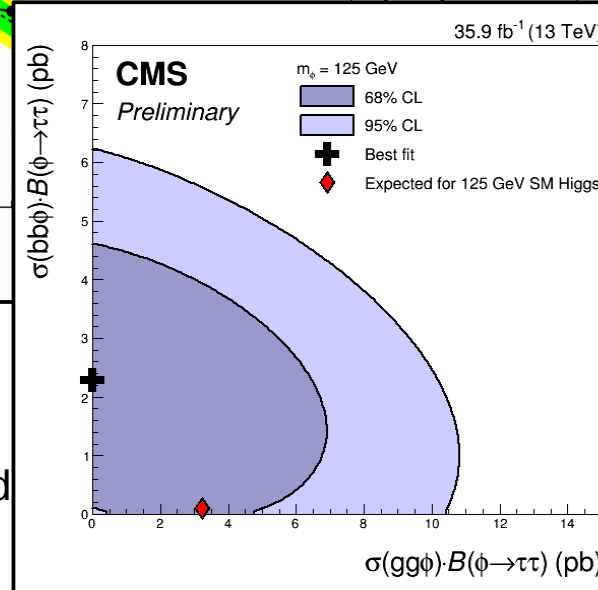
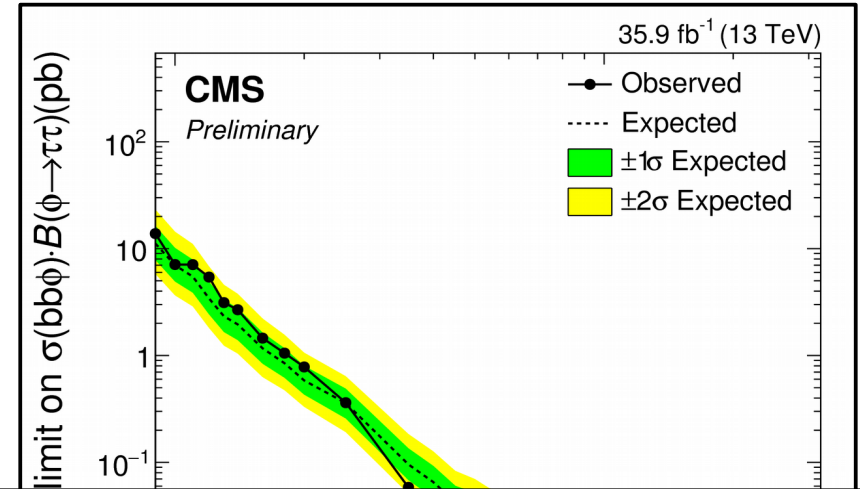
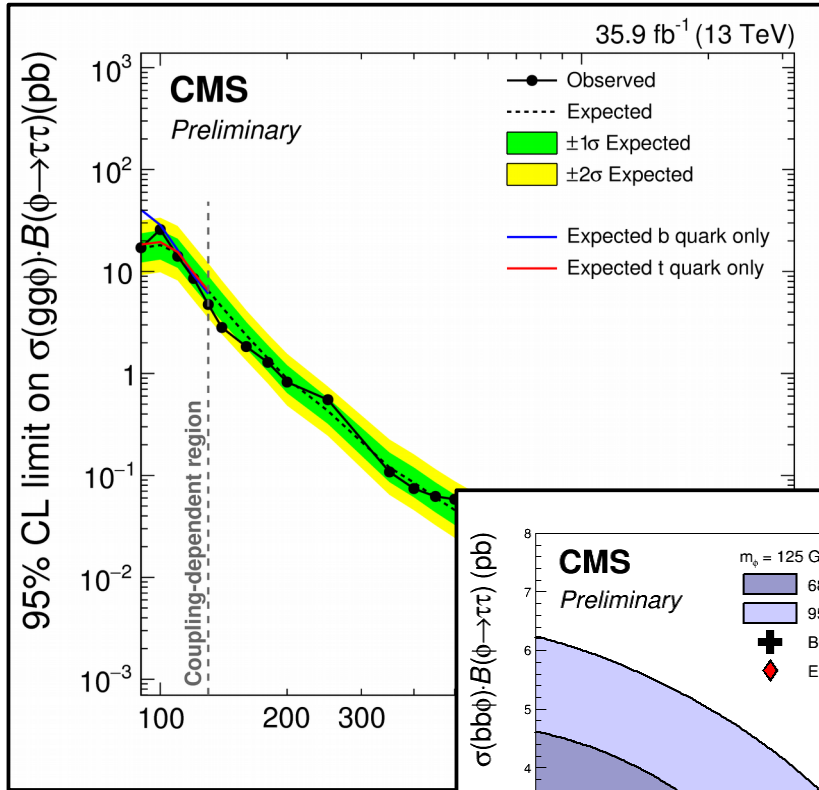
- **Narrow width approximation**, two parameters of interest, $\mu_{gg\phi}$ and $\mu_{bb\phi}$.



- No deviation beyond 2σ found.
- Cross checks discussed e.g. in Ph.D. thesis from [Rene Caspart](#) and master thesis from [Janek Bechtel](#).

Model independent limits

- Narrow width approximation, two parameters of interest, $\mu_{gg\phi}$ and $\mu_{bb\phi}$.

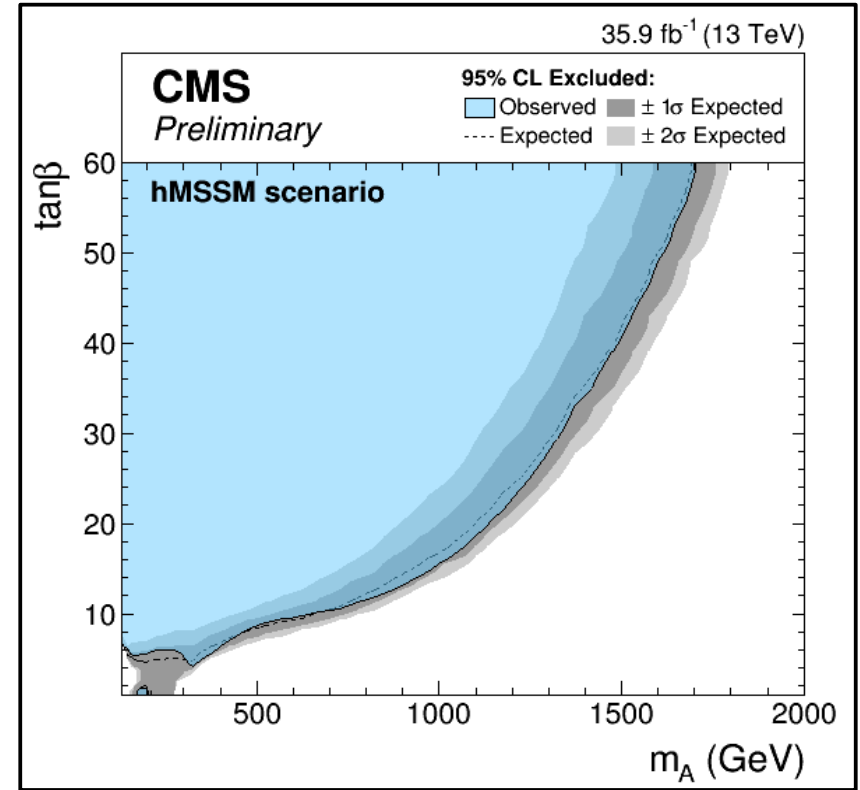
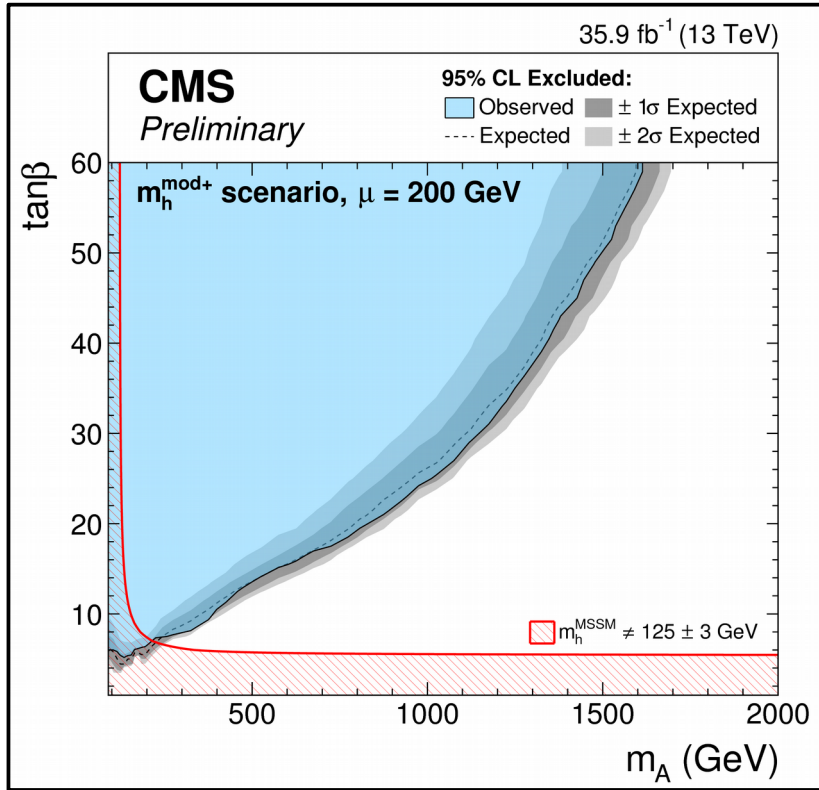


- No deviation beyond 2σ
- Cross checks discussed
Janek Bechtel.

- Provide 3D likelihood scan (40k points for 28 mass points).
- Allows for more sophisticated re-interpretation of the data in alternative/new models/scenarios (→ e.g. [arxiv:1507.06706](https://arxiv.org/abs/1507.06706)).

Model dependent exclusion contours

- Exclusion contours in predefined benchmark models:



- In general parameter space is explored down to $\tan\beta \gtrsim 6$ for $m_A \lesssim 250$ GeV and up to $m_A \leq 1600$ GeV.

Summary

- $Di-\tau$ is one of the **most interesting final states** in the Higgs physics program of the LHC.
 - Best access to Higgs boson **couplings to fermions**.
 - **Large event yields** still reasonably well accessible (e.g. for studies of specific production modes).
 - Most interesting final state to **search for extensions** of the SM Higgs sector.
- CMS had a very successful year 2017 with two major publications on SM and MSSM Higgs physics in the $di-\tau$ final state on the full dataset of 2016.
- We are well prepared to analyze the full LHC run-2 dataset from 2019 on. Looking forward to these analyses.

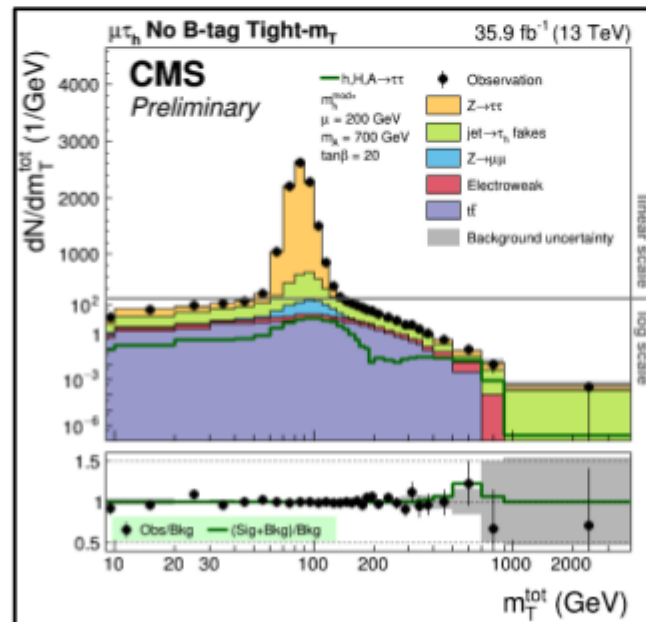
Discriminating variable m_T^{tot}

$$\tau_1^{\text{vis}} = \mu, e, \tau_h \quad \tau_2^{\text{vis}} = \mu, \tau_h$$

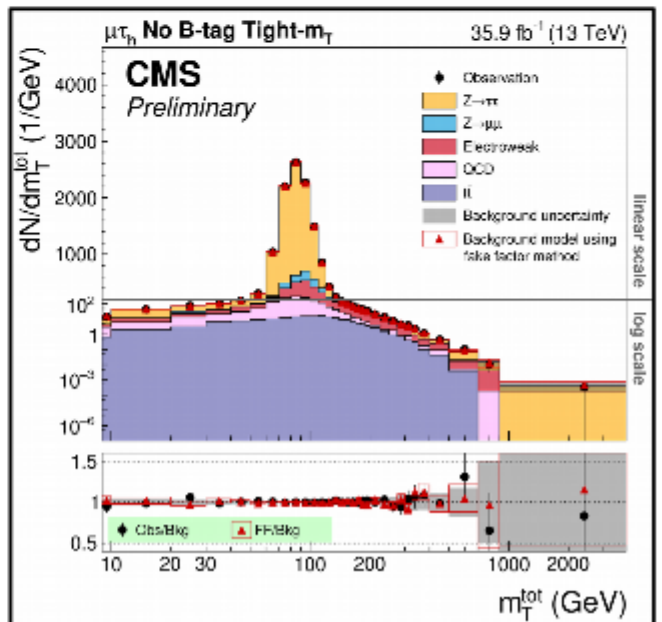
$$m_T^{\text{tot}} = \sqrt{m_T^2(E_T^{\text{miss}}, \tau_1^{\text{vis}}) + m_T^2(E_T^{\text{miss}}, \tau_2^{\text{vis}}) + m_T^2(\tau_1^{\text{vis}}, \tau_2^{\text{vis}})},$$

$$m_T(1, 2) = \sqrt{2p_T(1)p_T(2)(1 - \cos \Delta\phi(1, 2))},$$

- Backgrounds like $t\bar{t}$, W +jets and QCD multijet are more spread as for invariant di- τ mass



MC driven cross check



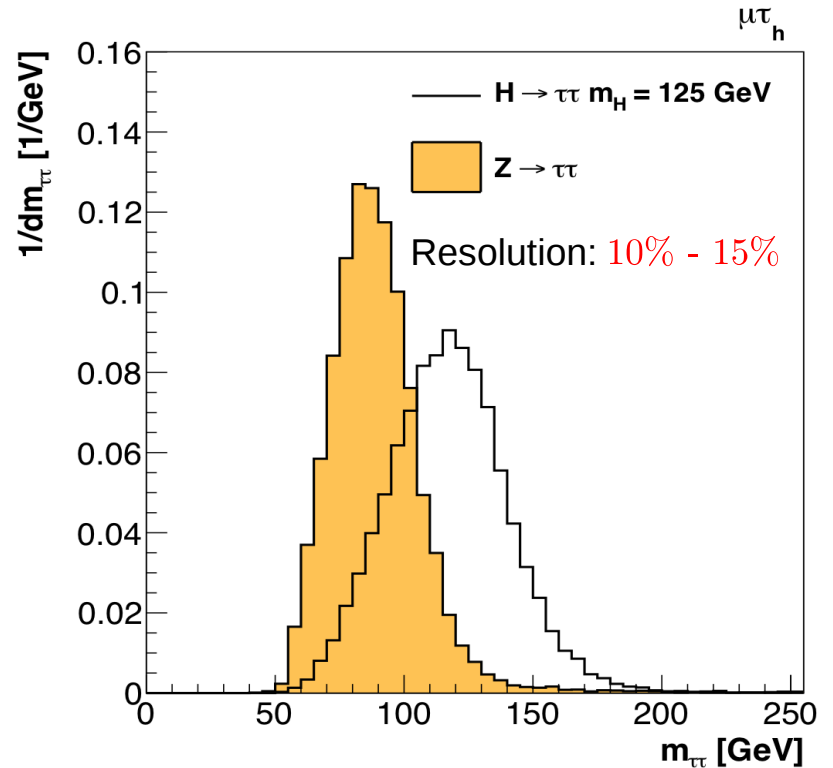
Reconstruction of $m_{\tau\tau}$

- Likelihood approach:

$$\mathcal{L} = \text{Diagram} \times \text{3D Plot}$$

The diagram shows a central black dot with two arrows extending from it. The upper arrow is at an angle θ'_1 from a horizontal dashed line, and the lower arrow is at an angle θ'_2 . The 3D plot shows a bell-shaped surface with axes labeled E_{TX} and E_{TY} .

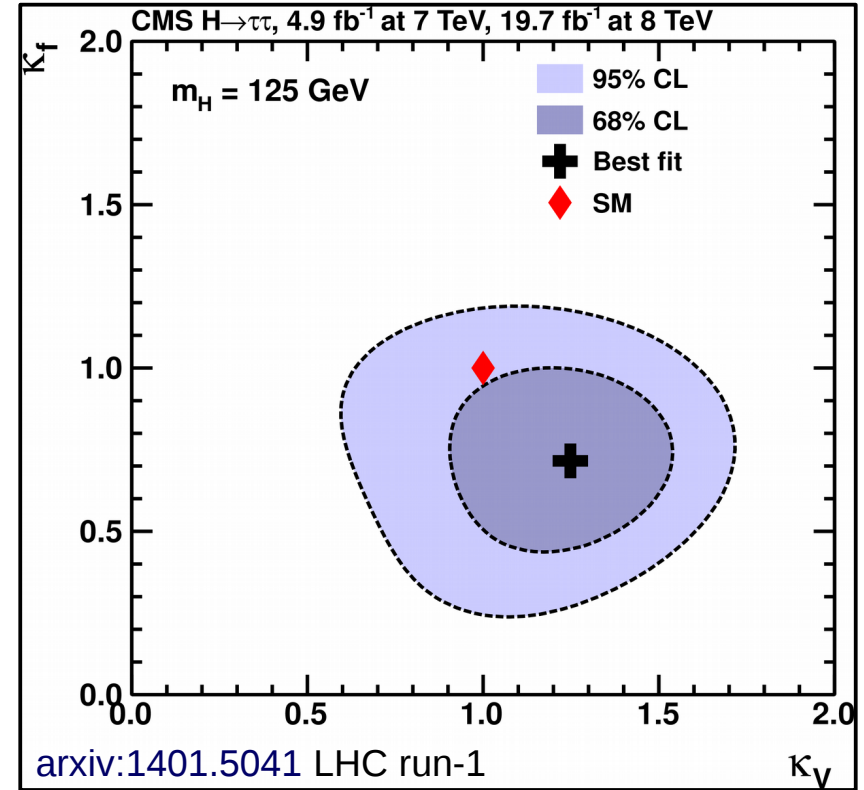
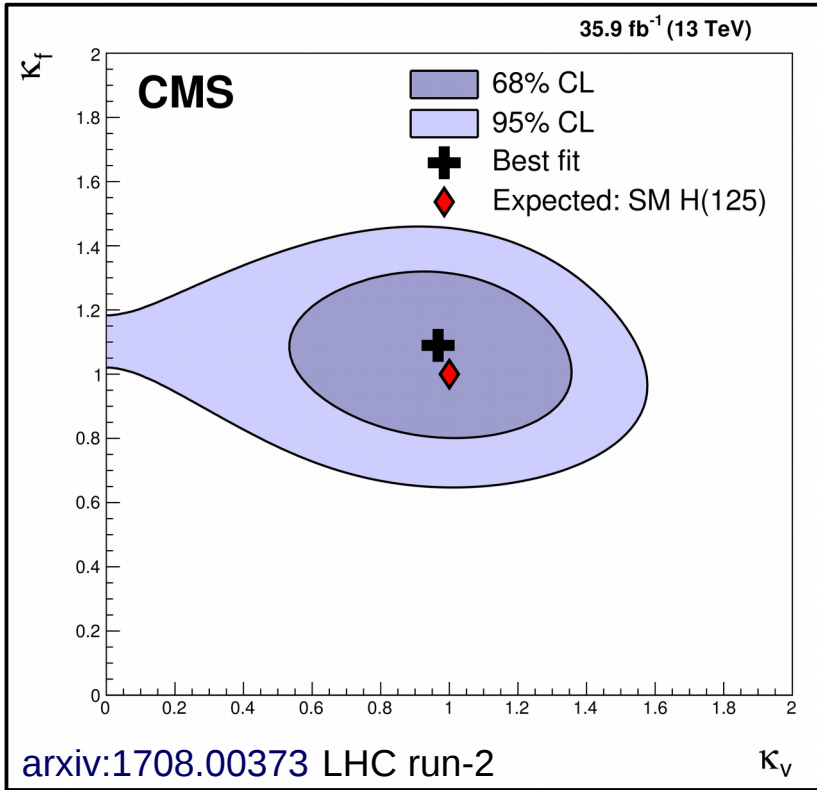
- ME for leptonic τ decay or phase space kinematics of 2-body decay of τ_h .
- Estimate of expected E_T resolution on event by event basis.
- Inputs: visible decay products, x-, y-component of E_T .
- Free parameters: φ , θ^* , $(m_{\nu\nu})$ per τ .



- Find minimum of \mathcal{L} for given $m_{\tau\tau}$ and scan over all possible values of $m_{\tau\tau}$ to find global minimum.

2D likelihood scans

- Coupling to fermions and vector bosons:



- These plots include $H \rightarrow WW$ as signal process; κ_V driven by VBF & $e\mu$.

Higgs: CP properties (from $H \rightarrow f\bar{f}$)

- Obtain P from an angular momentum analysis of the QM system:

Orbital momentum:

$$P(Y_l^m(\theta, \varphi)) = (-1)^l \cdot Y_l^m(\theta, \varphi)$$

\times

Intrinsic parity of fermions:

$$P(f) = (+1) \cdot f \quad P(\bar{f}) = (-1) \cdot f$$

- Obtain C from $P \times (\pm 1)$ for permutations of objects (\rightarrow spin statistics):

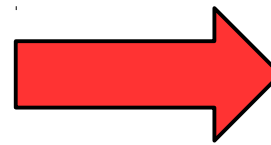
$$\left. \begin{aligned} |1, \pm 1\rangle &= |1/2, \pm 1/2\rangle \otimes |1/2, \pm 1/2\rangle \\ |1, 0\rangle &= \sqrt{\frac{1}{2}} (|1/2, +1/2\rangle \otimes |1/2, -1/2\rangle + (|1/2, -1/2\rangle \otimes |1/2, +1/2\rangle)) \\ |0, 0\rangle &= \sqrt{\frac{1}{2}} (|1/2, +1/2\rangle \otimes |1/2, -1/2\rangle - (|1/2, -1/2\rangle \otimes |1/2, +1/2\rangle)) \end{aligned} \right\} \begin{array}{l} (+1) \text{ under permutations.} \\ (-1) \text{ under permutations.} \end{array}$$

- For two fermion system:

$$P = (-1)^{L+1}$$

$$C = (-1)^{L+S}$$

$$CP = (-1)^{S+1}$$

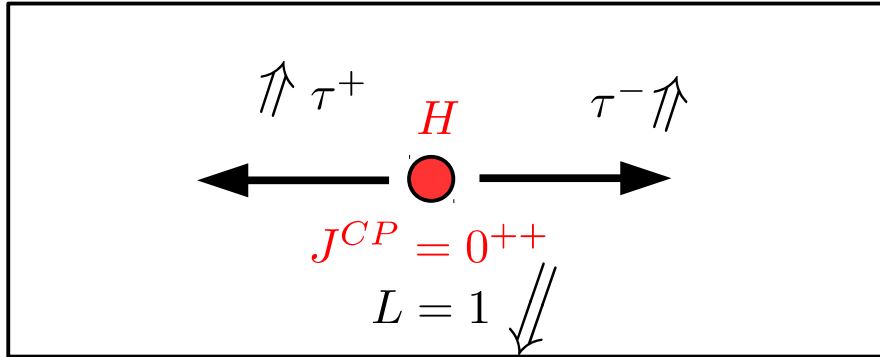


CP of parent particle translates into spin configuration of two fermion system.

Higgs: CP properties (from $H \rightarrow f\bar{f}$)

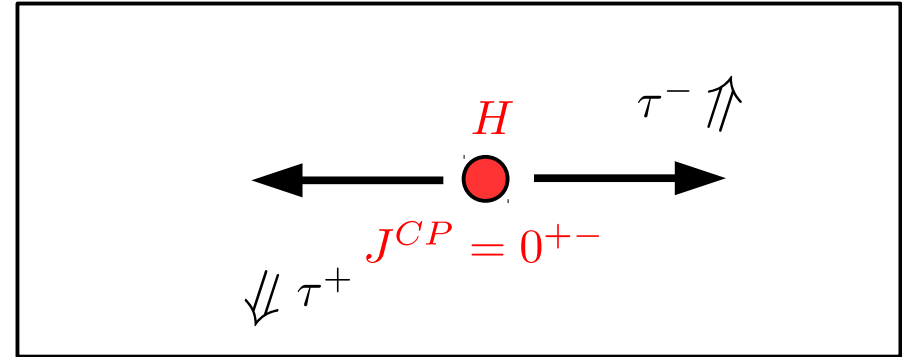
CP-even:

$$L = 1 \quad S = 1$$



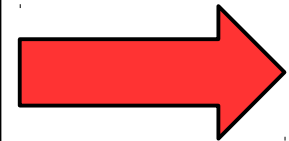
CP-odd:

$$L = 0 \quad S = 0$$



- For two fermion system:

$$\begin{aligned}
 P &= (-1)^{L+1} \\
 C &= (-1)^{L+S} \\
 CP &= (-1)^{S+1}
 \end{aligned}$$



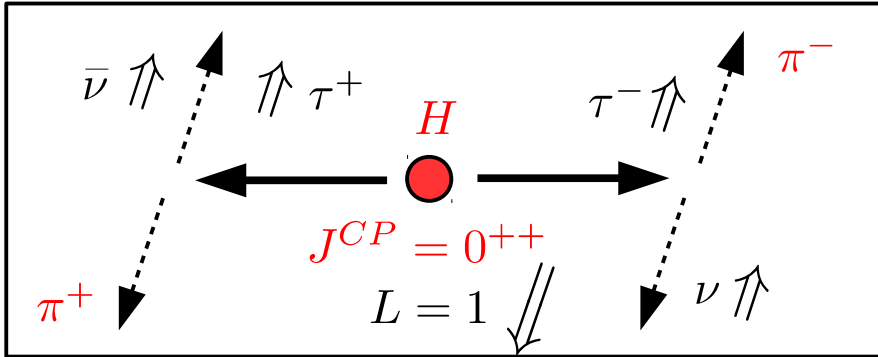
CP of parent particle translates into spin configuration of two fermion system.

Higgs: CP properties (from $H \rightarrow \tau\tau$)

E.g. $\tau^- \rightarrow \pi^- \nu$ makes spin configuration detectable!

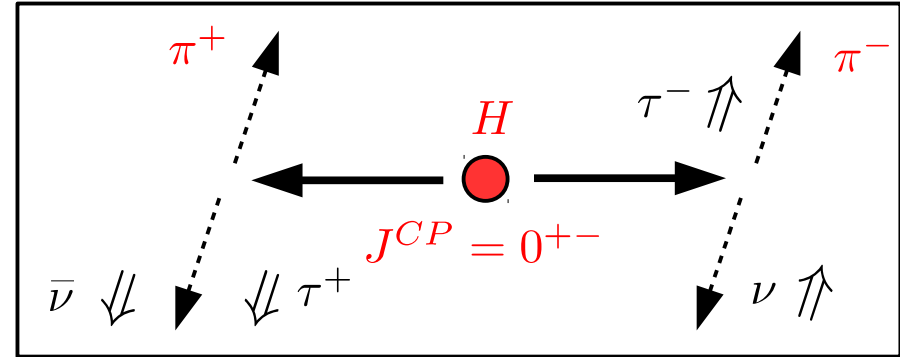
CP-even:

$$L = 1 \quad S = 1$$



CP-odd:

$$L = 0 \quad S = 0$$



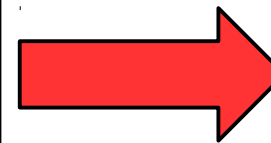
Decay width: $\Gamma_{H \rightarrow \tau\tau} \propto 1 - \underbrace{\vec{s}_z^- \cdot \vec{s}_z^+}_{CP\text{-even}} + \underbrace{\cos(2\phi) (\vec{s}_T^- \cdot \vec{s}_T^+) - \sin(2\phi) [(\vec{s}_T^- \times \vec{s}_T^+) \cdot \hat{k}^-]}_{CP\text{-odd}}$

- For two fermion system:

$$P = (-1)^{L+1}$$

$$C = (-1)^{L+S}$$

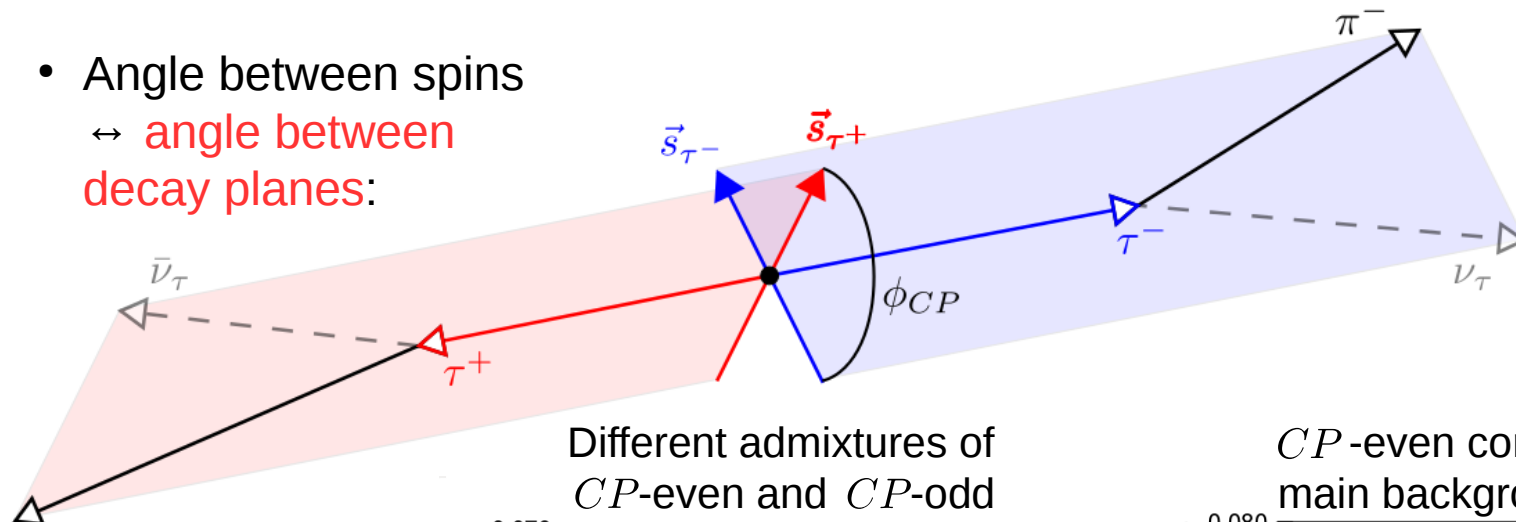
$$CP = (-1)^{S+1}$$



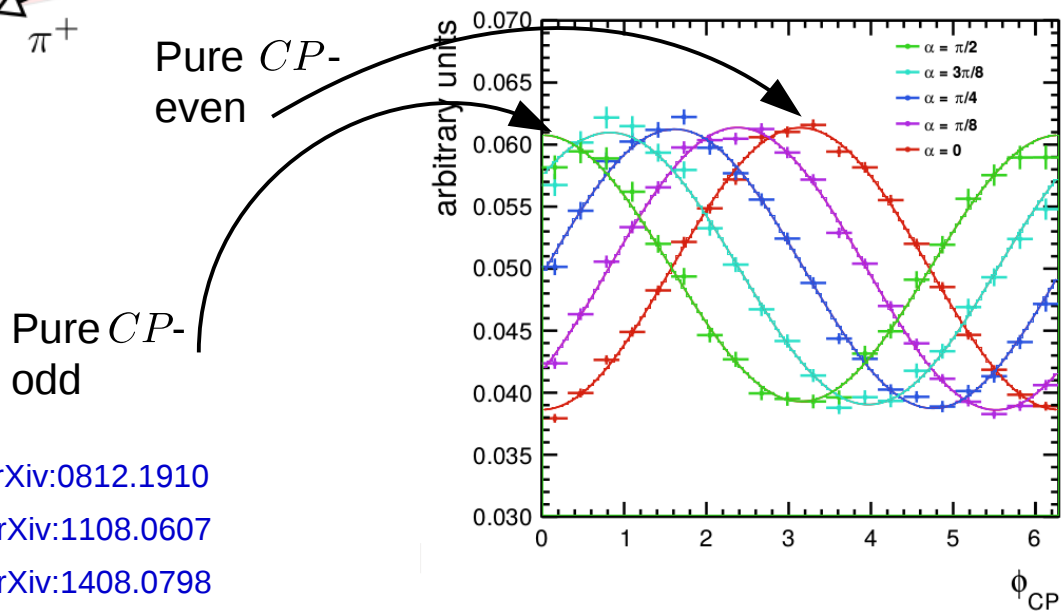
CP of parent particle translates into spin configuration of two fermion system.

Transverse spin polarization in the di- τ system

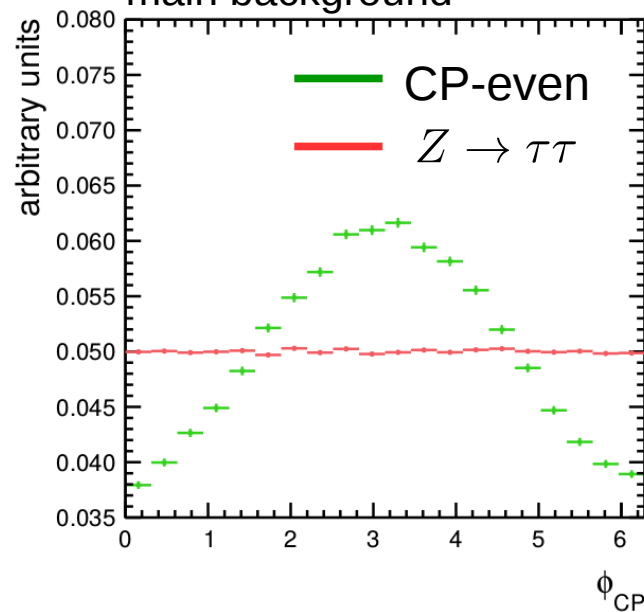
- Angle between spins
 \leftrightarrow angle between decay planes:



Different admixtures of CP -even and CP -odd



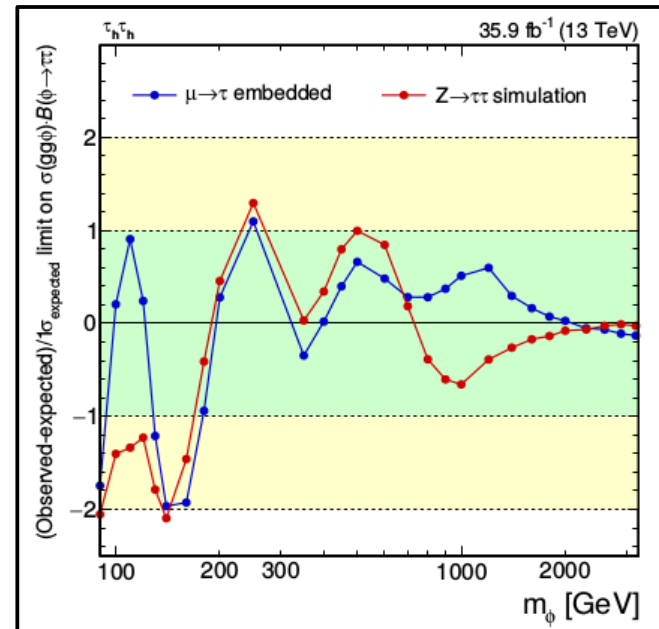
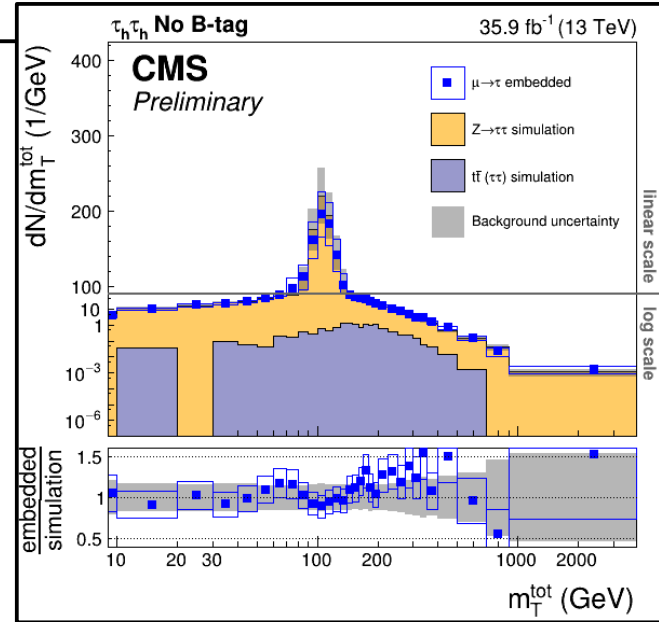
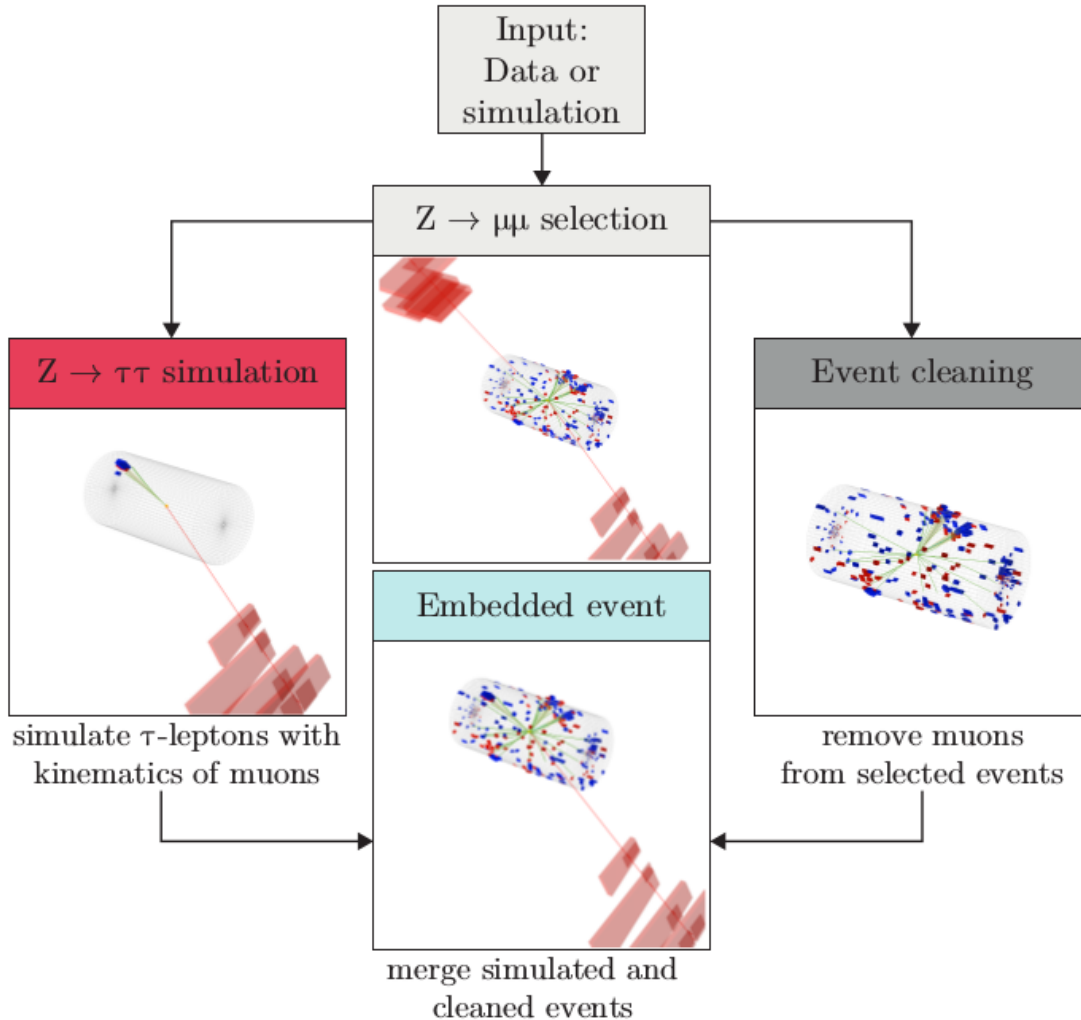
CP -even compared to main background



arXiv:0812.1910
 arXiv:1108.0607
 arXiv:1408.0798

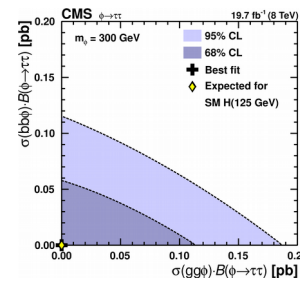
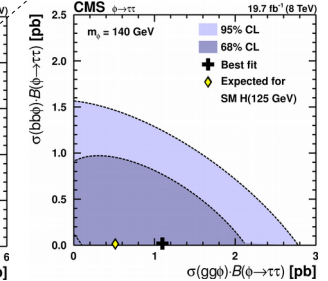
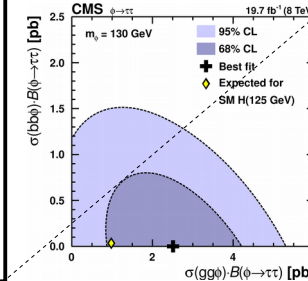
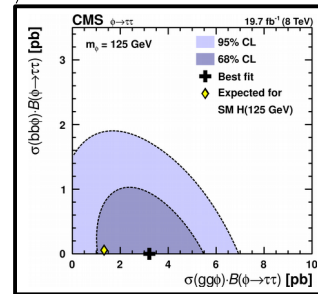
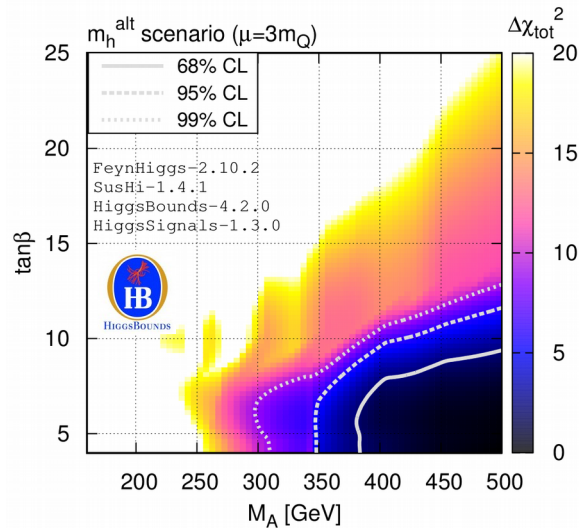
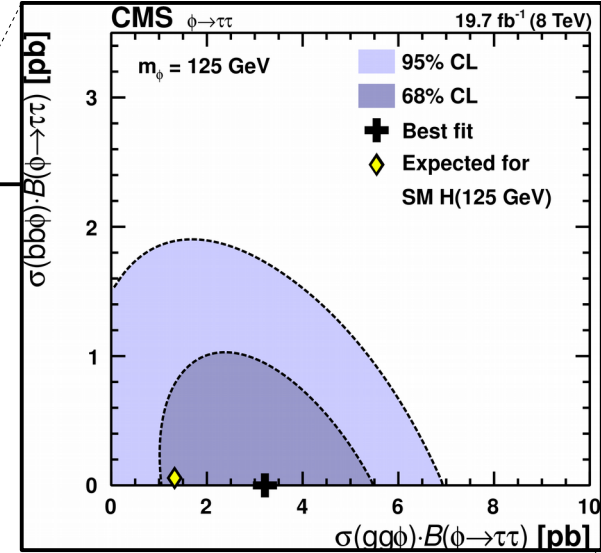
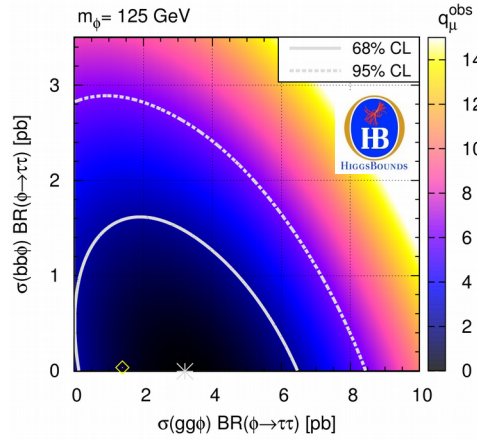
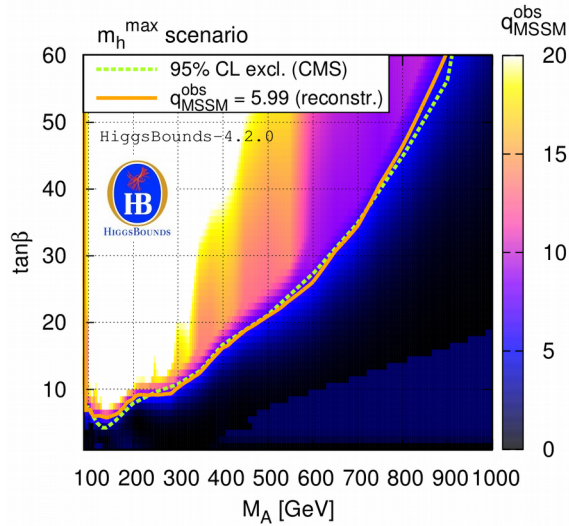
Embedding cross check

- Replace muons in $Z \rightarrow \mu\mu$ events in data by simulated τ decays:



2D NLL picked up by theory

- First application to new models
(using HiggsBounds): [arXiv:1507.06706](https://arxiv.org/abs/1507.06706)



3D database: $1.25 \cdot 10^6$ ΔNLL points for 31 masses between $m_\phi = 90 \dots 1000$ GeV.

Comparison ATLAS vs CMS

